CS345

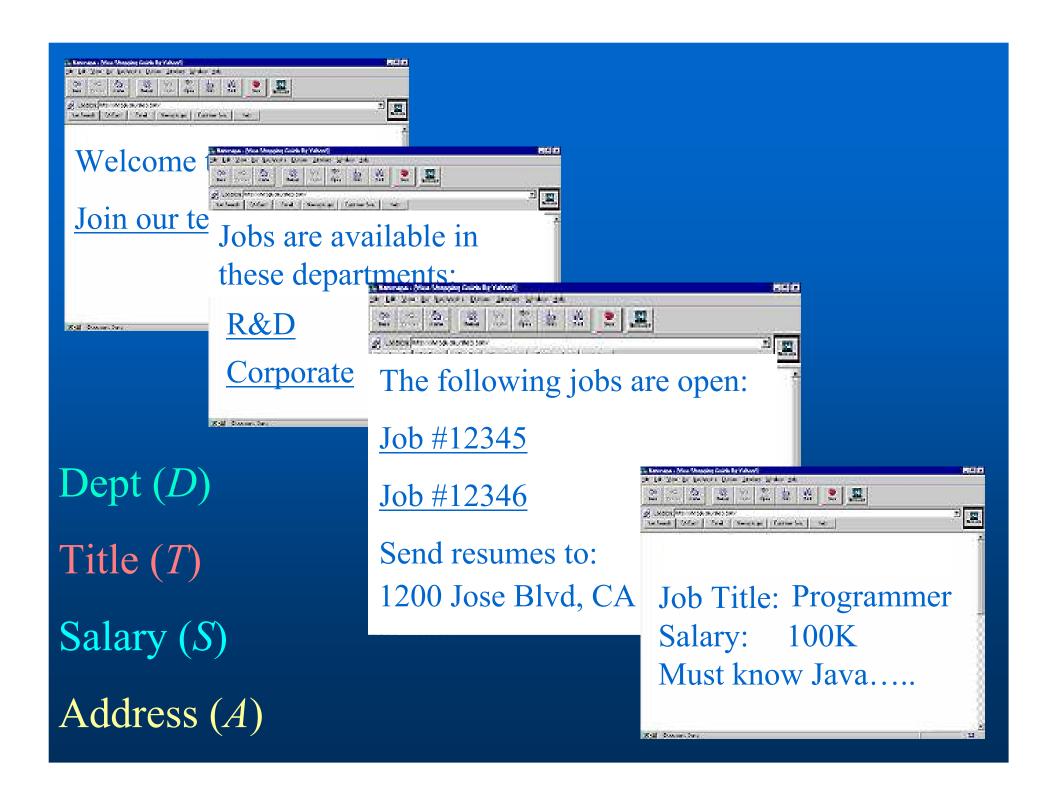
Compact Skeletons

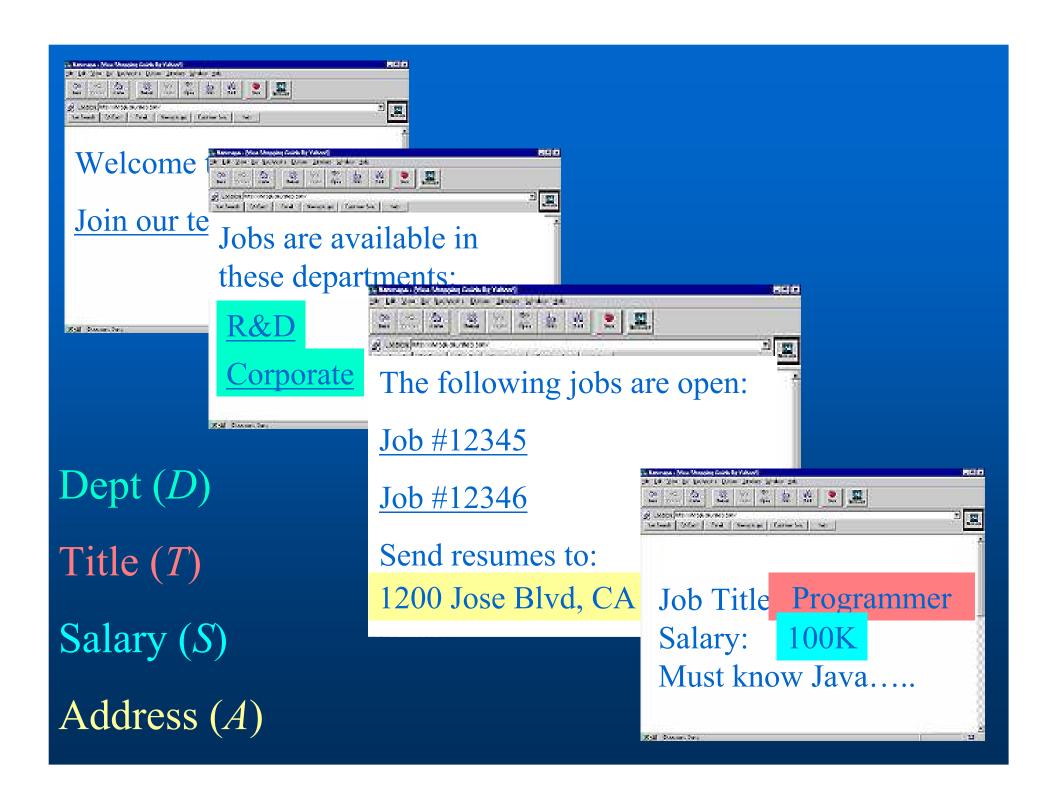
Compact Skeletons

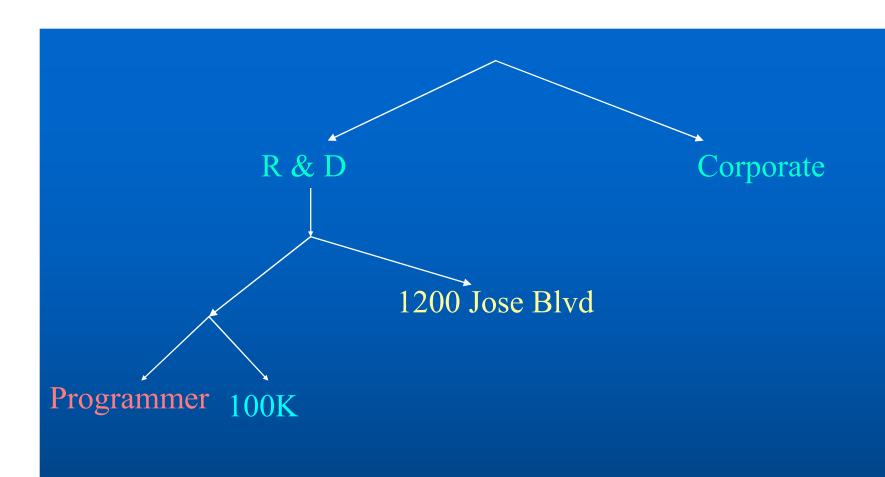
- Assume tuples components are scattered over website
- We have a tagger that can tag all tuple components on website
 - Assume no noise for now
- Reconstruct relation

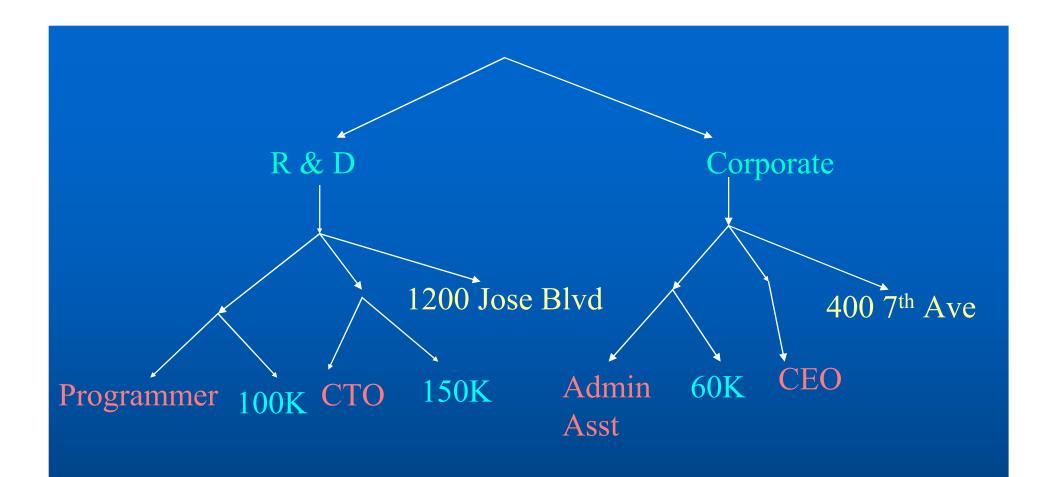
Compact Skeletons

Relation Skeleton Data Graph Website

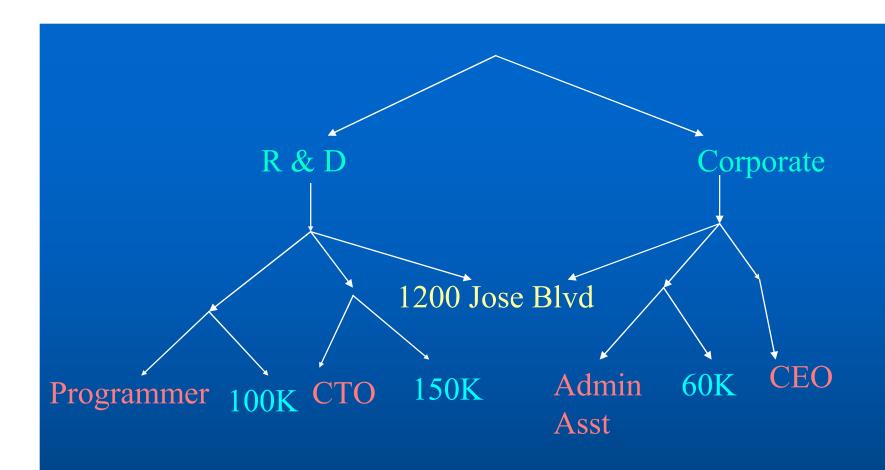




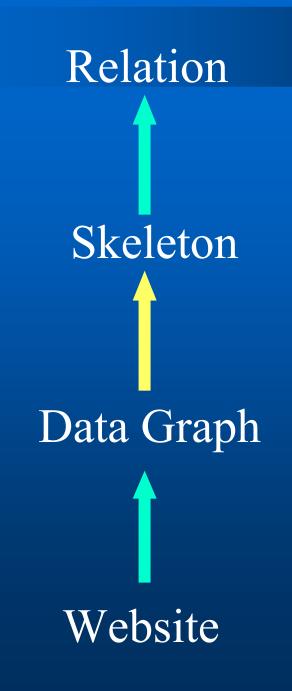




T	S	D	A
Programmer	100K	R &D	1200 Jose Blvd
CTO	150K	R & D	1200 Jose Blvd
Admin Asst	60K	Corporate	400 7 th Ave
CEO	(null)	Corporate	400 7 th Ave

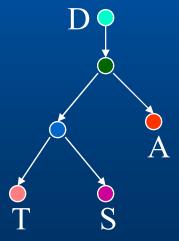


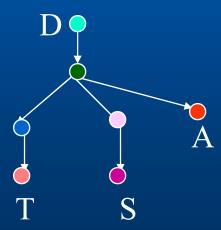
T	S	D	A
Programmer	100K	R &D	1200 Jose Blvd
СТО	150K	R & D	1200 Jose Blvd
Admin Asst	60K	Corporate	1200 Jose Blvd
CEO	(null)	Corporate	1200 Jose Blvd

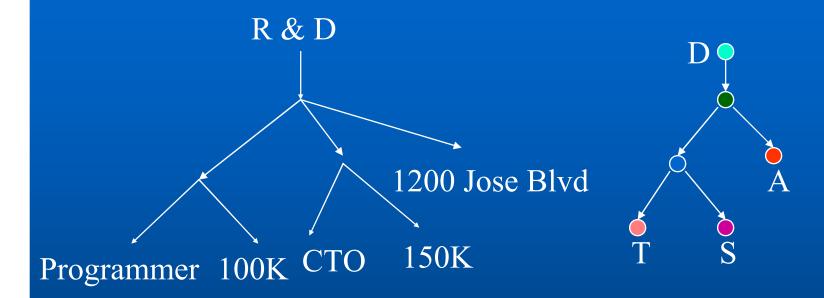


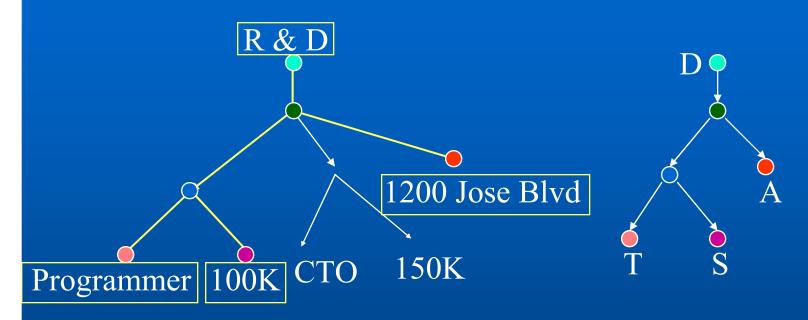
Skeletons

- Labeled trees
- Transformation from data graphs to relations



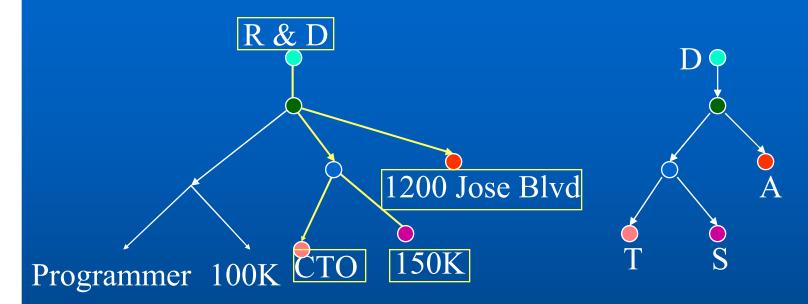




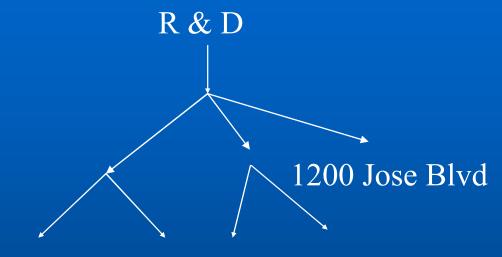


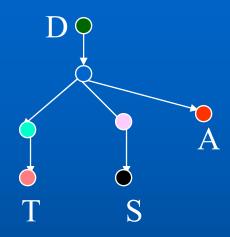
T S D A

Programmer 100K R &D 1200 Jose Blvd

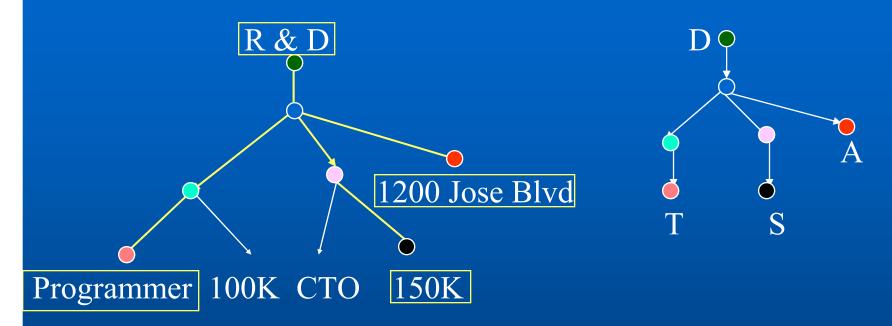


T	S	D	A
Programmer	100K	R &D	1200 Jose Blvd
CTO	150K	R &D	1200 Jose Blvd



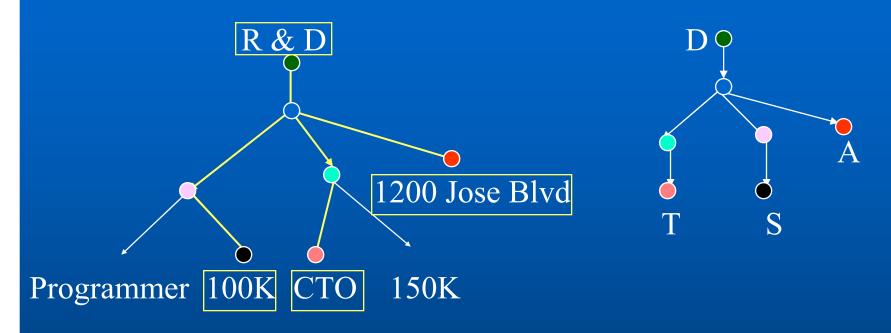


Programmer 100K CTO 150K



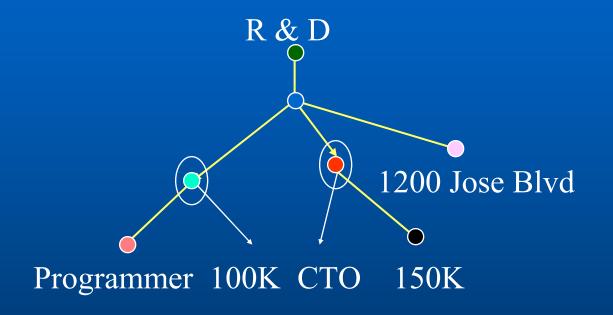
T S D A

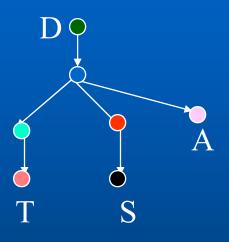
Programmer 150K R &D 1200 Jose Blvd



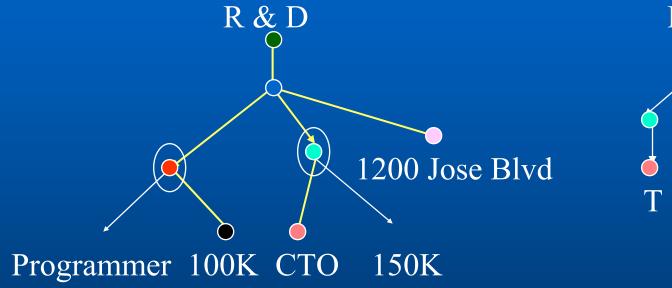
T	S	D	A
Program	mer 150K	R &D	1200 Jose Blvd
CTO	100K	R & D	1200 Jose Blvd

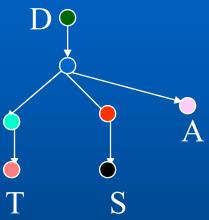
Inconsistent Overlays





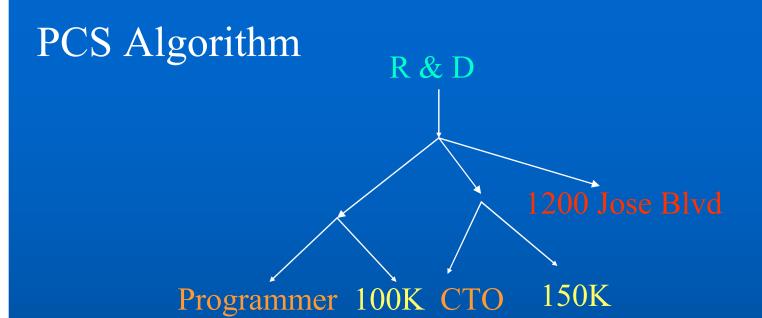
Inconsistent Overlays

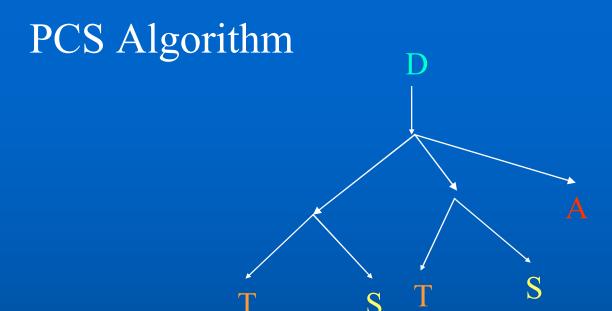




Compact Skeletons

- A skeleton is compact if all overlays are consistent
- Perfect if each node and edge of data graph is covered by at least one overlay
- Given a data graph G, does G have a Perfect Compact Skeleton (PCS)?
 - Not always
 - But if it exists it is unique





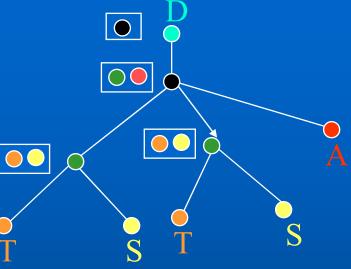
Work bottom-up:

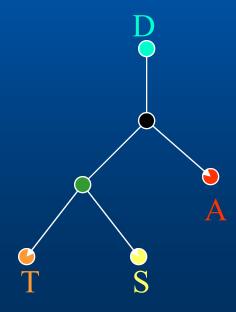
Compute node signatures

Place nodes in equivalence classes based on signature

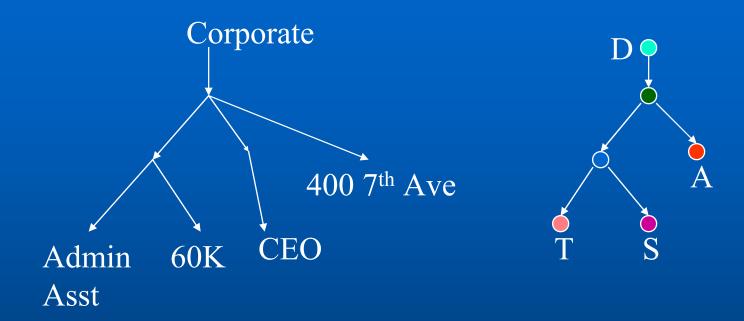
Construct skeleton from equivalence classes

PCS Algorithm

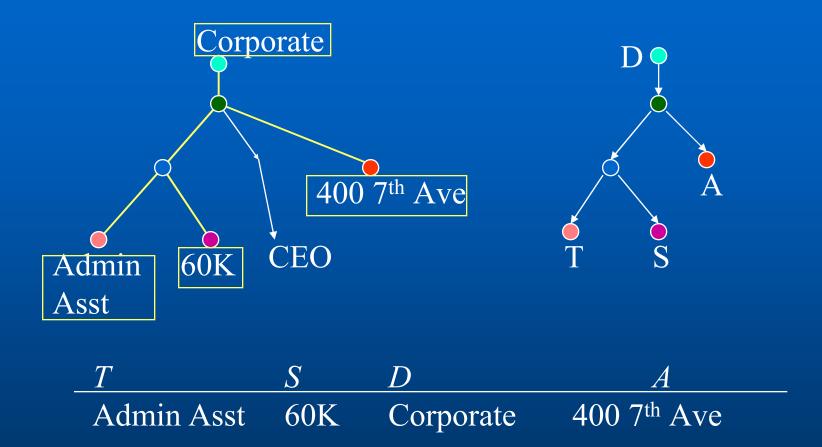




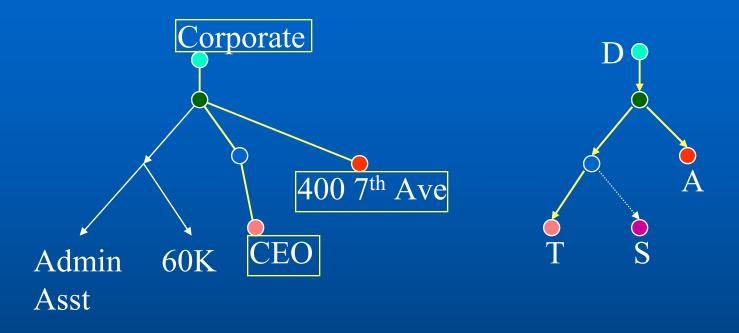
Incomplete information



Incomplete information



Incomplete information



T	S	D	$\underline{\hspace{1cm}}$
Admin Asst	60K	Corporate	400 7th Ave
CEO		Corporate	400 7th Ave

Partial Compact Skeletons

- For data graphs with incomplete information, we allow partial overlays
 - Results in nulls in relation
- If we can use consistent partial overlays to cover every node and edge of the graph, we have a partially perfect compact skeleton (PPCS)

Tuple subsumption

 Tuple t subsumes tuple u if t and u agree on every component of u that is not null

$$t \longrightarrow t_1 \quad S \quad D \quad A$$

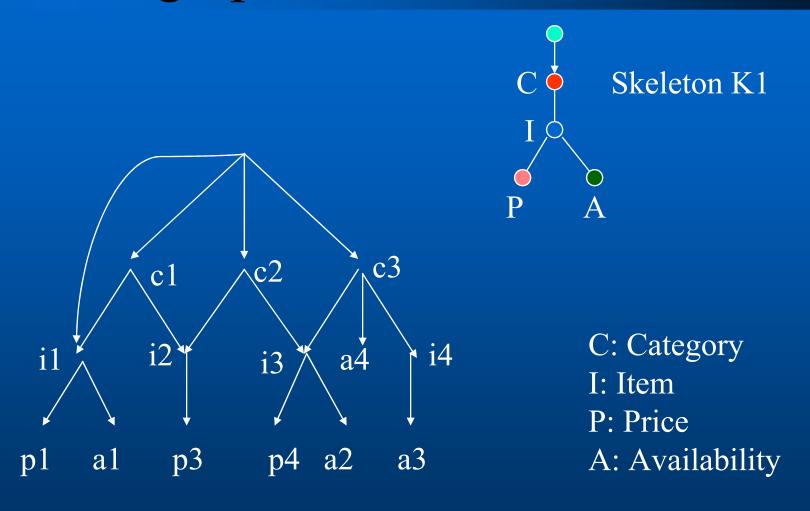
$$t \longrightarrow t_1 \quad s_1 \quad \bot \quad a_1$$

$$u \longrightarrow t_1 \quad \bot \quad \bot \quad a_1$$

Noisy Data Graphs

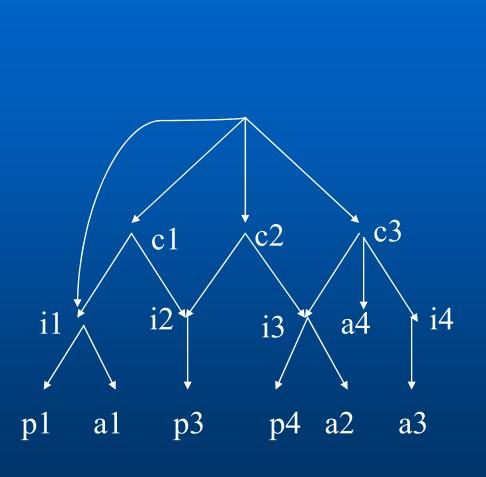
- Real-life websites are noisy
 - False positives e.g., MS = degree, state or Microsoft?
 - Non-skeleton links e.g., featured products

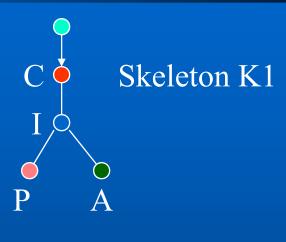
Data graph for a retail website



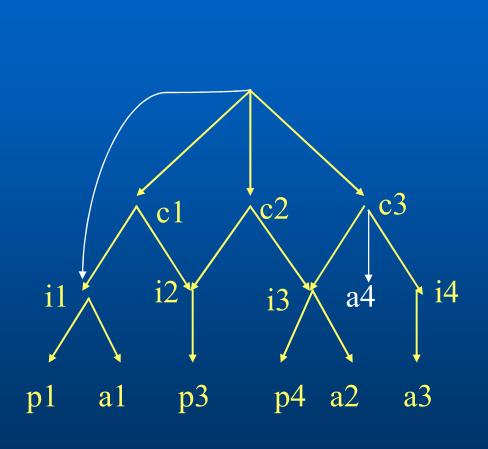
For simplicity: assume all nodes have a label

Coverage of a skeleton



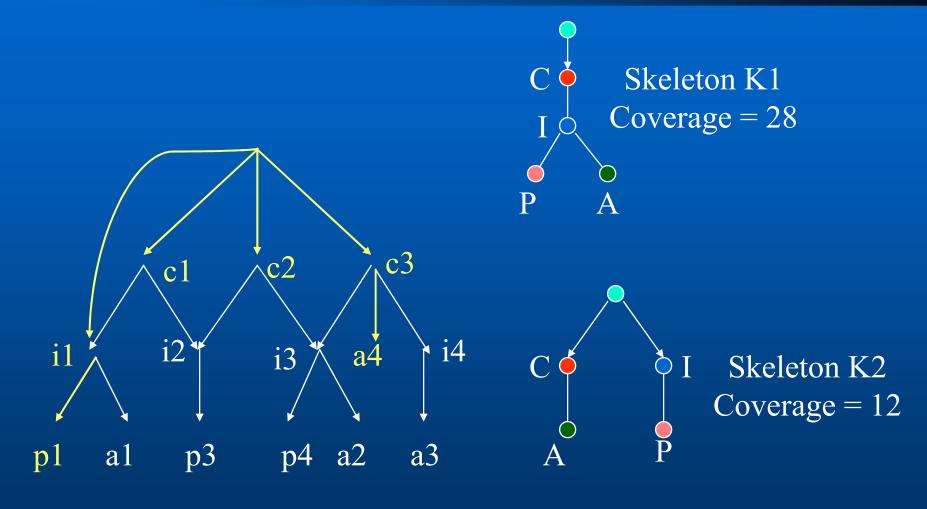


Coverage of a skeleton





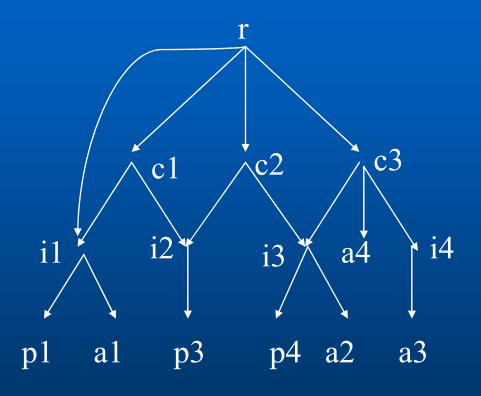
Coverage of a skeleton



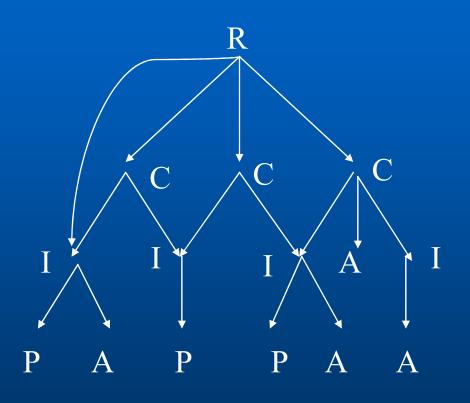
Skeletons for Noisy Data Graphs

- Problem:
 - Find skeleton K with optimal coverage, called the best-fit skeleton (BFS)
- NP-complete

Greedy Heuristic for BFS

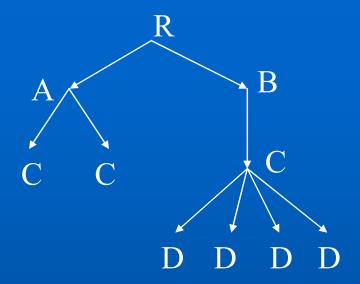


Greedy Heuristic for BFS

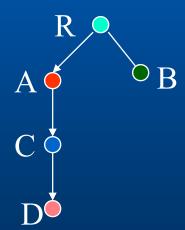


Label	Parent	Count
P		3
Α	I	3
	С	1
1	С	4
	R	1
С	R	1

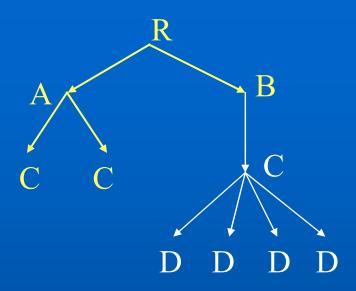


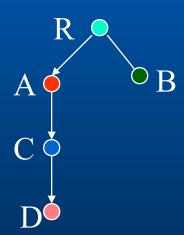


Label	Parent	Count
D	С	4
С	Α	2
	В	1
Α	R	1
В	R	1

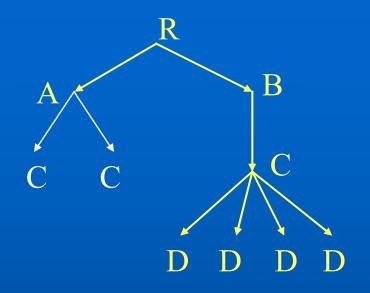


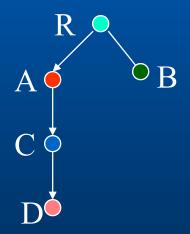
Greedy skeleton



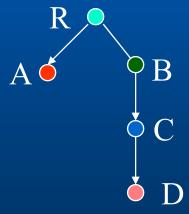


Greedy skeleton Coverage = 9





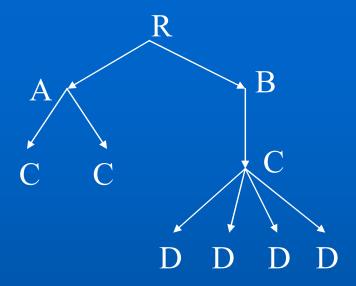
Greedy skeleton Coverage = 9



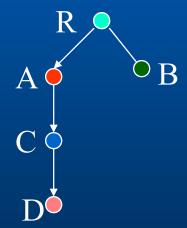
Optimal skeleton Coverage = 15

Weighted Greedy Heuristic

- Simple Greedy heuristic uses parent counts
 - "Memory-less"
- Weighted Greedy heuristic takes into account past selections to improve simple greedy selection
 - Computes "benefit" of each decision at every stage

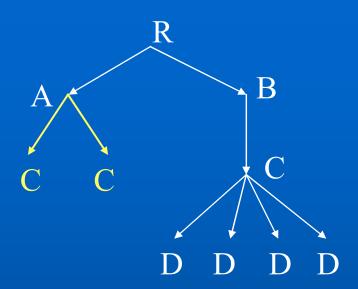


Weighted Greedy



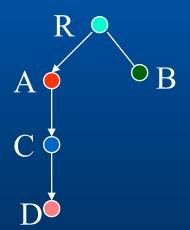






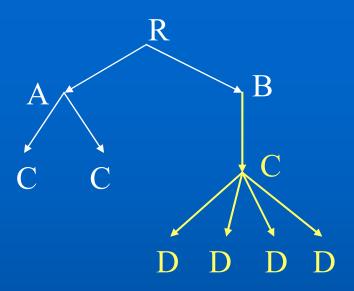
Weighted Greedy

$$benefit(A \rightarrow C) = 4$$



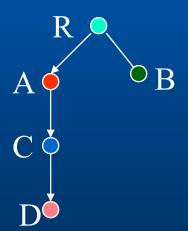
Greedy skeleton Coverage = 9





Weighted Greedy

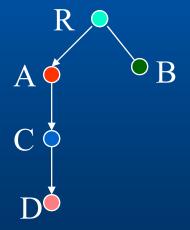
benefit(
$$A \rightarrow C$$
) = 4
benefit($B \rightarrow C$) = 10

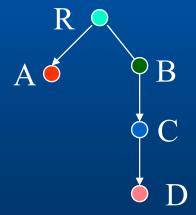




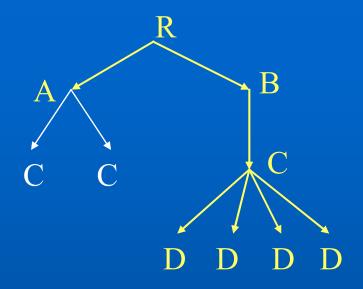


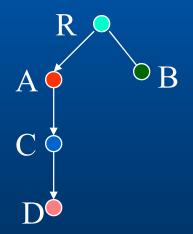
Weighted Greedy



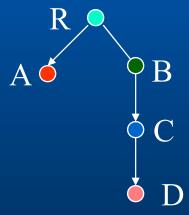


Greedy skeleton Coverage = 9









Weighted greedy skeleton Coverage = 15

Summary

Relation Compact Skeleton Data Graph Website