

# **DESIGN OF HIGH-SPEED SERIAL LINKS IN CMOS**

**Chih-Kong Ken Yang**

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# DESIGN OF HIGH-SPEED SERIAL LINKS IN CMOS

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## Abstract

Demand for bandwidth in serial links has been increasing as the communications industry demand higher quantity and quality of information. Whereas traditional gigabit per second links has been in bipolar or GaAs, this research aims to push the use of CMOS process technology in such links. Intrinsic gate speed limitations are overcome by parallelizing the data. The on-chip frequency is maintained at a fraction (1/16) of the off-chip data rate. Clocks with carefully controlled phases tapped from a local ring oscillator are driven to a bank of input samplers to convert the serial bit stream into parallel data. Similarly, the overlap of multiple-phased clocks are used to synchronize the multiplexing of the parallel data onto the transmission line. To perform clock/data recovery, data is further oversampled with finer phase separation and passed to digital logic. The digital logic operates upon the samples to detect transitions in the bit stream to track the bit boundaries. This tracking can operate at the cycle rate of the digital logic allowing robustness to systematic phase noise. The challenge lies in the capturing of the high frequency data stream and generating low jitter, accurately spaced clock edges. A test chip is built demonstrating the transmission and recovery of a 4.0-Gb/s bit streams with  $< 10^{-14}$  bit-error rate using a 3x oversampled system in a 0.5- $\mu\text{m}$  MOSIS CMOS process.

**Key Words and Phrases:** High Speed Signalling, Serial Links, Transmitters, Receivers, Phase-Locked Loops

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Chih-Kong Ken Yang

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# Acknowledgments

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# Chapter 1

## Introduction

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The increasing computational capability of processors is driving the need for high-bandwidth links to communicate the information that is processed. Such links are often an important part of multi-processor interconnection ([70], [30], and [52]), processor-to-memory interfaces ([29] and [51]), and serial-network interfaces such as FireWire [98], Ethernet ([94] and [58]), and SONET/FibreChannel ([10] and [75]). The research and design of transmit and receive circuits for these links target increasing link speeds from hundreds of Mb/s in current commodity links to Gb/s in the specifications for the next generation links. The goal of this research is to demonstrate the capability of CMOS IC technology in building the electronics for very high-bandwidth links, and to explore the factors in this technology that limit a link's data bandwidth.

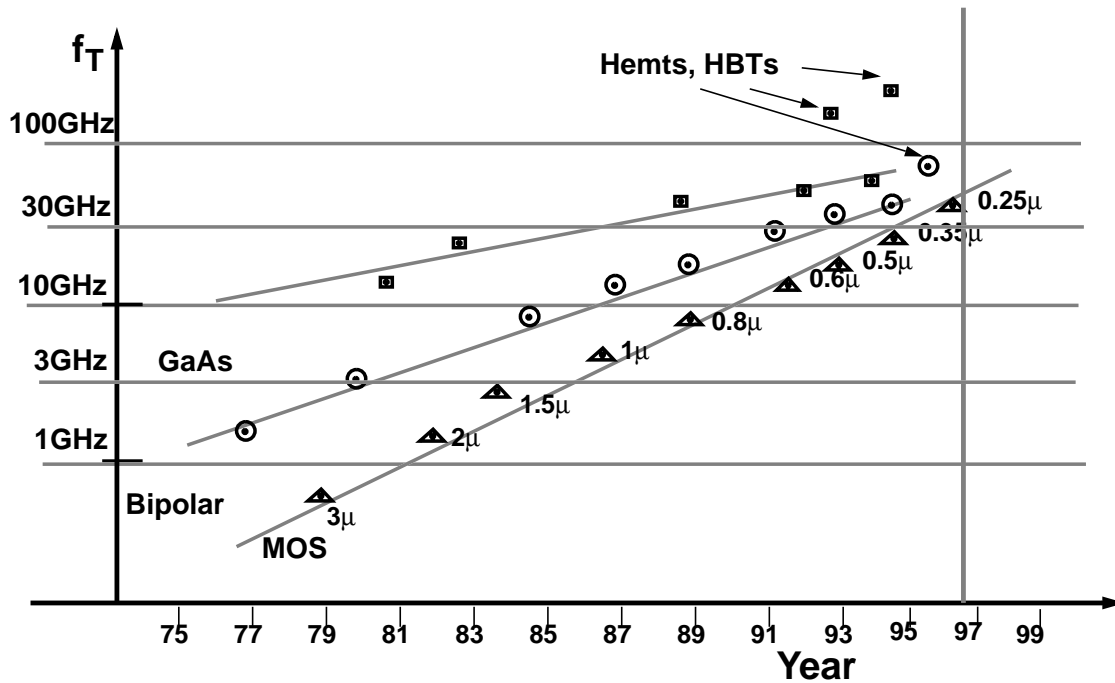
### 1.1 CMOS Links

Traditionally, high-speed links in the Gb/s range have been implemented in GaAs or bipolar technologies. The primary advantage provided by those technologies is faster intrinsic device speed (higher  $f_T$ ).<sup>1</sup> However, despite its slower device speed, CMOS

---

1. For example, GaAs has an intrinsic carrier mobility of roughly  $4000\text{cm}^2/\text{V}\cdot\text{sec}$  while CMOS electron mobility is roughly  $500\text{cm}^2/\text{V}\cdot\text{sec}$  (NMOS). Bipolar transistors have higher  $f_T$  (30GHz) and lower parasitic junction capacitances.

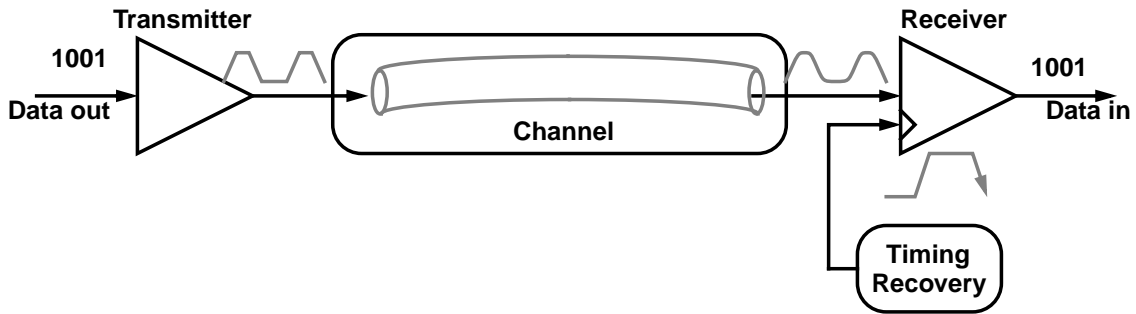




**Figure 1.1:** Technology  $f_T$  comparison between GaAs, bipolar, and CMOS [34]

technology is more widely available and allows higher integration than other technologies. With this availability, high-speed links built in CMOS would appeal to large-volume applications that require such links. Furthermore, with higher integration, links can be built as a macro-block in a single-chip system allowing for significant cost savings in these applications. Thus, determining what are the performance limits of CMOS links is an important question to answer.

Another motivation for migrating to CMOS is the faster improvement of CMOS speed than the speed of other technologies due to the rapid scaling of feature sizes. Figure 1.1 [34] shows the scaling trend of CMOS technology versus GaAs and bipolar technologies in terms of the  $f_T$  of the devices. The slopes of the figure indicate that a CMOS technology will soon be available (in the 0.18- $\mu\text{m}$  process technology) that has speeds comparable to a 0.5- $\mu\text{m}$  GaAs technology. Although it is always possible to yield inherently better devices in non-traditional technologies such as SiGe heterojunctions, the momentum and investment in CMOS technology development is progressing toward making CMOS be the fastest commercial technology.



**Figure 1.2:** Basic link components: the transmitter, the channel, and the receiver.

## 1.2 Link Components

A typical link is comprised of three primary components: a transmitter, a channel, and a receiver. The transmitter converts digital bits into a signal stream that is propagated on the channel to the receiver. The receiver reverts this analog signal back into binary data. Figure 1.2 illustrates these components.

A transmitter sends the data as analog quantities or symbols. The analog values used in this dissertation are simply either a *HIGH*-level or *LOW*-level to represent a single bit — known as non-return-to-zero (NRZ). For example, in an optical system, the levels are different amounts of optical power. For electrical systems, these levels are different signal voltages. The duration of each *HIGH* or *LOW* symbol is the bit-time. The difficulty in a transmitter design is to maintain clean signal levels while transmitting high data rates.

The channel is the medium on which the data is propagated. This medium can physically be an optical fiber, a coaxial transmission line, an unshielded twisted-pair, a printed-circuit board (PCB) trace, or the chip package. The medium can attenuate or filter the signal, and introduce noise. To achieve very high data rates, a channel with low attenuation and distortion at high frequencies is necessary to reduce the noise and filtering.

To recover the bits from the signal, the analog waveform is amplified and sampled. In order to recover the high-speed signals reliably, the circuits at the receiving end must be able to resolve small inputs at very high rates, and time the sampling strobe correctly. The receiver is the circuit that amplifies and samples the waveform while an additional circuit, the timing-recovery circuit, properly places the sampling strobe.

### 1.3 Organization

The performance limitations of each of these link components are the topics of the following chapters. To begin discussing the limits of data rates in the transmitters and receivers, Chapter 2 describes the architecture of a typical link, and introduces a technology-normalized metric for bit-rate performance called a fan-out-of-four (FO-4) delay. It also describes a second metric, bit-error rate, to measure the reliability of a link. Based on these metrics, the chapter will show that a simple link can achieve a bit-width of roughly 6-8 FO-4 delays. Employing parallelism can double the data rate, reducing the bit-time to 3 FO-4 without increasing the on-chip frequency. The parallel architecture multiplexes two on-chip data streams at a lower frequency to generate a higher data rate, and demultiplexes the higher off-chip data rate at the receiver ([39], [51], and [86]).

To further push a link's data bandwidth, Chapter 3 introduces architectures with higher degree of parallelism. By using multiple clock phases, byte-wide parallel data are multiplexed and demultiplexed for high data rates to be driven and received. This technique maintains the lower on-chip digital processing frequency. The chapter describes specific designs of the transmitter and receiver that demonstrate a data-rate performance of less than one FO-4 delay and discusses the factors that limit the data rate. These simulation results are later verified by the measurements in Chapter 5 from test chips built in a 0.8- $\mu\text{m}$ , 0.5- $\mu\text{m}$ , and 0.35- $\mu\text{m}$  CMOS technologies.

For these parallel architectures, the multiple clock phases, used to transmit and sample the data, must be accurately spaced. Chapter 4 describes techniques to generate these multiple phases. Errors in generating the phases can cause static phase-spacing errors which compromise the transmitted bits and the sample positions for each bit. Data presented in this chapter show that the errors are less than 10% of the desired phase spacing between clocks in the technologies used.

Given the multiple clock phases, the phases must be properly placed to sample the data with the best possible timing (timing recovery). There are two approaches toward timing recovery: directly aligning the output of a control loop to the data (a data-recovery phase-locked loop), or picking the correct sample after oversampling the data stream (a phase-picking architecture). Since data-recovery PLL is more common, this chapter

describes phase picking and compares it to the phase-locked loop architecture. Although performance is similar, phase-picking shows more robustness in a noisy environment. The implementation of the phase-picking architecture used in the design is also described in this chapter.

To validate the simulation data presented in the previous chapters, Chapter 5 discusses the measurement results from the implemented transceiver. The chapter begins by characterizing the limitations of the test environment to ensure that the environment do not introduce excessive bandwidth limitation or noise. Then, performance results are presented showing a bit-error rate less than  $10^{-14}$  from a 4-Gb/s test chip in a 0.5- $\mu\text{m}$  process technology (indicating a performance of one FO-4 delay as the bit-time).



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## Chapter 2

# Background

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A link's performance can be evaluated based on many factors. For exploring the maximum data rate of a given technology, two metrics in particular are used to evaluate various designs: the bit-rate (or its inverse, the bit-time) and the bit-error rate.

The bit-time is usually measured in terms of nanoseconds or picoseconds. This dissertation normalizes the bit-time by the speed of the CMOS technology. Since the speed of many digital CMOS circuits scale with technology, this normalization allows us to estimate the link's speed in different technologies and extrapolate to future technologies. The normalization factor used in this dissertation, the delay of a loaded inverter, is described in the next section, and serves as the basic ruler for most of the dissertation.

Since a link's receiver needs to convert an analog signal back into digital data, there is always a probability for errors to occur. The second metric, bit-error rate (BER), indicates the reliability of the link. A link's maximum data rate is usually specified at a specific BER (e.g.  $10^{-9}$ ) to guarantee the robustness of the overall system. Section 2.2 describes how errors occur due to voltage or timing noise. To illustrate the effect of noise on the system performance, the BER is shown as a function of the signal-to-noise ratio (*SNR*) in a simplified analysis.

The design of a simple link is then discussed in Section 2.3. The section illustrates how the signalling speed is primarily limited by the clock frequency. To further increase the signalling rate, Section 2.4 examines how parallelism can be used to increase the link speeds by transmitting and receiving two bits/clock-cycle, one bit in each half-cycle.

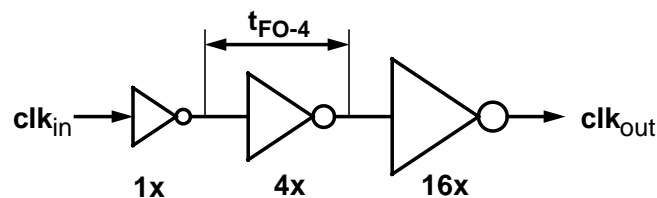
Other factors such as power, area, and latency are often considered when discussing the performance of a link. Because this dissertation focuses on the maximum bit-rate of a process technology, these factors are of secondary consideration.

## 2.1 Fan-out-of-four Delay Metric for Bit-time

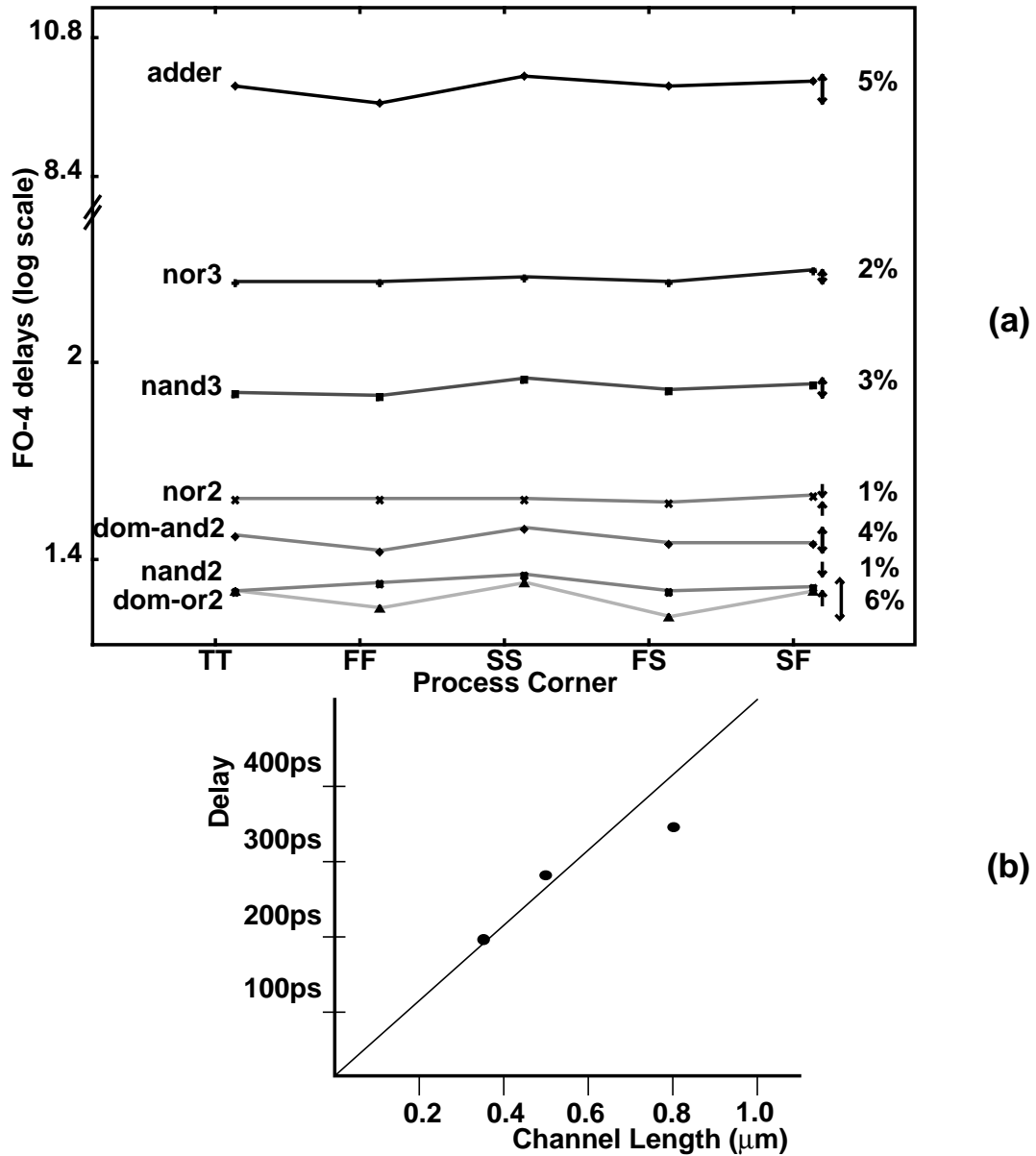
The minimum bit-time varies with the CMOS process technology, as well as the supply voltage and temperature. It is advantageous to use a metric to represent the bit-time that is independent of technology so that the performance number stated can be extrapolated to future technologies. An adequate metric is the delay of a buffer driving a normalized load.

A “FO-4 delay” is the delay of one stage in a chain of inverters. As shown in Figure 2.1, each of the inverters in the chain drives a capacitive load (fan-out) that is 4x larger than its input capacitance. The delay of various circuits can be normalized to a number of FO-4 delays. For different technologies and operating conditions, actual performance of the circuit can be predicted by a simple simulation of the FO-4 delay under those conditions and multiplying the simulated result by the number of FO-4 delays of a circuit.

This metric is applicable based on the observation that the delays of topologically different CMOS digital circuits scale by approximately the same factor. Figure 2.2-(a) illustrates that the accuracy of the metric’s prediction across different process corners for different circuits is within 20%. Figure 2.2-(b) shows the actual FO-4 delay for various



**Figure 2.1:** Fan-out of four inverter chain



**Figure 2.2:** FO-4 delay metric used for different circuits across process corners (a), and FO-4 delay for different channel lengths (b)

technologies.<sup>1</sup> We can illustrate the application of this metric to link speed. For example, in a 0.5- $\mu\text{m}$  technology<sup>2</sup> a 1-Gb/s data stream has bits that are roughly 4 FO-4. The same link in a 0.35- $\mu\text{m}$  technology can be expected to operate up to 1.4 Gb/s. However, the

1. It is interesting to note that a reasonable estimate for FO-4 delay is roughly 500ps/ $\mu\text{m}$  of effective channel length and, conversely, the  $1/f_T$  of a process can be approximated to be 1/3 FO-4.

2. All process feature sizes are effective lengths and not drawn lengths.



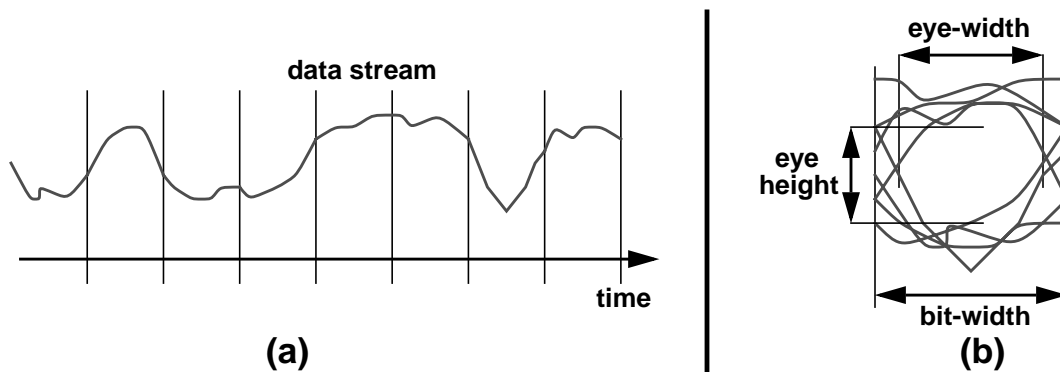
underlying assumption is that the link performance scales with the same factor as the scaling of FO-4 delay. This assumption will be experimentally verified in Chapter 5 where results of a link built in three different processes are compared. The technologies used in this dissertation are a 0.8- $\mu\text{m}$  (Hewlett-Packard), a 0.5- $\mu\text{m}$  (Hewlett-Packard), and a 0.35- $\mu\text{m}$  (LSI) technology. The FO-4 delays of Figure 2.2-(a) are for these technologies.

## 2.2 Bit-error Rate

The second metric for link performance, bit-error rate, indicates the reliability of a link. This reliability ties closely with the data-rate metric presented above because excessive errors may force a link to operate at a lower data rate. The errors are due to noise on the signal that is transmitted and noise in the receiving circuits. The noise can be divided into phase noise and amplitude noise and each of them can be further broken down into static and dynamic. Static noise is commonly referred to as phase or voltage offset.

The effect of noise is often illustrated using a data eye. Figure 2.3 shows how a data eye is formed by folding a signal waveform that contains both amplitude and phase noise into a single bit-time. Noise on the bit stream results in a reduced eye opening, making the signal more difficult to receive.

Figure 2.4-(a) and -(b) illustrate idealized data eyes to demonstrate how the sources of errors impact signal reception while assuming a single decision threshold and a single sampling moment. As shown in Figure 2.4-(a), sufficiently large amplitude noise causes the signal to not cross the decision level or to accidentally cross the decision level



**Figure 2.3:** Illustration of a data eye. (a) shows a data stream, and (b) shows the collapse of the data stream into a data eye.

hence resulting in the wrong decision. Similarly, a voltage offset in the decision level could make the reception more sensitive to error by reducing the voltage noise margin for a *HIGH*-level versus a *LOW*-level. Figure 2.4-(b) illustrates the effect of both static phase offset and dynamic phase noise. Static phase error is the fixed offset in the sample position from the ideal position. Dynamic phase noise, or more commonly known as jitter, is the random noise in the phase position. The resulting timing margin can be calculated by

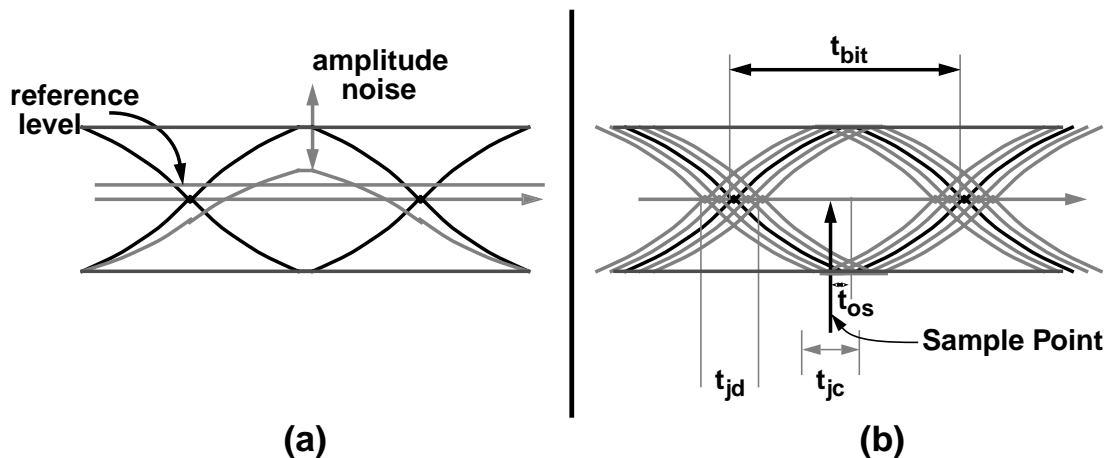
$$t_{margin} = t_{bit} - t_{os} - t_{jd} - t_{jc} \quad [2.1]$$

where  $t_{os}$  is the static sampling error, and  $t_{jd}$  and  $t_{jc}$  are the jitter on the data transitions and the sampling clock, respectively. Since the sampling position is defined with respect to the data transition, jitter on both the clock and the data additively reduces timing margin. With ideal square pulses, as long as the sum of the magnitudes of the static and dynamic phase error is less than a bit-time, the sampled value will always be the correct bit. However, because of finite signal slew rates, timing errors that are less than a bit-time can reduce the amplitude of the signal at the sample point thus affecting the BER.

Each of the sources of error, amplitude and timing, impact the bit-error rate and hence the performance of the system. The following two sections discuss the effect on performance of amplitude noise and phase noise.

### 2.2.1 Amplitude noise

The received signal is the sum of the transmitted values and noise which appears as an added signal with random value. At the sample point, there is a finite probability for the



**Figure 2.4:** Effect of amplitude noise in (a) and phase noise in (b).

noise amplitude to be greater than the signal amplitude, causing a wrong decision. This probability is the bit-error rate. This rate often depends on the amount of signal power and the amount of noise power.

For example, the probability of error due to an additive white Gaussian noise (AWGN) distribution can be expressed as a function of the signal-to-noise ratio ( $SNR$ ) as shown in Equation 2.2,

$$ProbErr = \int_{-\infty}^{\infty} \frac{1}{\sqrt{2\pi\sigma_A^2}} \exp\left(-\frac{y^2}{2\sigma_A^2}\right) dy \quad [2.2]$$

where  $A$  is the signal amplitude and the  $\sigma_A$  is the standard deviation of the noise. Figure 2.5 shows the plot of BER versus  $SNR$  in log-log scale [80] where the  $SNR$  is expressed in decibels,  $20\log_{10}(A/\sigma_A)$ . Increasing the signal amplitude will increase  $SNR$ , improving the bit-error rate.

In this analysis, the bit-error rate depends only on the  $SNR$  because the noise source has the convenient quality that the noise (AWGN) is entirely characterized by the standard deviation and the bandwidth of the noise. This model applies well to an optical

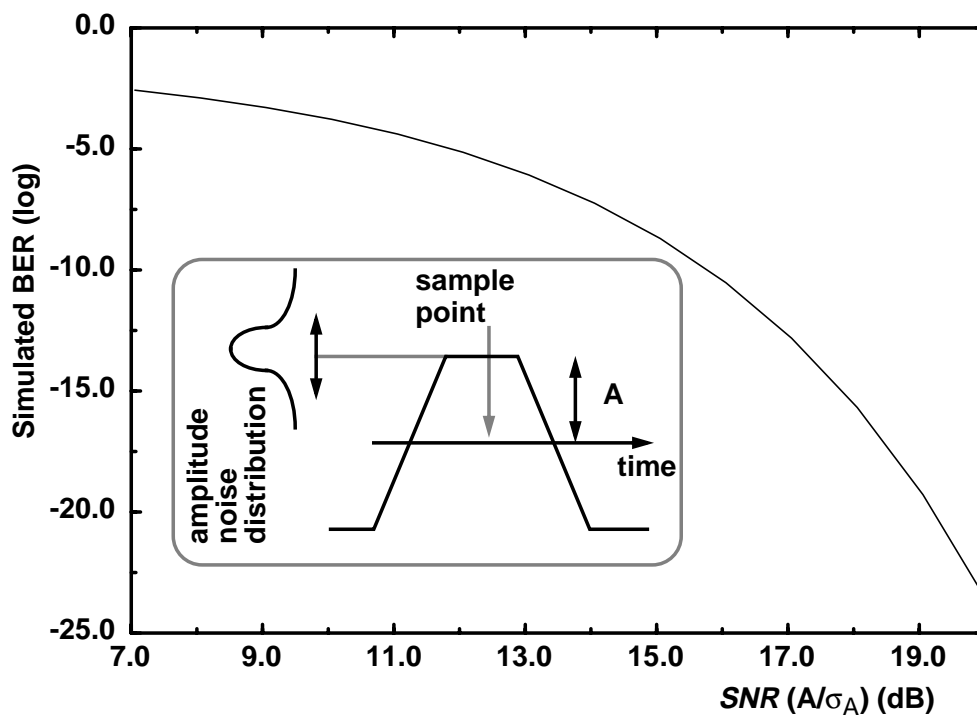
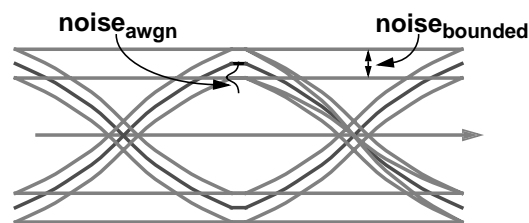


Figure 2.5: BER (log) vs  $SNR$  (dB)

system because of the optical receiver (typically a diode or resistor) has the AWGN noise properties. Although this type of noise inherently exists in any system (e.g. thermal noise), for electrical systems, AWGN noise sources are typically very low in power (and amplitude) when compared to other types of noise that may be present in the link. For example, noise can be coupled by signal switching which is correlated to the data and can have a bounded probability distribution (unlike the Gaussian probability distribution). Furthermore, these noise are often proportional to the signal amplitude. If many such sources are present, the Central Limit Theorem [60] says that one can potentially approximate the sum of many noise sources as Gaussian. However, it does not apply if the noise is correlated or dominated by only a few noise sources. Typically, a system contains large but bounded amplitude noise with the smaller AWGN superimposed as shown in Figure 2.6. Therefore, small changes in signal amplitude would result in large improvements in the BER since the AWGN is very small.

Because of the non-idealities, the absolute bit-error rate can not be solely related to the total noise power as in Figure 2.5. However, the *SNR* versus BER analysis serves as a useful tool. By reducing the signal amplitude until a measurable BER is achieved, the change in BER for a given change in amplitude can be used to estimate the amount of AWGN inherent in the system. Furthermore, the change in *SNR* can be used to compare a system with a reference system. The *SNR* penalty of a system indicates the amount that the signal must be increased (or decreased) to result in the same bit-error rate performance as the reference system. In this chapter, the *SNR* penalty is used to illustrate the performance degradation when different noise sources and errors are added to the system of Figure 2.5. It is also used in Chapter 5 when performance of the transmit/receive system is measured.



**Figure 2.6:** Noise on a data eye showing superimposed large bounded noise sources, and small unbounded (AWGN) noise sources.

This method can be used to illustrate how a dc offset in the decision level can degrade performance. The offset can be considered as a reduction of the signal amplitude for one of the two signal levels. A decision level shifted higher by  $\alpha A$  would reduce the amplitude of the *HIGH*-level and increase the amplitude of the *LOW*-level. If *HIGH*'s and *LOW*'s are equally probable in a data stream, the probability of error is the average of the two probabilities. Since the probability increases exponentially with decreasing *SNR*, the error rate is dominated by the signal value with the lower *SNR* which, in this case, is due to the *HIGH* pulse. This reduction in performance can be expressed as an *SNR* penalty of  $20\log_{10}(1-\alpha)$ .

### 2.2.2 Timing noise

The second error source, timing error, can similarly affect the performance. Phase noise can have a noise distribution similar to amplitude noise. If the magnitude of the phase error exceeds half the bit-time, the receiver would sample the previous or next bit instead of the current bit, incurring an error. The probability of the noise having this magnitude determines a minimum BER independent of the signal amplitude. Typically as the bit-time is decreased (with increased operating frequency) while testing a design, the phase noise does not decrease at the same rate as the decrease in bit-time, increasing the minimum BER.

Beyond contributing to a minimum BER, phase errors, both static and dynamic, can affect *SNR* as well. To reduce the noise power, frequencies above the data bandwidth are filtered to limit the noise bandwidth. Otherwise, noise such as thermal noise has infinite noise bandwidth. Because of the filtering, signal waveforms are no longer perfect square waveforms. As can be seen in Figure 2.4, sampling away from the peak of the waveform results in a sampled value that is less than the peak signal amplitude. The slewing portion of the signal effectively translates phase noise into amplitude noise so timing noise translates into signal noise. For a triangular waveform<sup>1</sup>, the phase noise

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1. The ideal filter, known as a "matched filter", sets the filter's frequency response to match the signal waveform's frequency response ([80]) which maximizes the energy of the signal while rejecting noise that is not related to the signal. For example, if a signal waveform is composed of square symbols, the frequency response is a sinc function. The filtering with a sinc filter is effectively a convolution of two square pulses that results in a triangular waveform.

translates linearly into amplitude noise by a simple linear equation, Equation 2.3, where the bit-time spans  $2\pi$  and signal amplitude is  $A$ .

$$\Delta A = g(\Delta\phi) = A|\Delta\phi/\pi| \quad [2.3]$$

Figure 2.7 plots the *SNR* penalty for different static phase errors for both a triangular waveform and a sinusoidal waveform. Because the sinusoidal waveform has a smaller slew rate near the sample point, the penalty is less.

The effect of jitter has a similar effect as static phase error except the error depends on the phase-noise characteristics and its probability distribution. As an example, Figure 2.8 illustrates the impact on BER for a Gaussian distributed phase noise on a triangular waveform. Equation 2.2 is still valid except the noise term,  $\sigma_A$ , is adjusted to include phase noise using Equation 2.3 as shown in Equation 2.4.

$$\sigma(\text{total}) = \sqrt{\sigma_A^2 + g(\sigma_\phi)^2} \quad [2.4]$$

The variables,  $\sigma_A$  and  $\sigma_\phi$ , are the standard deviation of amplitude noise and phase noise, respectively. Figure 2.8 shows the BER versus  $A/\sigma_A$  for various  $\sigma_\phi$  (specified by radians

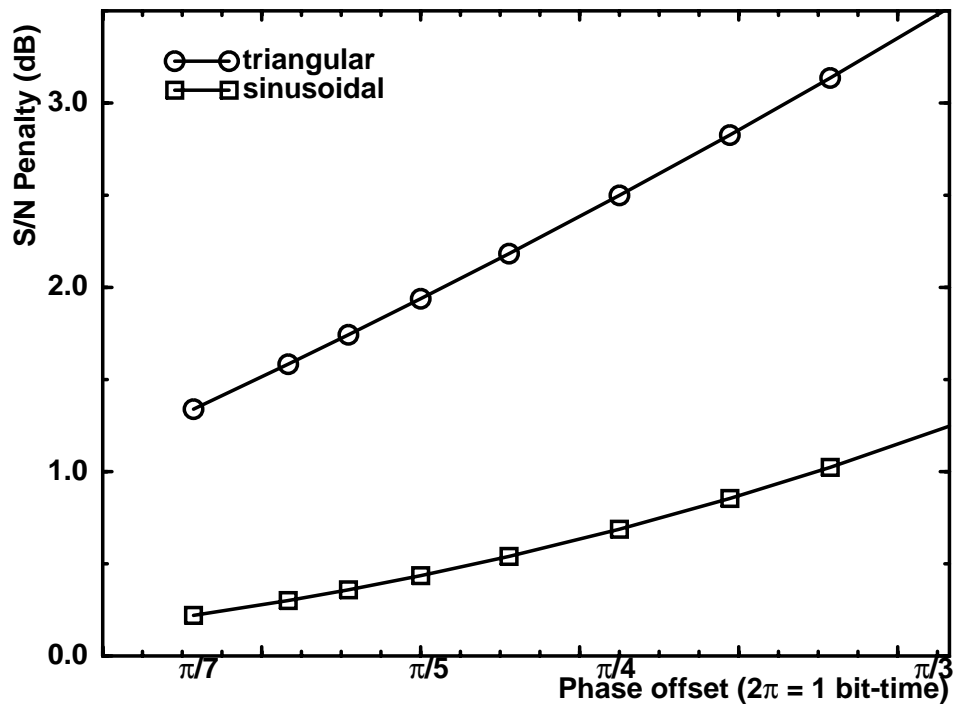


Figure 2.7: *SNR* penalty for various phase offsets

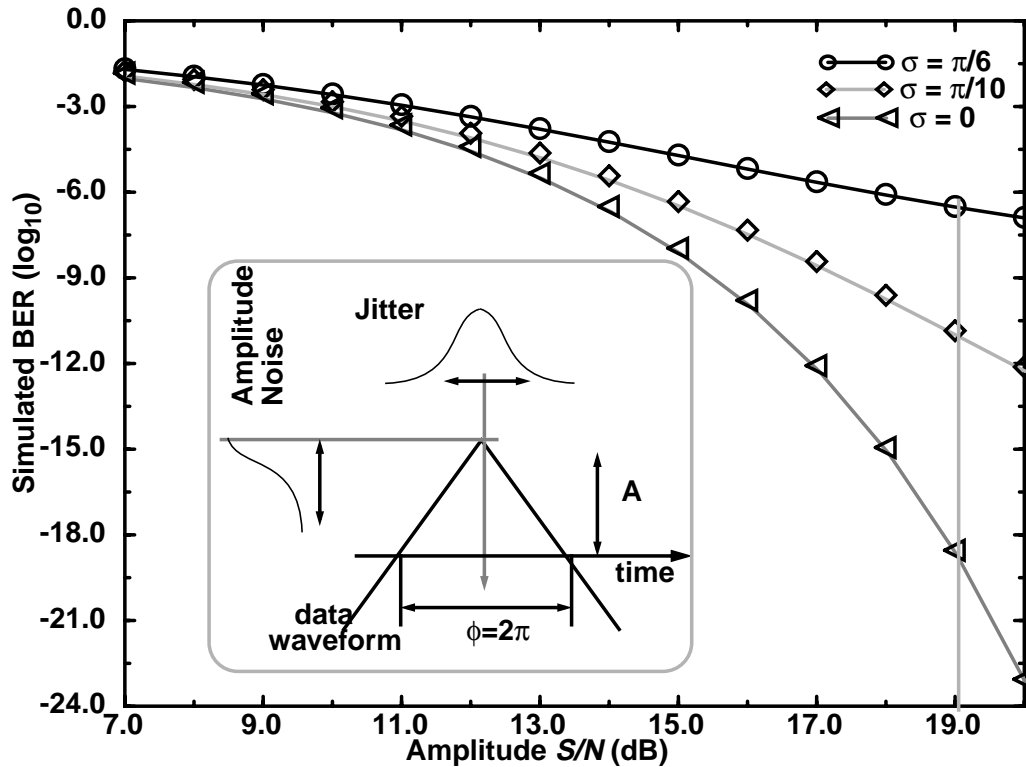


Figure 2.8: BER vs SNR with two different phase noise  $\sigma_\phi$ .

where  $2\pi$  is the bit-time). The resulting family of curves deviates from the ideal curve (Figure 2.5) with worse bit-error rates. Also, as mentioned earlier, when noise exceeds half the bit-time, a minimum BER is present independent of SNR. This is illustrated in the figure with the upper curves flattening toward a BER floor instead of continuing to drop.

### 2.3 Example of a Basic Link

What limits the performance of a link are the noise that introduce these timing and amplitude errors, and the bandwidth limitations of the electronic components. To provide the groundwork for the discussion on very high data-rate links, this section describes a simple link architecture. The simplest link transmits and receives one bit per on-chip clock cycle. The section begins with a brief description of the channel and follows with a discussion of the design issues and limits of the link components: the transmitter, the receiver and the timing-recovery circuit. An extension of this simple architecture to two bits per clock cycle is discussed in following section, Section 2.4.

### 2.3.1 Channel

The channel is the entire path from the output of the transmitter circuit to the input to the receiver circuit. This includes the connection from the chip input/output pad to the package pin as well as any PCB trace and coaxial cables used to connect the packages together. The path can be characterized as a conductor that carries the signal together with a nearby return path for the signal current to close the circuit.

The return path is the signal's reference. For single-ended signals, the reference is the power planes on a PCB, or the shield of a cable. For differential signals, the reference is embedded in the signal as the opposite polarity. Because the signal is commonly tightly coupled to its reference, proper reception of a signal is with respect to this reference. It is primarily the noise that is coupled differentially between the signal and the reference that degrades link performance. Noise that couples equally onto the reference and to the signal appears as a common-mode noise that most receivers are able to reject. Noise rejection by receivers will be further discussed in Section 2.3.3.

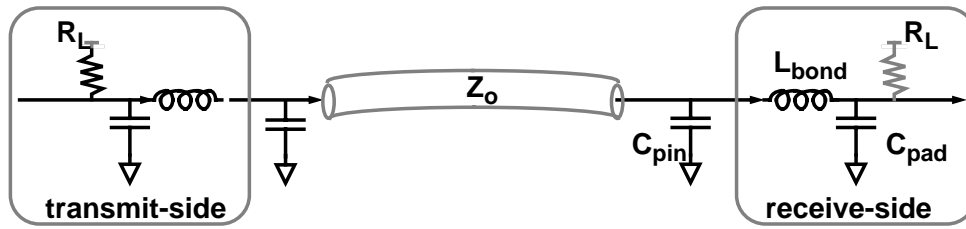
The circuit for the signalling medium can be modeled as distributed energy-storage elements, inductance ( $L/meter$ ) and capacitance ( $C/meter$ ), that propagate the energy of a signal with some small loss, known as a transmission line. The geometry and material of the line determines the  $L$  and  $C$ . To the signal source, these transmission lines appear electrically as a real impedance, known as the characteristic impedance, with value of  $\sqrt{L/C}$  which is typically between 50- and 100 $\Omega$ .

Losses occur in the propagation due to radiated losses, dielectric loss, and resistive losses in the conductor. These losses are often frequency dependent, which filters and limits the bandwidth of the signal. For example, at higher frequencies, current flows closer to the surface of the conductor hence reducing the area of current flow and increasing the resistive loss, a phenomenon known as skin effect [65]. The filtering effect varies with cable quality; with the high-quality cables over the short distances used in this research, losses can be as low as 1dB/m at 4GHz [18].<sup>1</sup>

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1. For lower loss on the line, a fiber optic cable, which is a channel that confines a propagating light wave, can be used to obtain loss as low as 1dB/km. However, more sophisticated transmitters and receivers such as lasers and photodiodes are used to convert electrical current to light and vice versa.





**Figure 2.9:** Illustration of the channel including termination resistors and packaging parasitics

A signal continues to propagate along a transmission line as long as the impedance remains constant. Changes in the impedance along the line will cause part of the signal energy to be reflected which then propagates in the opposite direction (back toward the transmitter). If the signal is reflected again, the second reflection would interfere with the bit that is transmitted after the roundtrip propagation delay<sup>1</sup> appearing as signal-dependent noise.

One clear source of these reflections occurs at the two ends of transmission lines if the energy being propagated is not dissipated. The most common solution uses a line-termination resistance whose value matches the impedance of the line. A termination can be at the transmitter end, also known as source termination, or at the receiver end, known as load termination. Figure 2.9 illustrates both termination resistors. By placing the termination on the driving side, the reflected signal from the receiver does not interfere with any newly transmitted signal. Error in matching the termination resistor can still cause reflection noise which can be calculated by:

$$\Gamma = \frac{Z_L - Z_o}{Z_L + Z_o} \quad [2.5]$$

$$V(\textit{backward}) = V(\textit{forward})\Gamma \quad [2.6]$$

where  $\Gamma$  is the reflection coefficient;  $Z_L$  is the load impedance; and  $Z_o$  is the line impedance. Placing the termination resistors on both the source and load reduces the errors from mistermination.

1. For common coaxial cables or printed circuit board traces ( $\epsilon_r$ , relative permittivity  $\sim 4$ ), the delay is 6ps/mm. Very good coaxial cables have air dielectrics which have lower delay.

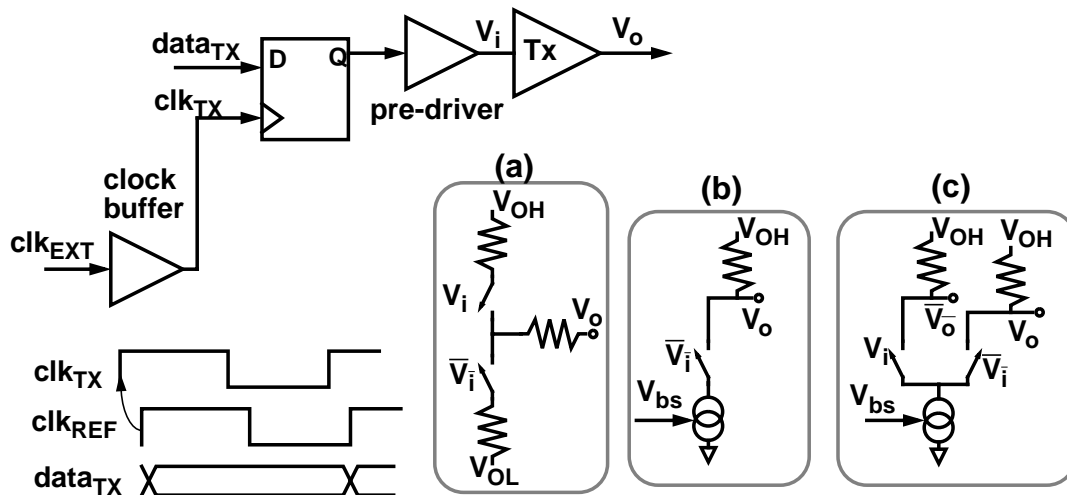
Besides the inaccurate termination, common sources of impedance mismatch are discontinuities in the channel such as the chip packaging, connectors, and PCB trace stubs. For example, in chip packages, a signal is often further separated from its return path causing a higher inductance (higher impedance) and hence an impedance mismatch. Since the length of this higher-impedance segment is often less than the wavelength of the maximum frequency propagated on the line, the segment can be modeled as a lumped inductance. Parasitic shunt capacitances can also be present at the pins and pads of the chip package. Figure 2.9 illustrates both these parasitic elements. Because the impedance of these reactive elements varies with frequency, signals containing high frequencies are subject to more noise due to more severe mismatch.

Another source related to the impedance discontinuities is the coupling between two signals commonly in chip packages or connectors because the return current of a signal is flowing through another signal instead of the reference. This coupling noise, known as crosstalk, is often modeled as mutual inductance or capacitance between the signal wires. To reduce the effect of this induced noise, conservative designs can minimize the interference by physically and electrically isolating the transmitted and received signals from other signals, and properly shielding the signal. Note that for noise due to coupling to affect differential signals, the amount of coupling must be different to the differential lines.

These noise sources are the primary types of noise that the transmitter and receiver must deal with. The following sections discuss each of the electronic components in a link beginning with the transmitter.

### **2.3.2 Transmitter**

The transmitter drives a *HIGH* or *LOW* analog voltage onto the channel and is designed for a particular output-voltage swing as determined by the system specification. The design criteria are primarily to maintain small voltage noise and timing noise on the signal. Transmitter bandwidth is typically not an issue for the simple links because the low transmission-line impedance allows very high bandwidths even with significant output capacitance. This section describes the design of typical transmitters.



**Figure 2.10:** Transmitter timing diagram with different transmitter architectures: voltage-mode (a), current-mode (b), and differential (c).

To drive the output, two styles of output drivers are often used: voltage-mode drivers (e.g. for GTL [3]) and current-mode drivers (e.g. for RTL [23]). Voltage-mode drivers as illustrated in Figure 2.10-(a) are switches that switch the line voltage. Because the switches are implemented with transistors, the driver appears as a switched resistance. To switch the voltage fully, a small resistance is needed which typically requires a large switching device. In contrast, current-mode drivers are switched current sources as illustrated in Figure 2.10-(b). The output impedance of the driver is much higher than the line impedance. The voltage transmitted on the line is determined by the switched current and the line impedance or an explicit (on- or off-chip) load resistor. The driver can be simply implemented by biasing the MOS transistor in its saturation region.

Current-mode drivers are slightly better in terms of insensitivity to supply noise because they have high output impedance and hence the signal is tightly coupled only to  $V_{OH}$ , the signal return path. The output current does not vary with ground noise as long as the bias signal is tightly coupled to the ground signal. The disadvantage with current-mode drivers is that, in order to keep the current sources in saturation, the transmitted voltage range must be well above ground which increases power dissipation.

### ***Reducing amplitude noise***

For better supply-noise rejection, the outputs can be driven differentially, as shown in Figure 2.10-(c), because the supply noise is now common-mode. Since the current

remains roughly constant, the transmitter also induces less switching noise on the supply which could benefit other transmitted or received signals on the same die.

To reduce reflections at the end of the transmission line, the transmitter should be designed with the proper output resistance to serve as the termination resistor placed at the very end of the channel. An off-chip resistor could introduce significant impedance mismatch because of the remaining stub composed of the package parasitics that is in parallel with the resistor. To incorporate the resistor, with current-mode drivers, an explicit on-chip resistor at the driver can act as the source termination resistor [71]. If a resistive layer is not available, a transistor in its linear region can be used as the resistor [20]. With voltage-mode drivers, the design is slightly more complex because the switch resistance should match the line impedance,  $Z_o$ . This may be done either through proper sizing of the driver [21] or by oversizing the driver and compensating with an external series resistor, as shown in the Figure 2.10-(a) [86]. Because the output impedance of the transmitter varies with process technology variations, techniques such as one by [21] adapt the output impedance to match the line impedance.

As mentioned in the previous section, reactive parasitics on the transmission lines, modeled as series inductors or shunt capacitors, introduce reflected or coupled noise that are frequency dependent: the higher the signal frequency, the worse the noise. Because the output bandwidth is typically higher than the signalling rates, transmitters are often designed not to drive frequencies higher than the necessary signalling rate to reduce the signal frequencies that the channel must deal with. Many links purposely slow down the output transition (called slew-rate control) either by using a weakened pre-driver or by switching the driver incrementally with multiple switches that are time delayed [85].

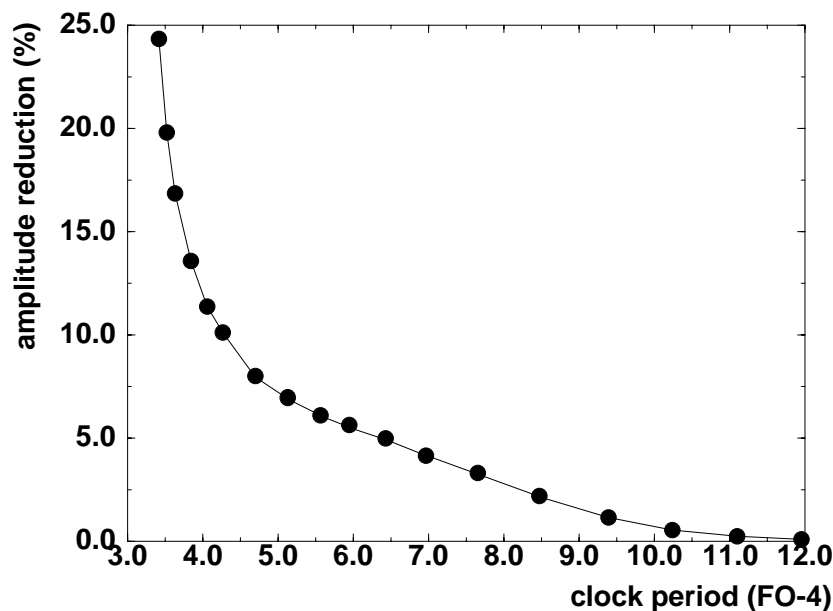
### ***Timing noise***

Besides taking care to reduce amplitude noise, the transmitted signal must also be carefully timed. For the data bits to occur in sequence with a fixed bit-time, the transmitter drives data that are synchronized to the on-chip clock. Figure 2.10 shows the data latched by  $clk_{TX}$  before being transmitted. The transmit clock,  $clk_{TX}$ , is the on-chip, buffered (sometimes frequency multiplied) version of an off-chip timing reference. Transmitter clock jitter causes variation in the bit-time which reduces the timing margin. In addition to

this jitter, the delay from the clock to the output signal is also sensitive to supply noise, adding to the timing uncertainty. As shown in Figure 2.10, this path comprises the delay through the clock buffers, delay through the synchronization flip-flop, and the delay of the pre-driver and output driver. For these logic gates, supply sensitivity can be estimated by 1%-delay variation /%-supply noise which can then be used to calculate the transmitter's contribution to the output timing uncertainty. To reduce the degradation of the data eye due to jitter, designers try to minimize this delay to reduce the output jitter.

### **Bandwidth limitation**

Unfortunately, the bit-rate of this simple transmitter is limited by the clock buffering rather than any internal performance limits. For minimum propagation delay, a fan-out of roughly four is often used at each stage of the buffering. Because of the limited bandwidth of FO-4 buffers, the amplitude of a very high frequency clock will be reduced, hence imposing a limit on the maximum clock frequency. Figure 2.11 illustrates the reduction of the clock amplitude as the frequency is increased. To maintain a reasonable clock amplitude, the clock period is constrained to roughly 6 FO-4. For example, for a 0.5- $\mu\text{m}$  process technology, this constraint corresponds to a clock rate of roughly 600Mb/s. In comparison, the time constant at the output of the transmitter (comprised of 50- $\Omega$  line and 5-pF capacitance) is 250ps which corresponds to only one fan-out-of-four buffer delay.



**Figure 2.11:** Clock amplitude reduction (%) with clock period (in FO-4 delays).

Often, to be practical, even the 6-FO-4 limit is not reached. In order to perform logic processing on-chip, the clock period is often greater than 8 FO-4 to avoid excessive pipelining, since a static flip-flop's timing overhead ( $t_{set-up} + t_{clk-to-q}$ ) is roughly 3 FO-4.

### 2.3.3 Receiver

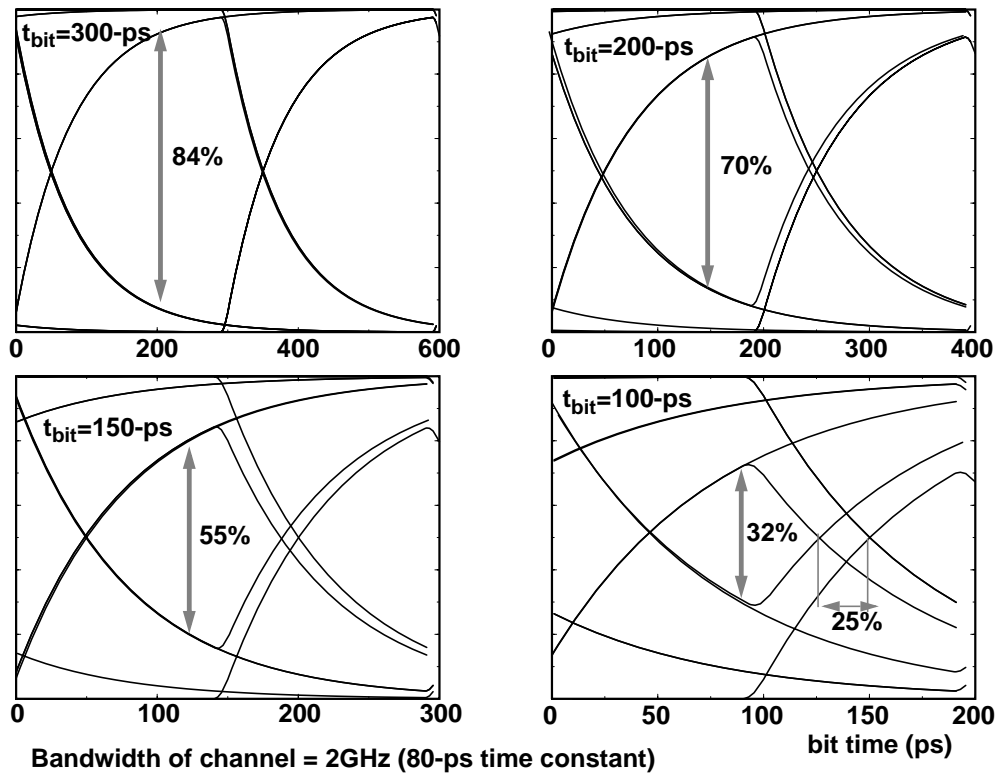
The digital data is recovered from the propagated voltage waveform by two operations: sampling the input waveform at the correct instant, and deciding the digital value of the sampled voltage. The data waveform is sampled periodically by a clock. The timing recovery circuit, which will be discussed in the following section, positions the clock so that the sampling occurs at the position with maximum timing margin. The receiver converts the transmitted voltage to digital values. One typical implementation of a receiver ([97], [40], and [86]) uses an amplifier to amplify the small-swing signal into full-swing digital values before being sampled by a clock.

The two primary goals in the receiver design are high data bandwidth and high resolution. The bandwidth of the amplifier determines the rate at which data can be received. If the amplifier bandwidth is too low for the data rate, the amplifier behaves as a filter and distorts the data, causing the wrong values to be received. The resolution determines the minimum input voltage that can be detected. This section begins by discussing the two issues in further detail, followed by describing receiver implementations.

#### ***Bandwidth and resolution limitation***

The bandwidth of the receiver limits the maximum data rate. A receiver trying to receive data at a rate higher than its bandwidth would result in residual signal energy of a prior bit interfering with a later bit. The effect, known as inter-symbol interference (ISI), causes a reduction in amplitude and eye-width. Figure 2.12 illustrates the collapse of the data eye (simultaneous loss of amplitude and bit width) due to ISI through a single pole ( $RC$ ) filter at 2GHz while transmitting a data signal with increasingly smaller bit-times. The minimum bit-time without degrading the eye-width by more than 10% is roughly  $2RC$ .

The resolution of the receiver depends on the dynamic noise and static offsets between the input and the decision threshold. Static offsets often results from an input-

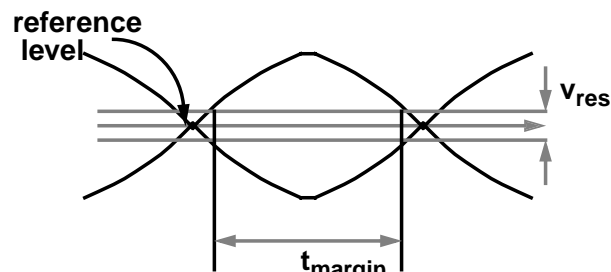


**Figure 2.12:** Reduction in data eye due to ISI from an RC filter

offset voltage in the receiver. Dynamic noise primarily depends on sensitivity to supply noise and internal switching of the receiver. To ensure a large  $SNR$  for good performance, the receiver resolution needs to be much better than the signal amplitude. In addition to limiting the minimum signal amplitude, a poor resolution can reduce the timing margin. Figure 2.13 shows that the portion of the bit-width with small signal amplitude cannot be resolved because of finite resolution.

### Receiver implementations

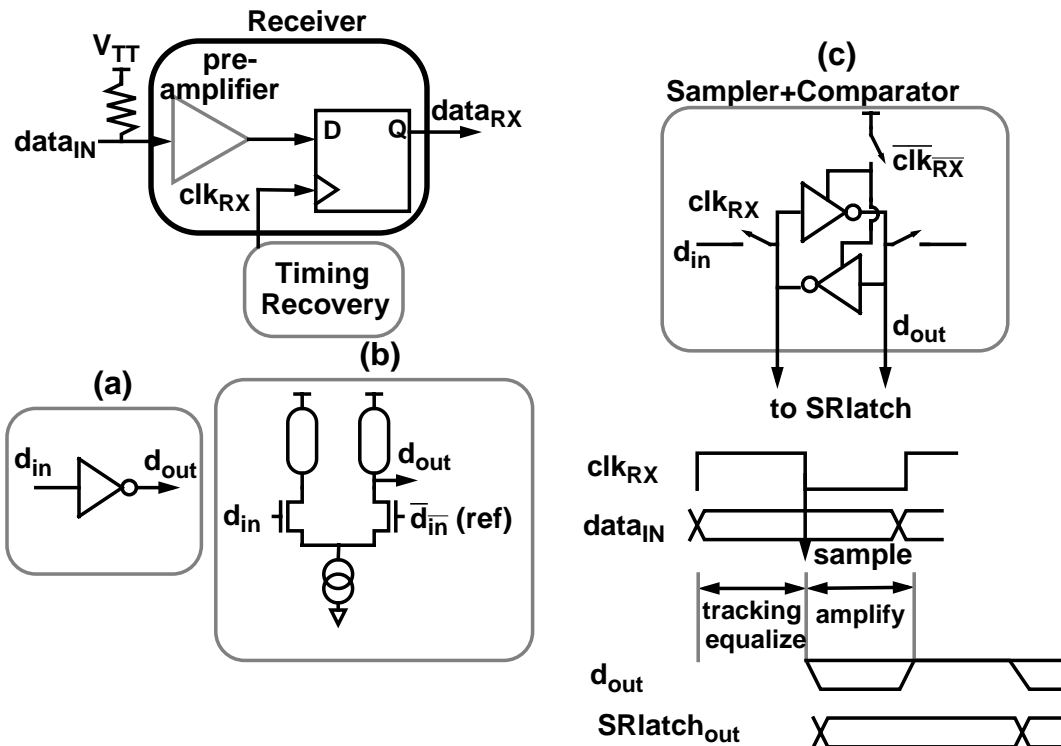
A simple receiver design is to use an inverter (or a sequence of inverters) as the amplifier followed by a CMOS latch or flip-flop as the sampling element. Figure 2.14-(a)



**Figure 2.13:** Effect of finite input sensitivity and noise on the timing margin

illustrates a block diagram of the receiver. The input voltage is compared with the inverter threshold to determine the data value. If the value is greater or less than this reference, the sampled value is a digital *ONE* or *ZERO*, respectively. The bandwidth of the receiver is limited by the bandwidth of an inverter. There are several problems with this design. There is a static voltage offset because the inverter's logical threshold is sensitive to process technology variations. Also, since this threshold is not derived from the signal's return path, noise (i.e. power supply noise or switching noise of other signals) coupled onto the signal is not tracked by the threshold, introducing noise on the signal.

To improve the input resolution and reduce the noise introduced by on-chip sources, differential receivers are often used ([86], [23], and [25]) as shown in Figure 2.14-(b). The inputs can be either truly differential, or pseudo-differential using a reference voltage as the second input. In a truly differential system, the reference is embedded in the signalling so the comparison is between the signal and its complement. Even in single-ended systems, because most on-chip supply and switching noise couples onto both inputs, the error appears as common-mode noise which is rejected by the common-mode rejection of the differential structure.



**Figure 2.14:** Receiver block diagram, timing diagram, and design examples: (a) inverter, (b) differential pair, (c) latch



The primary resolution limitation of this circuit is the mismatches between the differential input transistors ( $V_T$  or  $K_P$  of devices as discussed by Pelgrom in [76] and Mizuno in [69]) which can cause an input-offset voltage. This offset voltage can limit the input resolution to tens of millivolts.<sup>1</sup> As discussed in Section 2.2.1, this offset impacts the performance of the link by reducing the effective signal amplitude. For an optical link, Hu in [39] improves on the voltage resolution of receivers to roughly 6mV by using an input offset-cancellation scheme that stores the offset voltage on capacitors and uses the stored voltage to subtract the offset from the input amplifiers. The bandwidth of this type of receiver is the bandwidth of the differential amplifier. For a gain of 4 per stage, the bit-time is limited to roughly 4 FO-4 for less than 10% ISI. Multiple stages are often used for sufficient gain as shown in [39].

An alternative receiver design, used in this dissertation, is to use a very sensitive comparator following an analog sampling instead of amplifying prior to the sampling. These receivers operate with two phases of operation. In the first phase, the sampler tracks the input while the amplifier equalizes its outputs. In the second phase, the sampler holds the last input voltage while the comparator amplifies and resolves.<sup>2</sup> A similar variant combines the sampling and comparing by using a comparator switched by the clock signal ([28] and [40]). An example of this method is shown in Figure 2.14-(c) along with the timing diagram of its operation. To regenerate the signal, the comparator uses positive feedback where the voltage gain is exponentially related to the time given to amplify. Therefore, since the comparator is equalized prior to amplifying, a higher bit-rate does not cause ISI. Typically, an SR-latch follows the comparator to remove the equalization phase from the signal presented to the logic.

One disadvantage of the sampling technique is that it introduces sampling noise,  $kT/C$ . This is in addition to the thermal noise of the termination resistor and of the CMOS devices,  $\alpha 4kTf/g_m$  (where  $\alpha$  is an adjustment factor). Fortunately, these noise magnitudes

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1. The amount of device mismatch depends on the device size [76] and increases with scaling.
  2. Often three phases are used where the sampler performs sample, hold, and track, while the comparator, performs offset cancellation, amplification, and reset.

are typically less than a few hundred microvolts even for several gigahertz bandwidths, and are not a significant factor for electrical systems with large voltage swings.

Similar to the prior topology, the switched comparator still has an input-offset voltage due to  $V_T$  and  $K_P$  mismatches. The offset voltage can be cancelled in a similar manner as that of the differential pair.<sup>1</sup> In order to guarantee sufficient voltage swing at the output of the comparator, the bit-time is limited by the sum of the regeneration time and the equalization time. The minimum time to amplify a small input (of several tens of millivolts) is the time required for the positive feedback to regenerate to the desired voltage swing for the following stage. For small input voltage swing, high gain (as high as 100 in a design by Hu [39]) may be necessary to convert the input waveform into digital values. To resolve an input difference of 10mV, a regeneration time of 3 FO-4 is often necessary. Since a typical comparator amplifies for a half cycle and equalizes the second half cycle, the bit-time is roughly 6 FO-4. Notice that because of the equalization phase, the actual cycle-time of this type of receiver is not better than the bit-time limitation of cascaded differential amplifiers. However, as will be demonstrated in the next section, the cycle-time of the comparator can be decoupled from the sampling rate of the input allowing higher data rates without increasing the cycle-time of the comparator.

Interestingly, the bit-time limit of the sampler+comparator receiver is similar to the transmitter bit-time limit due to the minimum clock rate. As long as receiver timing errors do not significantly reduce the timing margin, 6 FO-4 is the bit-time limit for this simple architecture.

### 2.3.4 Timing recovery

For maximum timing margin, the receiver should sample the bits in the middle of the data eye. The performance of the link is affected by how well the clock edge is positioned with respect to the incoming data stream. This clock position must be determined from the phase and frequency of incoming data by the timing recovery circuit. The first part of this section illustrates how the timing information is propagated from the transmitter to the

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1. As will be discussed in Chapter 3, the design in this dissertation attempts to maintain a low offset but does not actively cancel the offset because the resolution of tens of millivolts that these circuits achieve is sufficient for chip-to-chip links with large signal amplitude.

receiver. The second part describes two different approaches to timing recovery. The first and most common is a phase-locked loop (PLL) which uses a feedback loop to detect and adjust the sampling clock position. The second is oversampled phase-picking which chooses the correct data from an oversampling of the input stream. Trade-offs and comparison between the two architectures will be explored in a Chapter 4. The section concludes by discussing timing errors in a simple link.

### ***Synchronization between transmitter and receiver***

The timing relationship between the transmitter and receiver depends on the system design. Many smaller systems derive the clock for all components from a single clock source (crystal oscillator). While the frequency is the same, the phases of the clocks are not the same (known as a mesochronous system in [68]). For many serial links (typically for larger systems), the transmitter and receiver have separate clock sources that have "nominally" but not exactly the same frequency (known as a plesiochronous system in [68]). In this case, the receiving system must not only acquire bit timing but also additional byte synchronization to handle the frequency offsets. The latter task, although important, is not addressed as part of the timing recovery. (Section 4.4 will describe how the frequency offset is handled in the specific design of this dissertation.) The timing recovery focuses on the proper positioning of the sampling clock in a bit based on phase information in the data.

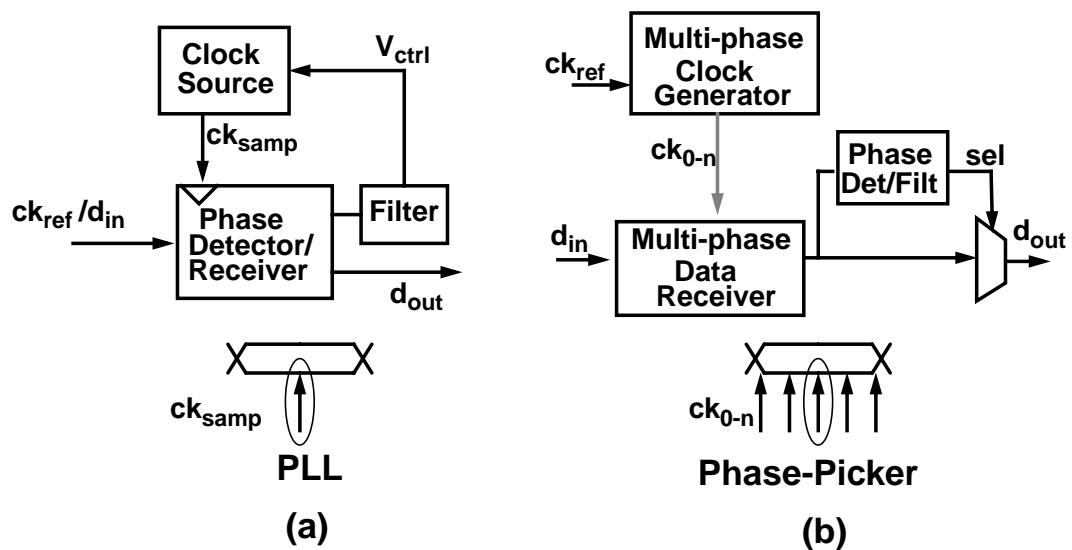
In order for the receiver to recover the phase information from the transmitted data, the information must be communicated from the transmitter to the receiver. For links that have multiple interconnections (parallel links), source-synchronous clocking is typically used where the transmitter clock,  $clk_{TX}$ , is transmitted on a parallel connection with a delay properly matched with the data to maintain the timing relationship of  $clk_{REF}$  with  $data_{TX}$  ([49], [51], [68], and [86]). The timing relationship is shown in the timing diagram at the bottom of Figure 2.10. This type of connection is typically used when the cost of the channel and the pins is small so that the multiple interconnections can be afforded. In contrast, when the cost of the signalling medium is high due to the distance or the necessary bandwidth, serial connections are used which embed or encode the phase information in the signal. The phase information is guaranteed typically by encoding data transitions in the signal stream. For very high data rates, the matching of an external clock

connection with the data is difficult so this dissertation focuses on recovering the timing from the data.

### *Timing-recovery architectures*

Two primary types of timing-recovery architectures have previously been used in links. The most prevalent is the data-recovery PLL ([43] and [82]) as illustrated in Figure 2.15-(a). The loop servos the internal phase by adjusting the frequency of the voltage-controlled oscillator (VCO) with  $V_{ctrl}$  until the frequency matches that of an external reference. A phase detector detects the phase difference between the sampling clock and the external reference signal, and adjusts the VCO control voltage. A phase detector generally drives a charge pump which converts the phase difference into a charge. A filtered version of this charge becomes the VCO control voltage.

The second timing-recovery scheme is oversampled phase-picking ([66] and [10]) as illustrated in Figure 2.15-(b). The data stream is sampled at multiple phase positions per bit creating an oversampled representation of the data stream. Transitions in the data can be extracted from the samples. Based on the data transitions, the sample position nearest the center can be chosen as the data bit. Because the data chosen is determined by a digital algorithm, other algorithms besides picking the correct sampling phase are possible including majority voting [55]. This oversampled scheme is very different from a PLL



**Figure 2.15:** Common timing recovery architectures

because it contains no inherent feedback. The need to oversample the data has made this approach more common in lower-speed links.

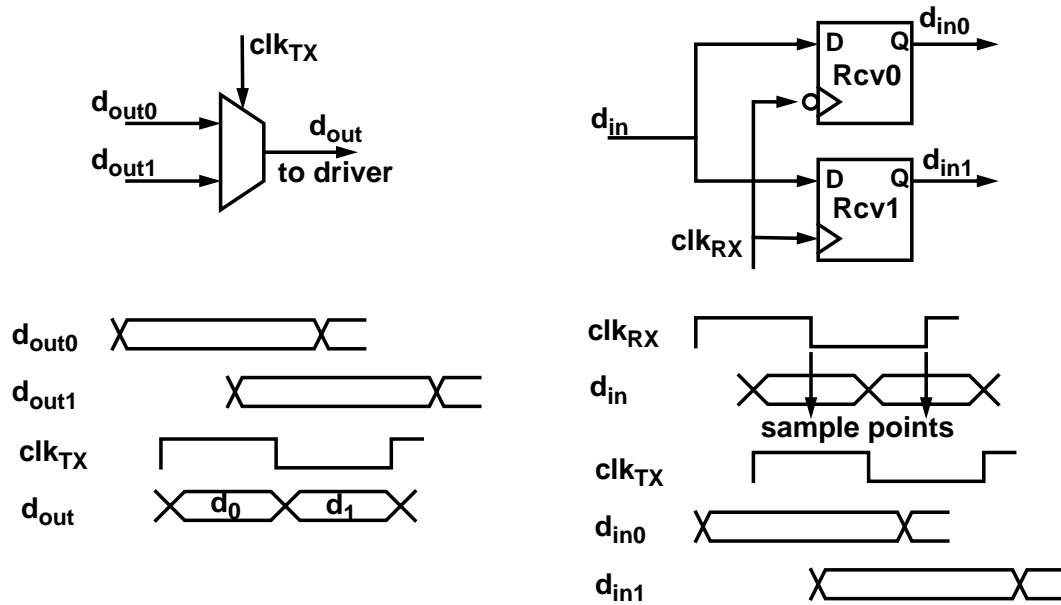
### ***Timing errors in a PLL***

To maintain good timing margin, both static and dynamic phase errors must be minimized. Ideally, a PLL maintains zero static phase error by servoing the phase based on the phase detector and charge pump output. However, static phase errors are introduced by mismatches in these loop elements. For example, a phase detector could detect the phase difference by aligning the transitions of data with the rising edge of the clock and then sample the data with the falling edge. One possible cause of static phase offset would be if the duty-cycle of the clock is not 50%, causing the falling edge to not sample at the middle of the data eye. Errors in the charge pump also introduce phase offsets. For example, a mismatch in the charge pump could result in non-zero net charge when phases are aligned causing the control voltage of the VCO to change; a phase offset would result to compensate. Careful designs correct for these errors with active feedback as shown by Maneatis in [63] who demonstrated a static phase offset of roughly 25ps.

Dynamic phase error also poses a significant penalty on the timing margin. The error is often introduced by the jitter in the VCO of the PLL. Although there is a small thermal noise component to jitter, jitter depends primarily on the sensitivity of these elements to on-chip noise. Since links often reside on chips that have significant digital switching, supply noise causes delay variation in ring-oscillator elements and clock buffers.<sup>1</sup> The timing-recovery circuit allows the sampling clock to track some of the phase movements of the reference which reduces the timing error. The finite bandwidth of the loop limits this tracking. The magnitude of the resulting jitter depends on the amount of supply noise and whether the supply noise can be tracked or rejected. Designers of PLLs have demonstrated peak-to-peak jitter of less than 1 FO-4 delay ([104], [56] and [64]) even in noisy environments. Consequently, the effective timing margin can be as large as 2

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1. The jitter accumulates in an oscillator. A common variation for systems where clock and data are the same frequency is to use a voltage-controlled delay-line (VCDL) instead of a VCO [47] to avoid the accumulation.



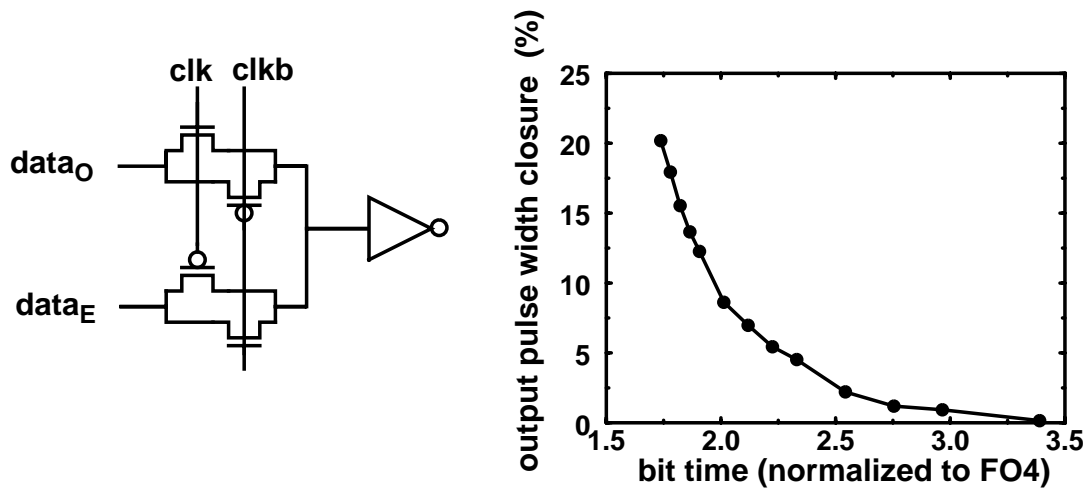
**Figure 2.16:** Block diagram of architecture with 2x parallelism on the transmitter and receiver.

FO-4 delays accounting for both the transmitter and receiver clocks. For simple-links with bit-times of 6 FO-4, very low bit-error rates can be achieved.

## 2.4 Employing Parallelism

Since the maximum clock speed on a chip is limited, high data-rate systems transmit more than one bit per clock cycle. In the simplest (and most common) system, the transmitter multiplexes two bits in each cycle, one on each edge of the clock. The receiver in such a system demultiplexes the serial stream prior to the digital processing so that the digital logic can operate at a lower rate than the off-chip bandwidth (e.g. [51]). Figure 2.16 shows the basic block diagram for the transmitter and receiver in such a system. This section describes the design and issues with the transmitter, receiver, and timing-recovery circuit.

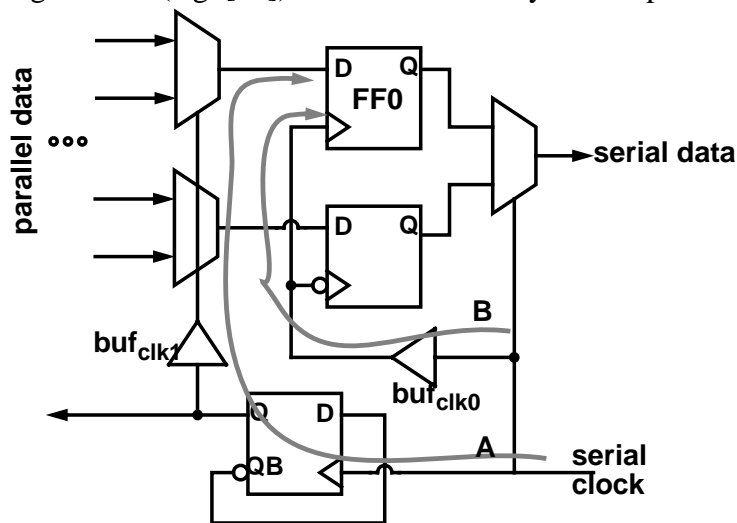
The transmitter diagram shows a 2:1 multiplexer that switches  $data_{out0}$  when clock is *HIGH* and  $data_{out1}$  when the clock is *LOW*. Since two bits are transmitted per clock cycle, for the practical clock period of 8 FO-4 from Section 2.3.2, the bit-time is halved to 4 FO-4. Note that even when the bit-time is halved, the bandwidth of the multiplexer is not the data-rate limit. Figure 2.17 illustrates the data-eye reduction of a 2:1 multiplexer output while driven by a FO-2 clock buffer chain versus varying bit-times. The minimum



**Figure 2.17:** 2:1 multiplexer pulse width distortion versus bit-time

bit-time with 10% reduction in width is roughly 2 FO-4 (corresponding to a clock period of 4 FO-4).

However, reducing the bit-time to push the multiplexer limit of 2 FO-4 (clock period of 4 FO-4) is not only inefficient for the clock buffering but also difficult to implement. Even if a low fan-out clock buffer is used, since on-chip clock period for data processing and digital logic is often greater than 8 FO-4, additional levels of multiplexing are necessary to serialize the parallel data from the lower rate to the data rate. The synchronization of the additional levels imposes timing constraints that can limit the cycle time. For example, a technique often used in bipolar serializers is a tree of 2:1 multiplexers as illustrated in Figure 2.18 (e.g. [53]) which was recently also implemented in CMOS by



**Figure 2.18:** Tree type multiplexing using 2:1 multiplexing (showing a 4:1 multiplexer)

Nakamura [73]. The clock frequency for each stage of multiplexing, as the data is merged from left to right, is multiplied by two. Conversely, the clock, *serial clock*, is divided by two at every stage from right to left. The delay difference between paths *A* and *B* (shown in the grey arrows) must be less than a half cycle; otherwise, the setup time of the flip flop, *FF0*, is violated. The timing constraint can be expressed as

$$t_{ck2Q} + t_{dmux} + \Delta t_{ckbuf} + t_{setup} < t_{cycle}/2 \quad [2.7]$$

where  $t_{ck2Q}$  is the delay through the divide-by-two flip-flop,  $t_{dmux}$  is the delay through the multiplexer,  $\Delta t_{ckbuf}$  is the difference in delay through the clock buffer chains that drive the multiplexers and flip-flops, and  $t_{cycle}$  is the clock cycle time. Even by using flip-flops that have a short  $t_{ck2Q}$  delay, the total delay of the left-hand side of Equation 2.7 is greater than 3 FO-4, which results in a cycle-time of 6 FO-4 (similar to the limitation of the multiplexer driven by FO-4 clocks). Note that it is possible to purposely delay path *B* to reduce the constraint, but the additional buffering delay would introduce undesirable clock jitter.

As in the transmitter, demultiplexing can reduce the on-chip data rate of the receiver. Two latches are connected to the input, and form a simple 1:2 demultiplexer that captures the data stream on both edges of the clock, as illustrated in Figure 2.16. For example, Enam in [25] performs the demultiplexing after the pre-amplifier and Donnelly in [23] ping-pongs the sampling between two samplers. As mentioned in the previous section, a well designed sampler+comparator would have a cycle-time of roughly 6 FO-4. This results in a minimum bit-time of 3 FO-4. As in the transmitter, if the on-chip clock period is longer than 6 FO-4, the received data can be further demultiplexed to reduce the data rate to a more manageable on-chip cycle-time. A common implementation uses a tree of 1:2 demultiplexers with a clock division at each stage ([73] and [74]). Although multiple-levels of demultiplexing allows the down-stream processing to occur at a lower clock speed, the bandwidth of the first 1:2 demultiplexer would still limit the bit-rate.

For the parallel structure, the timing recovery becomes more challenging. Instead of aligning one of the clock edges to the data transition, the clock edge must be aligned to the middle of the data bit, which corresponds to a 90° lock as shown in the receiver timing



diagram of Figure 2.16. Enam in [25] multiplies the clock frequency by two and then apply the techniques in a simple non-demultiplexed link to avoid the problem but the performance of the higher frequency clock will limit the system performance. For better performance many systems either use a quadrature phase detector [32] or oversamples the data. These techniques will be discussed in more detail in Chapter 4.

The same difficulties as in the simple link still apply in maintaining small static and dynamic phase errors. Since the data rate is now twice the clock rate, the impact of jitter is doubled as a percentage of the bit-time. In addition, since both rising and falling edges of the clock are used to transmit data, a duty-cycle error can further affect performance. A transmitter clock with duty-cycle error causes unequal bit-widths for the odd and even data bits. With duty-cycle error in the receiver clock, both receivers can not simultaneously sample at the middle of the data eye for both edges causing a static phase offset for one or both data bits. Links that uses the 2:1 parallelism (e.g. [23]) have maintained low bit-error rates by using low-jitter timing-recovery circuits and additional circuits that perform duty-cycle correction.

## 2.5 Summary

This chapter discussed the basic metrics of link performance, the data rate and the bit-error rate. A normalization metric, fan-out-of-four delay, is introduced to represent the data bit-time in a process-technology independent metric to simplify future discussions. The bit-error rate is related to the amount of signal and noise in the system. A link's design goal is to maintain sufficient voltage margin for the signal to be resolved and timing margin for the sampling clock to reliably sample the data. Sources of errors from each of the link components, the channel, the transmitter, and the receiver of a simple link design that corrupt both these margins have been discussed. The discussion shows that the maximum rate of the basic-link example has a practical limit set by the on-chip clock period of roughly 6 FO-4 limited by the bandwidth of the clock buffer chain. To further extend the data rate, designers employ parallelism with 2:1 multiplexing at the transmitter and 1:2 demultiplexing at the receiver. This low-degree parallelism improves the bit-time

to roughly 3 FO-4. At this point, more issues emerge such as the bandwidth of the multiplexer and the minimum cycle time of the receiver as bandwidth-limiting factors.

A natural extension to further reduce the bit-time is to increase the degree of parallelism. The following chapter describes transmitter and receiver architecture with bit-time of 1 FO-4. The limitations of the multiplexer and the maximum sampling rate are examined. At the higher data rates, the noise sources have a more severe impact on performance. Specifically, the timing errors discussed in Section 2.3.4 become a major concern and are discussed in Chapter 4.



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## Chapter 3

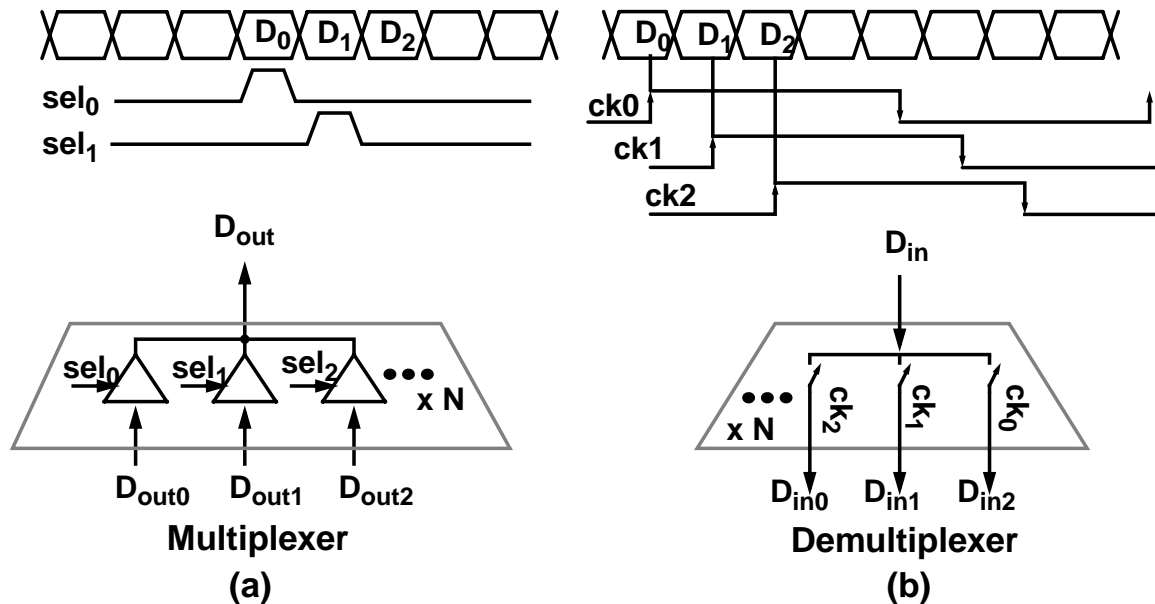
# Parallelized I/O Circuits

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In Chapter 2, simple parallelism improved the off-chip data rate by a factor of two without increasing the on-chip clock frequency. Further speed-up with bit-times smaller than 3 or 4 FO-4 would encounter a limit due to the minimum cycle-time of the clock buffers, synchronization flip-flops, and sampler+comparator. An alternative, suggested at the conclusion of the previous chapter, is to use a higher degree of parallelism. By using an N:1 multiplexer and 1:N demultiplexer for the transmitter and receiver (see Figure 3.1), the on-chip clock rate can be reduced to 1/N of the data rate. The on-chip frequency and the comparator cycle-time no longer limit the data rate.

In the transmitter, a larger fan-in multiplexer can be used with each input selected with appropriately timed pulses ([41] and [50]). However, a higher fan-in multiplexer can be bandwidth limited by the high capacitance of the multiplexing node. The first section of this chapter addresses how such a transmitter can improve the bit-time despite the higher capacitance.

To apply parallelism in the receiver, multiple clock phases are used with a different phase for each sampler+comparator, as shown in Figure 3.1-(b). Each phase of the lower frequency clock samples a different data bit. Section 3.2 explores the factors that limit the sampling bandwidth. Issues in the design of a receiver with good voltage resolution are also discussed.



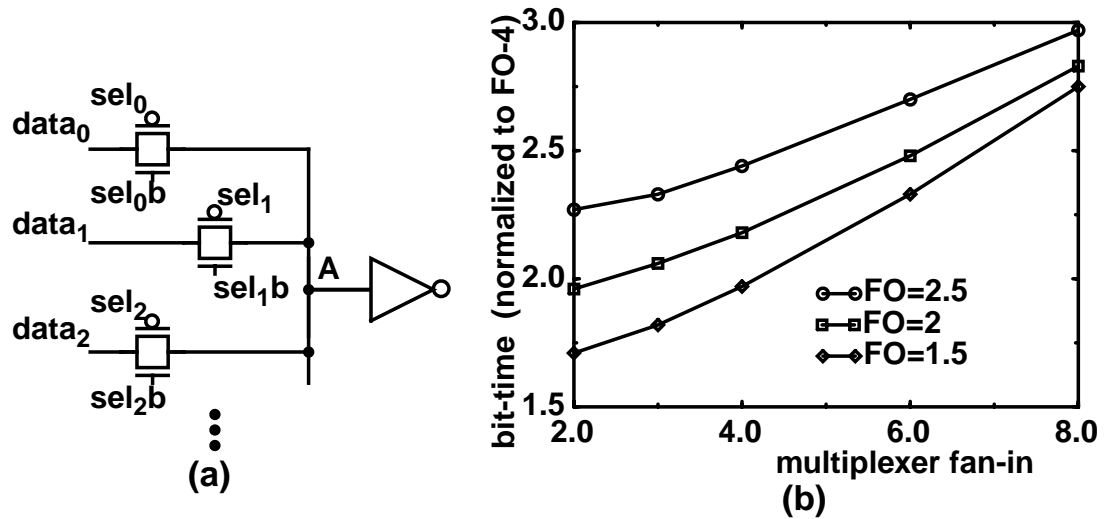
**Figure 3.1:** Higher order multiplexing, (a), and demultiplexing, (b)

Clearly, the timing of the select pulses for the transmitter and the clock edges for receiver are critical to properly transmitting and receiving the data bit. In this chapter, perfectly spaced clock phases are assumed to be supplied by a multiple clock phase generator. The actual impact of non-ideal multiple clocks phases will be discussed in Chapter 4.

### 3.1 Transmitter Design

Using a larger fan-in multiplexer to improve data rate is difficult. Even though the higher fan-in allows greater parallelism, two performance limitations must be addressed: the multiplexer output has greater capacitance which limits its bandwidth, and the select signals need to be short pulses with pulse-width on the order of one bit-time.

The effect of a large fan-in,  $N:1$  multiplexer with similar design as the  $2:1$  multiplexer shown in Section 2.4 is illustrated in Figure 3.2-(a). In addition to the inverter load, the multiplexing node,  $A$ , is loaded with the capacitance of the switches which grows with the fan-in. One source of bandwidth limitation stems from the switch resistance and the self-loading capacitance that form an effective RC filter. Increasing fan-in increases



**Figure 3.2:** N:1 multiplexer and its output bit-width reduction with decreasing bit-width.

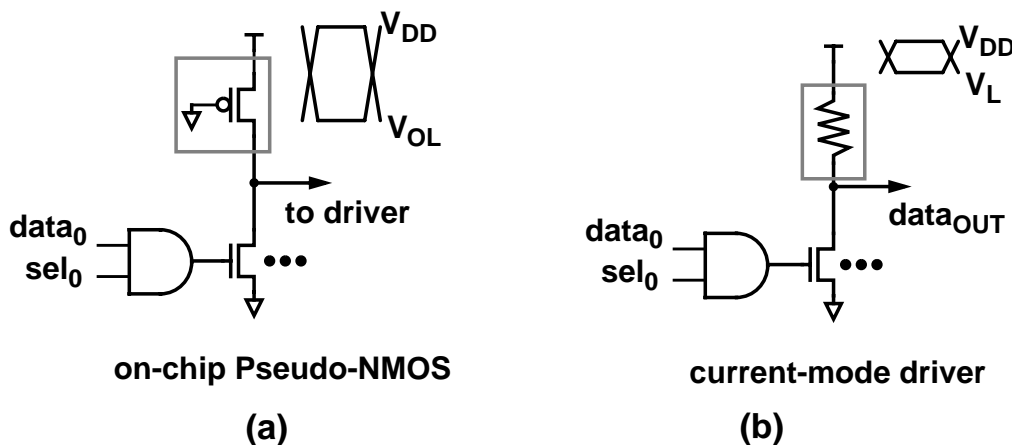
capacitance which lowers the bandwidth. At the same time, a larger fan-in allows higher number of data bits per clock period hence increasing the potential data rate. When the data rate exceeds the multiplexer bandwidth, the inter-symbol interference impairs the data signal. Because the capacitance of the switch is directly proportional to the switch size, increasing the transistor size to reduce the switch resistance does not reduce the switch's intrinsic RC time-constant. Figure 3.2-(b) graphs the minimum bit-time measured in FO-4 delays for increasing fan-in while maintaining an output pulse-width reduction to of less than 10%. The different curves plot different slew rates for the switch's select signal (in terms of the fan-out of the signal's driver). When the fan-in is increased from two to eight, the minimum bit-time (in the lowest curve) increases from 1.75 FO-4 to 2.75 FO-4. Notice that, with high fan-in, the minimum bit-time is limited by the switch's RC time constant; and with low fan-in, the minimum bit-time is limited by the minimum pulse that can be propagated by the buffer chain of the select signal. As the fan-out of the select signal's buffer chain increases, so does the minimum bit-time, especially when the multiplexer has low fan-in. The following two sections discuss an architecture that reduces the impact of the RC limit and extends the pulse-width limit. The implementation of this architecture follows in Section 3.1.3. Finally, the scalability of this architecture with process technology is addressed in Section 3.1.4.

### 3.1.1 Intrinsic RC limitation

Section 3.1.2 addresses the problem caused by very short select pulses; this section shows how moving the multiplexer to the output pin improves its performance. For the moment, assume that the pulse width of the select signals does not limit the data rate.

To reduce the time constant, a multiplexing structure needs a low output resistance and capacitance. The lowest resistance in the system is often the output node, which is either the impedance of the line,  $Z_o$  (usually  $50\Omega$ ), or  $Z_o/2$  if the line is terminated at the source. Since this is much lower than the resistance of a normal switch, multiplexing at the output can be much faster than a normal pass-transistor multiplexer. There are several ways to see why this approach is faster, and the easiest is to look at the RC time constant. Before the line impedance is added, the output will swing near full rail, and the time constant will be set by the switch resistance,  $R_{switch}$ , and node capacitance. When the termination is added, the signal swing decreases by roughly  $R_{switch}/R_{term}$  and the RC time constant decreases by the same amount.

Instead of a pass-transistor multiplexer, a faster multiplexer is chosen for the comparison. The on-chip multiplexer chosen is a multi-input pseudo-NMOS NOR with the inputs NAND-ed with the select signal as illustrated in Figure 3.3-(a). Because it uses only NMOS switches, this is one of the fastest multiplexers that can be built because of the low output capacitance. In order for the multiplexer output to be near full swing, the



**Figure 3.3:** (a) Pseudo-NMOS on-chip multiplexing pre-driver, and (b) current-mode multiplexing output driver.

NMOS switch must pull the output voltage to be lower than  $V_T$ , which means that the switch resistance must be ratioed lower than the load resistance.

If the multiplexing is performed at the output, the same output structure behaves as a current-mode driver, shown in Figure 3.3-(b). As long as the NMOS transistors stay in saturation, the devices appear as high-impedance current sources. The output resistance is dominated by the impedance of the channel, and the output capacitance is dominated by the output-device parasitics. This capacitance depends on the device size which in turn depends on the output current.

With a current-mode driver, a reasonable swing of 500mV would require 20mA of output current in a doubly terminated ( $25\text{-}\Omega$ ) environment. Reasonably process independent metrics can be used to estimate the necessary device size and capacitance to drive such current. NMOS transistors have source and drain capacitance of roughly  $2\text{fF}/\mu\text{m}$  of transistor width and have a saturation current,  $I_{DSAT}$ , of roughly  $400\mu\text{A}/\mu\text{m}$  of transistor width<sup>1</sup>. Using these metrics, the drain capacitance of the output transistor ( $C_D$ ), in a  $0.5\text{-}\mu\text{m}$  process technology, is roughly 100fF for each NMOS switched current source to switch the 20-mA current. For a fair comparison of the data rate with an on-chip multiplexer, assume that the pseudo-NMOS multiplexer drives a comparable output resistance. The NMOS switch must then be considerably larger to drive the output fully *LOW*. The switch resistance must be less than 1/3 the load resistance for an output low voltage less than  $V_T$ . For a 3.3-V supply, the voltage swing is  $5x^2$  larger than that of the current-mode driver, and the capacitance per switch is roughly  $4*C_D$  per transistor resulting in a 4x reduction in data rate.

The minimum bit-time of the current-mode multiplexing (based on the 2RC estimate from Section 2.4) is roughly

$$NC_D Z_o \text{ seconds} \quad [3.1]$$

- 
1. The  $I_{DSAT}$  metric assumes idealized scaling of supply voltage and threshold voltage. The technology related numbers roughly corresponds to all three of the processes used in this research are within 25% error.
  2. Because a PMOS is used as the pull up resistance, the resistance depends on the output voltage. The switch size does not need to be 5x larger for a 5x increase in voltage swing.



where  $N$  is the fan-in (or the number of  $C_D$ ) and the output impedance is  $Z_o/2$ . However, capacitance in addition to  $C_D$  that are present at the output will increase this minimum bit-time. The two primary sources are the capacitance associated with the load resistor and parasitic capacitance at the output pad.

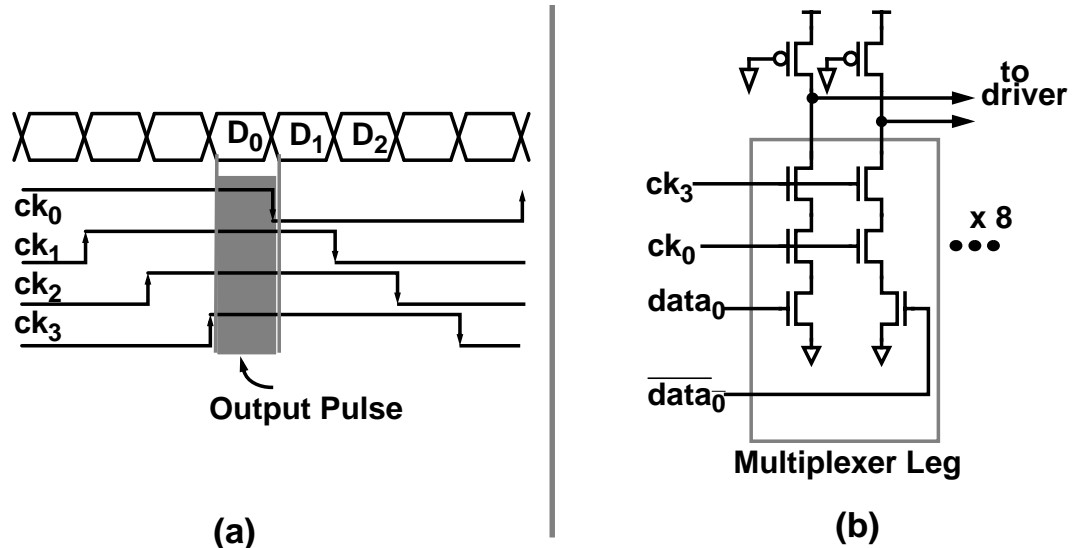
The capacitance of the load device depends on the implementation. In some process technologies, an accurate resistor layer with low capacitance is available so the extra capacitance can be reduced. Otherwise, a PMOS transistor, biased in its linear region, can be used instead of the resistor<sup>1</sup>, as shown in Figure 3.3-(a), which is typical of a pseudo-NMOS logic circuit. The device size required for a 50- $\Omega$  PMOS resistor contributes roughly  $3 \cdot C_D$  of output capacitance, or roughly 300fF in the 0.5- $\mu\text{m}$  process technology. The bit-time penalty due to this capacitance depends on the fan-in of the multiplexer. With large fan-ins such as eight, the penalty is amortized to increase the bit-time by only 35%.

Parasitic capacitances further increase the minimum bit-time. These parasitics such as the on-chip bonding-pad capacitance, ESD device capacitance, and package-related capacitance are non-device-related and introduce a fixed penalty that is not dependent on  $C_D$ . By using smaller, rounded bonding pads, eliminating the ESD device, and using good packaging, these capacitances can be as small as 250fF. This added capacitance has only modest impact for a multiplexer with high fan-in. For example, the parasitic capacitance is less than 25% of the total capacitance for an 8:1 multiplexer.<sup>2</sup>

To summarize, the minimum bit-time when considering the additional capacitances is roughly

$$[(N+3)C_D + C_{pad}]Z_o \text{ sec} \quad [3.2]$$

- 
1. Alternative termination schemes can lower the output capacitance. If the signal output is differential, differential termination between the outputs can be used allowing the resistance to be 100 $\Omega$ . If an inaccurate resistor layer is available, a linear PMOS device can be placed in parallel so that the device does not need to be large to adjust the resistance.
  2. Note that even if the first scenario applies, since the output driver is capable of higher data bandwidth in the absence of the additional capacitance, techniques to extend the bandwidth exist. Since the bandwidth limitation of the capacitance appears as a filter, the transmitter can pre-distort the transmitted signal to equalize the filter [89]. Ultimately, the data rate is limited by the inherent device-related capacitance of the output driver.



**Figure 3.4:** Multiplexing using overlapping pulses. The clock timing diagram is shown in (a) and the schematic is shown in (b). [55]

where  $C_{pad}$  is 250fF. The bit-time limitation can be rewritten based on a FO-4 metric  $(N+3+C_{pad}/C_D)/50$  FO-4 delay where  $1/50$  is roughly  $C_D Z_o$  normalized by the FO-4 delay. Note that the scalable metric is applicable only if  $C_D$  scales with technology and if the non-technology related parasitic capacitances are small at the output. These issues are discussed when the scaling of the transmitter is considered in Section 3.1.4.

### 3.1.2 Minimum select pulse-width limitation

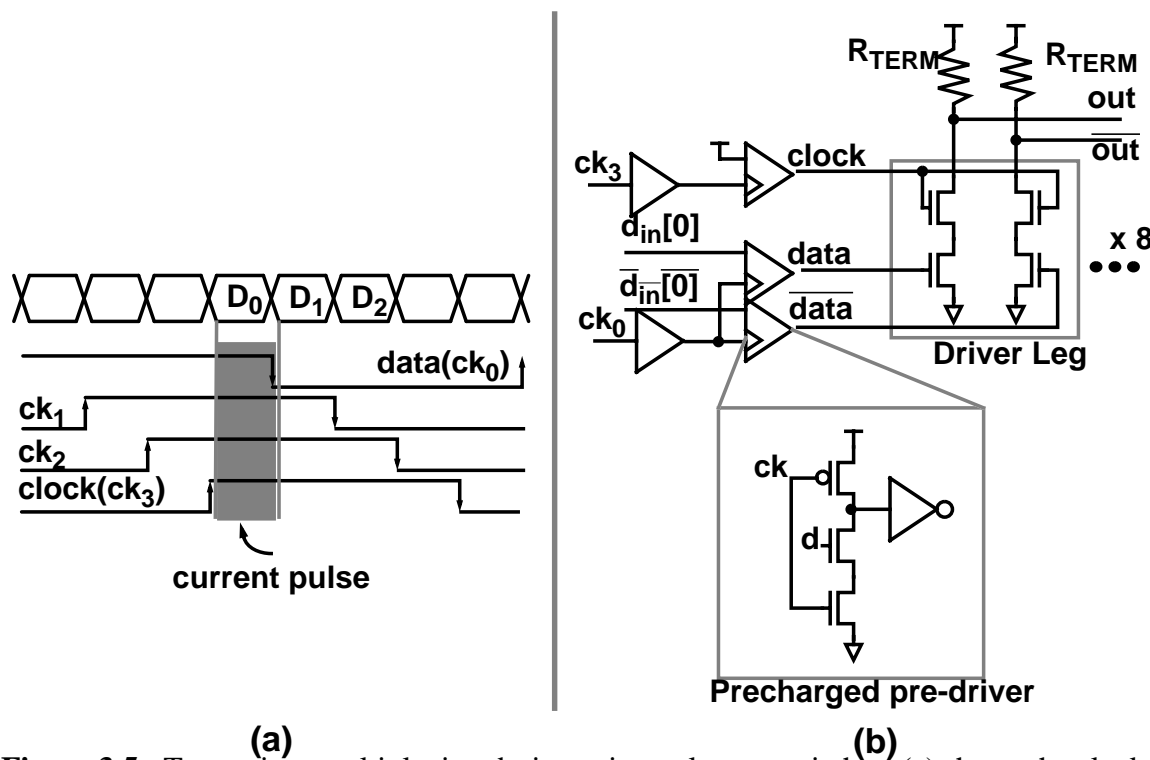
With the smaller bit-times from the output multiplexer, the second limitation of the transmitter multiplexer — the minimum pulse width of the select signals — becomes more significant. As shown in Section 2.4, on-chip pulse widths are limited by the inherent bandwidth limitation of the logic gates and their fan-out. Generating pulses less than 1.5 FO-4 is very difficult. To overcome this limitation, the output driver merges the pulse generation into the driver.

The design by Kim et al. [55] uses an architecture in the pre-driver with three switches as illustrated in Figure 3.4-(b). The top two switches are driven by different phases of clock tapped from a ring oscillator,  $ck_0$  and  $ck_3$ . As shown in Figure 3.4-(a), signal  $ck_3$  is one ring-oscillator tap earlier than the complement of  $ck_0$ . The final switch is driven by the data,  $data_0$ . If the data,  $data_0$ , is *HIGH*, a current pulse of width equalling the overlap of the two clock phases is formed. The structure is duplicated with the switches driven by the appropriate clock phases allowing the current pulses to occur in sequence.

However, by multiplexing on-chip, the minimum pulse problem is still present, this time at the output of the multiplexer gate.

Two modifications are made to improve this circuit. First, the multiplexer is moved to the output so that the narrow pulses are not required on-chip. Second, each transistor stack is reduced to two transistors and have the bottom switch driven by a *data* signal that is qualified in the previous buffer stage with a clock phase,  $ck_0$ , as shown in Figure 3.5-(a) and -(b). The data,  $d$ , is qualified by a precharged (dynamic) inverter so that data is evaluated only when clock,  $phi$ , is *HIGH*. During the other half-cycle, both  $data$  and  $\overline{data}$  are precharged low. In operation, one of the two inputs,  $data$  or  $\overline{data}$ , rises as the precharge is released, discharging the internal node of the series stack. When the clock input rises, current for the bit flows through the series stack until the data input falls with the precharge of the pre-driver. This process repeats eight times with each of the eight driver legs to perform the multiplexing.

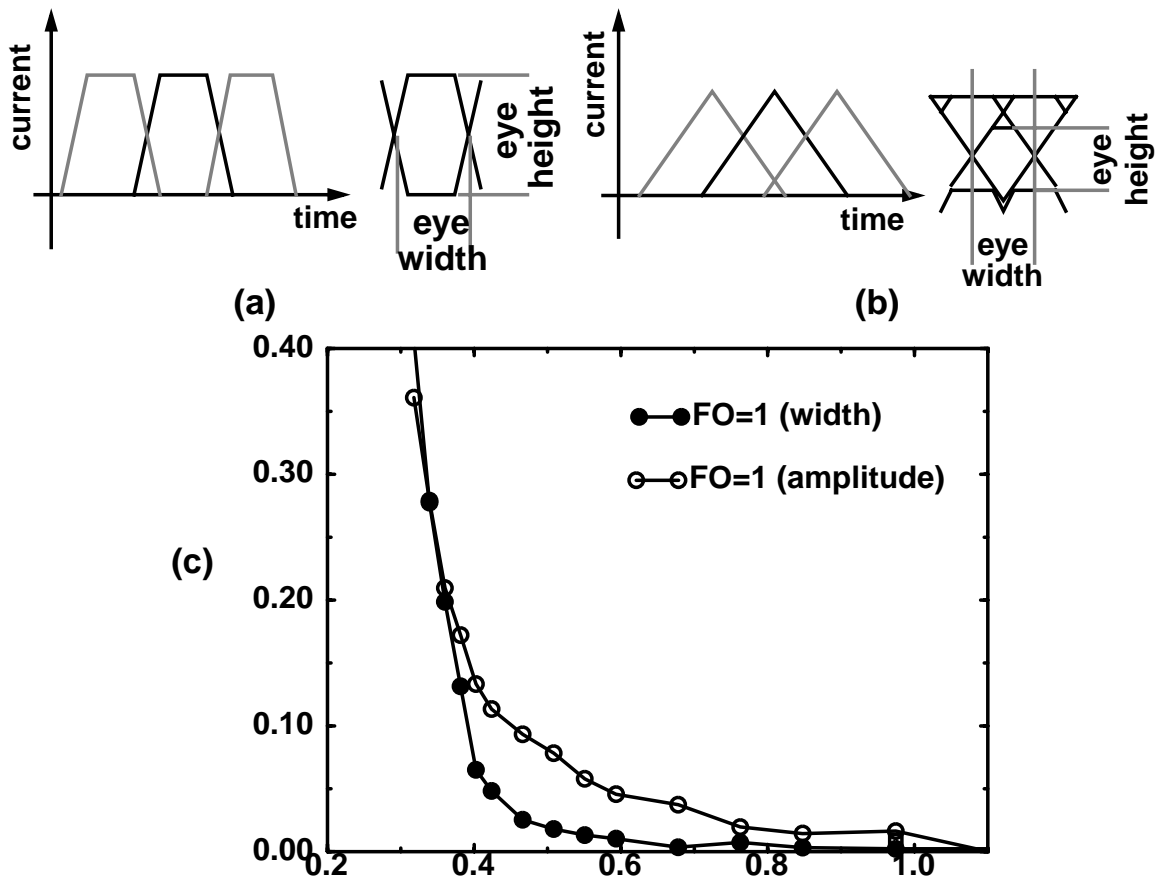
Compared to the circuit(s) of Section 3.1.1, the devices in series would need to be larger than the single device to drive the same current. Due to velocity saturation in short-



**Figure 3.5:** Transmitter multiplexing design using only two switches. (a) shows the clock waveforms and (b) shows the schematics.

channel devices, the increase in size is roughly 1.5x. This larger width may not be a penalty because output drivers sometimes require longer channel lengths for protection from electro-static discharge (ESD); the series stacked transistors potentially serve as the longer channel length depending on the design rules.

Although by using overlapping signals the minimum bit-time is not limited by the minimum on-chip pulse width, inter-symbol interference still occurs when the overlap is smaller than the slew rate of the pre-driver signal. Figure 3.6 shows the effect on data eye as the overlap increases. In Figure 3.6, the top diagrams shows the current pulses and the resulting eye for *data* and  $\overline{data}$ . Figure 3.6-(a) illustrates the case when no ISI occurs. As the bit-time decreases, in Figure 3.6-(b), the current pulse extends into the neighboring bits and never reaches its peak value before being switched off by the falling transition. At the same time, the current is not zero when the following pulse, depicted in grey, is at its peak value, further increasing the maximum signal swing. Both these factors reduce the



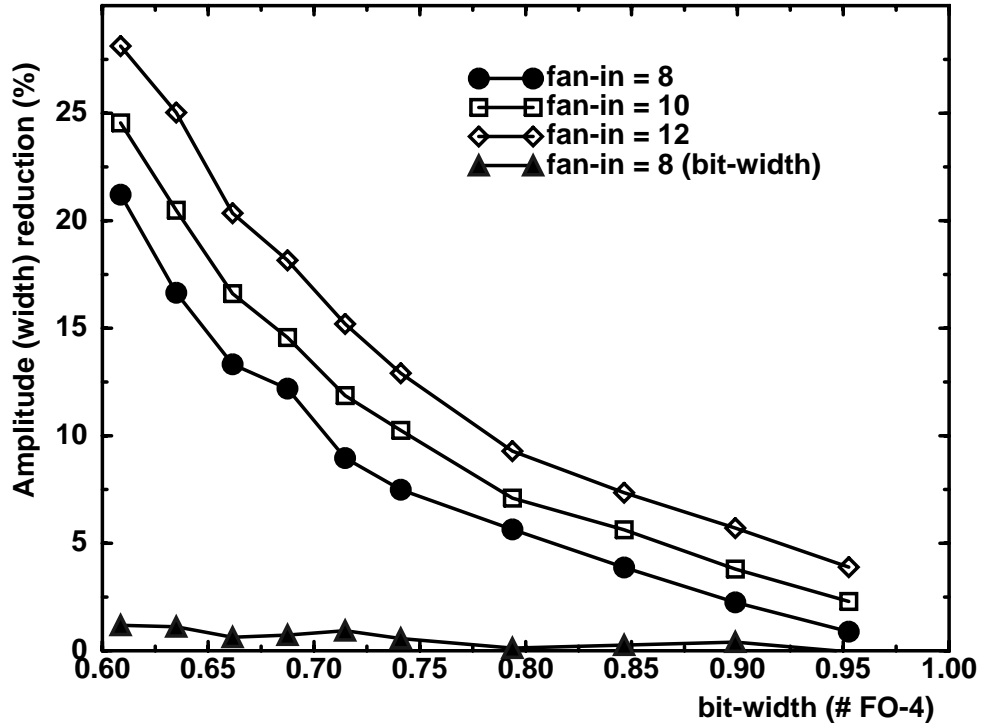
**Figure 3.6:** (a) shows no ISI, (b) shows eye-amplitude reduction due to ISI, (c) shows the bit amplitude degradation due to overlapping pulses with decreasing overlap.

data-eye amplitude with respect to the maximum voltage swing. Interestingly, the data width is not affected until the tail of each current pulse extends *beyond* the neighboring bit. To affect the pulse width, the residual current from a prior bit must interfere with the data transition. Figure 3.6-(c) illustrates the percentage reduction in eye-amplitude and eye-width versus the bit-time. The eye-width reduction, shown with the filled symbols, becomes significant only after the eye-height is already heavily attenuated.

A fan-out of one buffer drives the pre-driver signal in the figure so that the signal has a sharp transition time of 1 FO-4. Practically speaking, fan-outs less than one are extremely inefficient because nearly half of the total capacitance is from self-loading. Further decrease in the pre-driver fan-out would only improve the minimum bit-time slightly while consuming excessive area and power. Based on Figure 3.6-(c), the minimum bit-time, with pre-driver fan-out of one, is roughly 0.5 FO-4. An advantage of the overlapping architecture is that the pre-driver's signals are at a much lower frequency than the data rate so only the final stage of the pre-driver chain requires the small fan-out. Higher fan-outs can be used in the pre-driver's buffering chain to save power without introducing ISI.

Since the eye width degrades only at very small bit-time, this architecture can actually push bit-times to even less than 0.5 FO-4 if the application can handle large amplitude noise. However, the remaining discussion defines the minimum bit-time as when the bit amplitude is degraded by 10% because the wasted signal power is often not tolerable. Furthermore, it remains to be seen in the next chapter whether the timing resolution of the rising and falling edges can support such low bit-times.

To summarize the two sections, two factors are considered when determining the fan-in of the output multiplexing for maximizing the data rate: the output time constant, and the slew-rate. Optimally, the output time constant is chosen so that the signal is degraded by roughly the same amount as by the limited slew-rate. The minimum bit-time due to the output time constant can be estimated based on Equation 3.1 with a slight adjustment to account for the larger devices in the NAND structure. Accounting for both the output RC and the pre-driver slew rate with the architecture shown in Figure 3.5, Figure 3.7 shows the reduction of signal amplitude with varying bit-times. The lowest



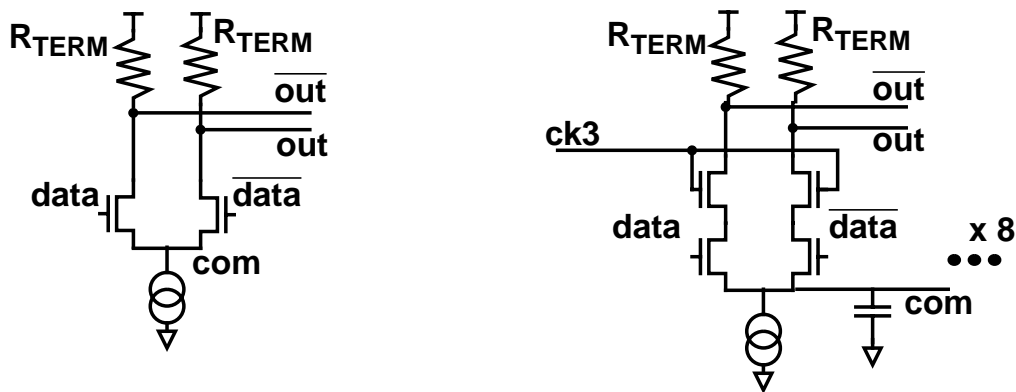
**Figure 3.7:** Percentage reduction on bit amplitude with reducing bit widths

curve with the triangle symbol indicates that the eye-width reduction is small while the eye-amplitude is significantly reduced. The different curves represent the effect of additional loading on the output. The pre-driver fan-out is roughly 1.5 so that the pre-driver dissipates reasonable power. For an eye-amplitude within 10% of the full swing, the minimum bit-time can be as small as 0.7 FO-4.

### 3.1.3 Implementation

The actual transmitter implemented uses 8:1 multiplexing and targets a bit-time of roughly one FO-4 delay. The same design was implemented in both a MOSIS 0.5- $\mu\text{m}$  (4Gb/s) and an LSI 0.35- $\mu\text{m}$  (6 Gb/s) technology. This section describes the details of the design and some design techniques that were used to maintain low data-dependent noise and switching noise.

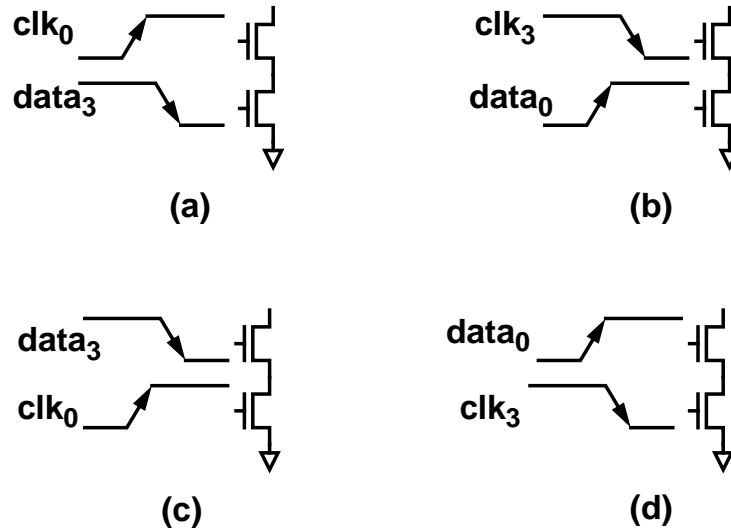
The pre-driver signals of the NAND structure must be carefully timed to maintain small phase offsets and jitter. A 4-stage ring oscillator is used to generate the eight clock phases used to sequence the switching. This clock generator is one of the two sources of jitter and phase-spacing offsets in the transmitter and will be discussed in more detail in



**Figure 3.8:** Truly differential driver (a), with multiplexing (b).

Chapter 4. The pre-driver buffering is the second source. Even though only the data signal needs to be qualified by a precharged inverter, a precharged inverter drives the clock input as well in order to maintain the phase alignment between the data and the clock. The delay of the pre-driver buffering is minimized since the delay of these CMOS buffers is sensitive to supply noise. The delay is maintained to be less than 3 FO-4 delays. With supply sensitivity of 1%/ % (percentage of delay variation per percentage of supply change), a 10% supply bump would only cause 30% bit-time reduction.

The circuit used in the transmitter design, shown in Figure 3.5, uses a pseudo-differential approach with grounded-source current drivers. This design was chosen over a differential driver such as Figure 3.8-(a) because the output capacitance is smaller in a grounded-source design. The transistor sizes required in a differential pair to fully switch the current is much larger since the available gate overdrive ( $V_{GS} - V_T$ ) is lower in comparison to a grounded-source driver. The total on-chip output capacitance of this design including non-device-related parasitics for the 8:1 multiplexer is roughly 1.5pF in the 0.5- $\mu\text{m}$  process. Furthermore, to implement 8:1 multiplexing with a truly differential driver requires sharing the current source with many of the parallel NAND structures. Figure 3.8-(b) illustrates one possible implementation. Due to the many transistors connected in parallel, the capacitance at the common-source node is very large and appears as a virtual ground. From a noise perspective, the design can be worse than the grounded-source design because the  $V_{GS}$  of the devices is lower, making the current more sensitive to a given noise voltage.

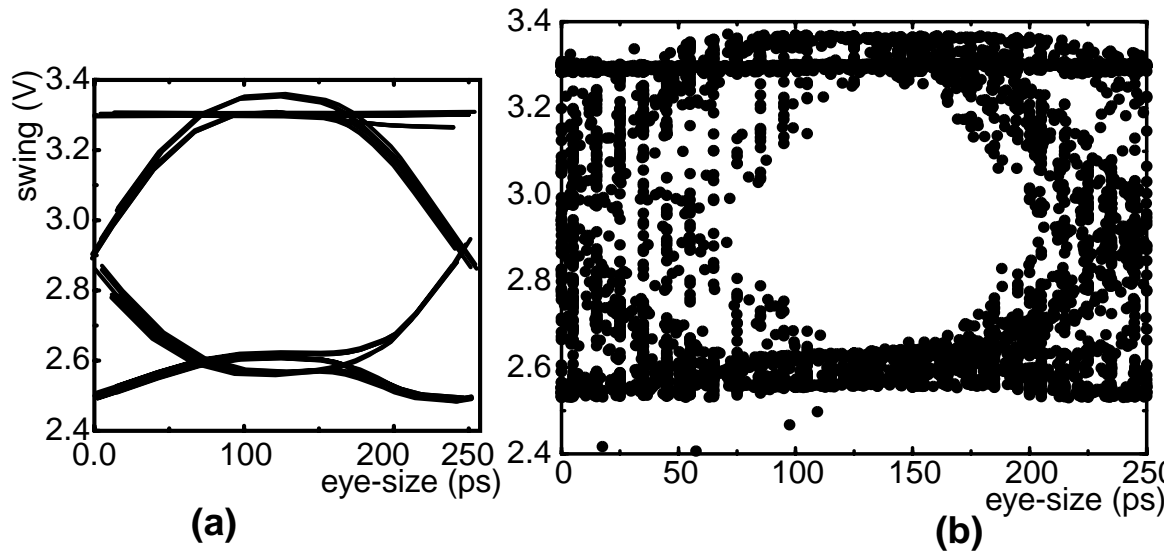


**Figure 3.9:** Different input configurations for the NAND structure output driver

The NAND multiplexing architecture can be implemented with the inputs arranged in four possible configurations shown in Figure 3.9. The circuit in Figure 3.5, which corresponds to Figure 3.9-(a), enables the current pulse with the rising edge of the clock. The current pulse can similarly be enabled by the rising edge of the data input. An additional degree of freedom is that the clock and data inputs can control either the upper or lower switch. However, the arrangement of Figure 3.9-(a) with the clock driving the upper switch is the best of the four. Using the data input on the upper switch, as illustrated in Figure 3.9-(c) and (d), can introduce data dependent errors. With these two configurations, a different number of the internal node's capacitance will be seen at the output depending on the data pattern of the four inputs, since four of the eight multiplexer data inputs are enabled at any one time. If the clock instead drives the upper switches, the same capacitance is seen by the differential outputs independent of the data pattern. Lastly, using the clock to enable the current pulse (shown in Figure 3.9-(a)), instead of using the data (shown in Figure 3.9-(b)), has the advantage of speeding up the initial pull down. In the configuration of Figure 3.9-(a), charge sharing speeds the output transition and relaxes the size of the pre-driver PMOS, because the data input pre-discharges the internal node.

Figure 3.10-(a) demonstrates the output driving a pseudo-random sequence. No inter-symbol interference can be seen. In the figures, both  $V_{OL}$  and  $V_{OH}$  show some overshoot from the 2-nH inductor at the output. The dirty data eye in Figure 3.10-(b) is the output when the transmitter supply is bumped 10% during operation. The reduction in the





**Figure 3.10:** Simulated transmitter data eyes

data-eye width is caused by jitter induced by supply noise on the pre-driver buffering chain. With supply noise of 10%, more than half the bit-time (1 FO-4) remains open. Because the current driven by the grounded-source driver is also sensitive to supply noise, the supply bump causes some amplitude reduction. To reduce the amount of supply noise, the design heavily decouples an isolated pre-driver supply to ground.

Since the pseudo-differential output does not guarantee constant current, noise still occurs when the signals are switched. The effect of imperfect overlapping of consecutive current pulses is seen Figure 3.10 as the dips (or bumps) between bits. Because these dips occur only at the transitions for consecutive bits that are not transitioning, they do not affect the size of the eye. However, to keep the switching noise and output ripple to a minimum, the falling edge of each current pulse needs to overlap the rising edge of the next current pulse at half the current. Based on simulation, this requires the crossing of rising and falling of the pre-driver outputs to occur at roughly  $2/3 V_{DD}$ . The cross-point can be adjusted by delaying the path for the data input slightly more than that of the clock input by using a different fan-out for the data. Adjusting the delay can also correct any non-varying systematic errors in the overlap of the currents. If the clock driving the pre-drivers have non-50% duty-cycle, the current pulse would be wider/narrower than the desired bit-width, which would cause an error in the overlap. Also, the pre-driver for the data switch, driving the lower switch, sees a larger Miller capacitance than the clock

switch signal, which would cause additional delay in the data with respect to the clock. Both of these can be compensated by additional adjustment of the fan-out difference between the data and clock paths.

The output swing depends on the current pulled by the series-stacked transistors. With the gate pulled to  $V_{DD}$ , the current depends on the size of the device and is also sensitive to process variations. In order to control the current, Kushiya in [51] used multiple driver devices that are digitally controlled to provide an adjustable pull-down current to compensate for process variations. The design uses a less complex technique of making the pre-driver's supply adjustable to control the output current by adjusting  $V_{GS} - V_T$ . Although this method is simple and requires no additional area and circuitry, it has the disadvantage of causing the crossing of the pre-driver rising and falling signals to no longer occur at the half-current point. The cross-point voltage,  $V_{xp}$ , scales roughly proportionally with  $V_{DD}$ ; the half current point,  $V_{ixp}$ , scales with an offset,  $V_{ixp} \propto \alpha V_{DD} - V_T$ .<sup>1</sup>

Because the design is pushing the maximum data rate, the transmitter design does not include the slew-rate control that is typical for lower data-rate links. The slew rate is often designed to be approximately 1/3 of the bit-time in order to keep low the switching noise ( $Ldi/dt$ ), and to reduce the high frequency components on the line. In many output drivers with a single pre-driver output, slowing down the slew rates to acceptable levels causes inter-symbol interference at the output. An additional advantage of this architecture for use in slower data-rate communication is that the slew-rate control is applied to pre-driver outputs running at a divided frequency of the data rate. The edges forming each of the data bits are no longer dependent upon the previous bit, removing this as a source of inter-symbol interference.

### 3.1.4 Scalability

The intent of representing the bit-time in a normalized metric is so that the output bit-time can be predicted by the scaling of FO-4 delay. For this metric to be valid, both the output

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1. The bumps and dips that result can potentially be corrected by using a feedback loop that adjust the cross-point of the pre-driver.

RC and the pre-driver transition time should scale. The pre-driver is essentially a CMOS gate which has a delay that will scale with the FO-4 metric. Since transition time is roughly 2x the delay, the pre-driver transition time can be expected to scale. However, the scaling of the output capacitance is an issue that needs to be addressed.

In the discussion on the output RC in Section 3.1.1, device current,  $I_{DSAT}$  per micron, based on [14], remains constant with scaling at roughly 400-800 $\mu\text{A}/\mu\text{m}$ . So, the scaling of  $C_D$  can occur only if the output current scales. Output current scaling may also be necessary to keep the current-mode output driver in saturation, or to maintain a constant power dissipation per die area. This scaling has the problem of lowering the SNR. Additionally, not only does the signal power decrease, the noise power, from thermal noise, increases at higher data rates because the noise bandwidth is higher. Fortunately, inherent thermal noise in the system is small (hundreds of microvolts), and coupled noise typically scales with the transmitted voltage swing; therefore, these noise sources are not immediate concerns for bandwidth limitation. However, a significant concern is the scaling of the input-offset voltage for receivers. This issue is addressed later with the receiver discussion in Section 3.2.

A second limitation to scaling of the output capacitance is the effect of the fixed component of the capacitance,  $C_{pad}$ . If pad capacitance is much larger than  $C_D$ , as  $C_D$  reduces with scaling, the time constant, output bandwidth and output data rate approach a fixed limit. Fortunately, this fixed time constant is extremely small, less than 15ps (for pad capacitance of 250fF), which would not be a significant problem until the data rates exceeds 20Gb/s. Furthermore, potentially, better packaging techniques can lower the parasitic capacitance. One implication of having a fixed time constant is that the output RC limit will scale less quickly than the on-chip bandwidth. Since the pre-driver bandwidth scales well, the advantage of off-chip multiplexing becomes less with more advanced process technologies. The bandwidth advantage of output multiplexing over on-chip multiplexing can be expected to drop to 2x with a 0.18- $\mu\text{m}$  process technology. As the bit-time approaches the fixed time-constant, more multiplexing will be implemented on-chip.

### 3.1.5 Transmitter summary

Designing a high-speed transmitter requires one to overcome two obstacles — limited bandwidth of the multiplexer and finite on-chip pulse width. Multiplexing at the output instead of on-chip allows higher bandwidth by reducing the penalty of a high fan-in multiplexer. The minimum pulse-width is improved by forming the output current with a NAND output structure. By forming the data stream with the overlap of two signals, the limitation on data rate is from the slew-rate of these on-chip signals, and the additional output capacitance from the multiplexing. The minimum output bit-time from these simulations and simple analysis is roughly  $0.7 \text{ FO-4}$ . To demonstrate a bit-time of  $1 \text{ FO-4}$ , an 8:1 multiplexing transmitter is designed in the  $0.5\text{-}\mu\text{m}$  and  $0.35\text{-}\mu\text{m}$  process technology. For both the multiplexing and the overlapping of signals, multiple clock phases are used. The next section shows a similar technique with multiple clock phases to build high data-rate receivers.

## 3.2 Receiver Design

As discussed in Chapter 2, a clock-period limitation exists in the receiver as well. With the 1:2 demultiplexing, the bit-time is essentially limited by the sampler+comparator cycle-time. A higher degree of parallelism can relieve this limit with a higher fan-out demultiplexing. Greater demultiplexing brings up two issues. First, the larger demultiplexing increases the input capacitance by the degree of demultiplexing. Second, although the comparator cycle-time is no longer an issue, the minimum data bit-time which can be sampled by the receiver is an inherent limitation. This bit-time is closely related to the minimum window of time required for the sampled value to track the input value and is also known as the sampling aperture. The aperture is effectively the time-domain dual of the sampling bandwidth. The smaller the aperture, the higher the input data bandwidth can be sampled.

The following sections begin with a definition of sampling aperture and sampling uncertainty. Section 3.2.1 fully characterizes the NMOS sampling switch for its aperture and aperture uncertainty. The input capacitance of the receiver depends not only on the size of the samplers but also on the design of the comparator. Furthermore, the

comparator's voltage resolution determines the minimum signal that can be received. Section 3.2.2 discusses these design issues of the comparator. Because the comparator outputs are equalized for a half-cycle, Section 3.2.4 describes the post-comparator latch that holds the data for a full cycle. Finally, the impact of process scaling on the receiver is addressed.

### 3.2.1 Sampler design

The sampler used in this design is a simple NMOS pass-transistor switched by a clock, as shown in the inset of Figure 3.12-(a). The voltage on the sampling capacitor tracks the input data when the clock of the NMOS switch is *HIGH*. When the clock is *LOW*, the sampling capacitance holds the data voltage last seen. This sampled voltage is amplified by the comparator that follows while the voltage is held. Alternatively, many designs (such as [28] and [78]) merge the two functions into a single clocked comparator. This design was chosen because it has one of the best sampling apertures.

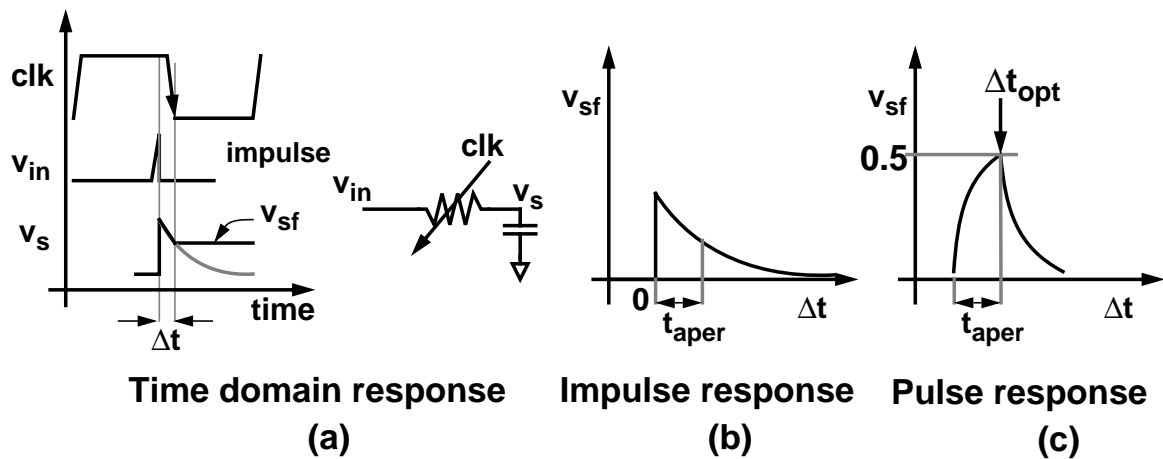
Sampling aperture is defined as the minimum input pulse width that can be resolved as a *HIGH* or *LOW* value assuming an ideal comparator and ideal timing of the sampling clock. For example, an ideal sampler with a perfect switch would have an aperture of zero width. In real systems, three factors determines the sampling aperture. Since the RC time constant of the switch determines the inherent bandwidth, the primary factors are the switch resistance and capacitance. A second factor is the slew rate of the sampling switch's clock signal, the sampling clock. The clock voltage changes the switch resistance causing a time-varying resistance depending on the clock signal's waveform. The last factor that affects the aperture is the non-linearity of the sampling resistance. The aperture will be quantitatively defined in this section as these factors are addressed.

#### *Aperture definition*

The aperture can be measured and defined based on the sampler's impulse response similar to the analysis by Johansson [44]. By treating the sampler as a linear filter, the impulse response can be used to determine the sampled response to any input. However, using the impulse response assumes that the system is linear and time-invariant. Because an NMOS switch resistance depends on the  $V_{GS}$  of the sampling device, the system is clearly non-linear. However, for sufficiently small signal amplitudes of several

hundred millivolts, the non-linearity only causes a modest error in the aperture calculation which will be accounted for as the third factor that degrades and affects aperture. Time-invariance is also not true for a sampled system since the sampled value is different when the input is shifted in time. However, the “time” in the impulse response is the difference in time,  $\Delta t$ , between the input and the sampling clock. A sampled system is “time-invariant” for this  $\Delta t$ . This is described in more detail in Appendix A.1.

The impulse response for a sampling circuit can be defined by using an impulse as the input at an initial time,  $t_0$ , and sampling that impulse with a clock at varying times,  $t_0 + \Delta t$ , where  $\Delta t$  is the time difference. The resulting values that the switch samples for each time difference,  $\Delta t$ , forms the impulse response. Figure 3.11-(a) and -(b) illustrates this process and the resulting shape. After the sampling, the sampler voltage,  $v_s$ , is held by the capacitance and  $v_{sf}$  is the final value. If the sampling clock did not transition, the dotted line shows the response of  $v_s$ . For the moment, a perfectly switched resistance with infinitely sharp switching clock is assumed. The impulse response shows a discontinuous jump at  $\Delta t = 0$  followed by an exponential decay at increasing time difference due to the RC time constant. Taking the Fourier transform of the impulse response yields the frequency response; the 3-dB bandwidth of the frequency response is the sampling bandwidth.



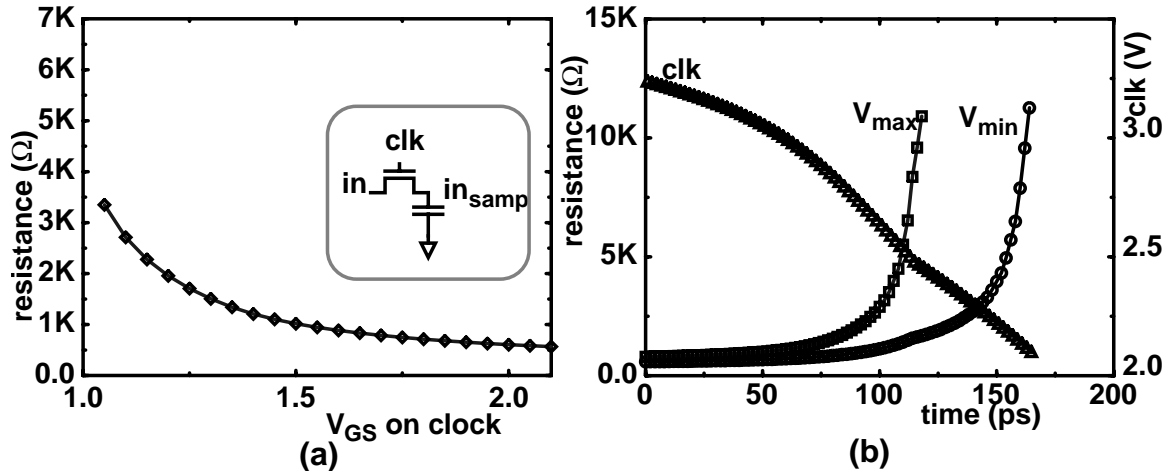
**Figure 3.11:** Aperture defined for a sampler with switched resistance. (a) shows the time domain signals for the switch, (b) shows the sampled impulse response, and (c) shows the sampled pulse response to a pulse of width  $t_{aper}$

The sampling aperture is defined as the minimum width of a pulse that can be sampled and resolved by the comparator to the correct bit. Since the sampled value varies with  $\Delta t$ , the definition assumes that the data is sampled at the optimum sampling moment,  $\Delta t_{opt}$ . For binary signalling, the minimum pulse width at the optimum sample point has a sampled voltage of 1/2 the switching threshold. The minimum pulse width corresponds to the *minimum* window in which the integrated value under the impulse response curve is 1/2. In Figure 3.11-(b), the box with the width marked by  $t_{aper}$  is the minimum aperture time for the corresponding impulse response. Note that the aperture in this simplistic scenario is roughly 0.7 times the product of the switch ON-resistance and the sampling capacitance.

Using this aperture definition of  $t_{aper}$  for the minimum bit-time does not allow any margin for errors. For example, an input-offset voltage in the comparator which follows the sampler would shift the decision threshold to be higher or lower than mid-swing. In order for the correct bit to be resolved, the integrated value of the normalized impulse response within the window needs to be greater than 1/2. Therefore, the  $t_{aper}$  definition indicates the absolute maximum sampling rate, and serves as a characteristic of the response of the sampling network. The effect of errors in sampling and comparing is considered later with the discussion of aperture uncertainty. As an aside, Johansson in [44] uses a more conservative estimate of aperture as the minimum bit-time which can account for the comparator offset. Instead of finding the window of the impulse response where the integrated value is 50% of the response, he arbitrarily finds the window where the integrated value is 80%.

### ***Effect of non-ideal switching***

The aperture is determined not only by the RC but also by the non-ideal switching which depends on both the sampling clock switching waveform and the voltage dependent resistance of the NMOS switch. Because an NMOS device operating in its linear region has a resistance proportional to  $V_{GS} - V_T$ , the resistance is non-linear. Figure 3.12-(a) shows the varying resistance with different  $V_{GS}$ , for a device width of  $24\lambda$  (6- $\mu\text{m}$  in a 0.5- $\mu\text{m}$  process technology). Hence, the switch resistance changes with the clock waveform. Figure 3.12-(b) shows a portion of the sampling clock waveform that drives a FO-4 load. Superimposed is the time-varying resistance,  $R(t)$ , of the switch with width of  $24\lambda$  when



**Figure 3.12:** Pass-gate sampler ON-resistance for various  $V_{GS}$  (a) and as a function of time (b) for a realistic clock waveform (simulated in a 0.5- $\mu\text{m}$  process technology.)

the input is at the minimum and maximum input voltage values of 1.1 to 1.6 volts. Although the clock slew-rate is slow, the resistance switches rapidly because only a small portion of the swing affects the resistance, making the NMOS transistor a good sampling switch. Because the resistance is really a function of time, the sampling aperture can no longer be simply calculated with the RC of the sampling switch and capacitance.

To account for the varying resistance, the impulse response can be simulated and numerically extracted from simulation results. Because simulations using an impulse function as input is difficult, one method for proper characterization of a sampling network is to use an ideal step as the input instead of the impulse, while sweeping the  $\Delta t$  between the sampling clock's transition with respect to the input edge. The value sampled at each  $\Delta t$  can be plotted to form the step response shown in Figure 3.13-(b). The switch characteristics in the simulation are based on the  $R(t)$  in Figure 3.12-(b) and a capacitance of 50fF. One assumption of the simulation is that half of the 50fF is due to self-loading capacitance and the other half is due to the comparator input load. Any higher ratio of self-loading to comparator loading would unnecessarily increase the receiver's total input capacitance without much improvement in bandwidth. The derivative of the step response yields the desired impulse response shown in Figure 3.13-(a). The jagged edges of the impulse responses in Figure 3.13-(a) are due to simulation noise.



The three curves in Figure 3.13-(b) illustrate variations on the simulation parameters. Two different slew rates for the signal switching the sampling gate (based on the fan-out of the signal) are illustrated (by the triangle and the square curves). The corresponding aperture sizes,  $t_{aper}$  are shown in the legend of Figure 3.13-(a). These two curves show that the aperture depends considerably on the slew rate of the sampling signal. Because the ON-resistance of the switch is roughly  $600\Omega$ , the aperture for an ideally switched RC is 1/10 FO-4 (20ps). The finite clock slew rate of a fan-out of two sampling clock enlarges the sampling aperture by 2 to 3x.

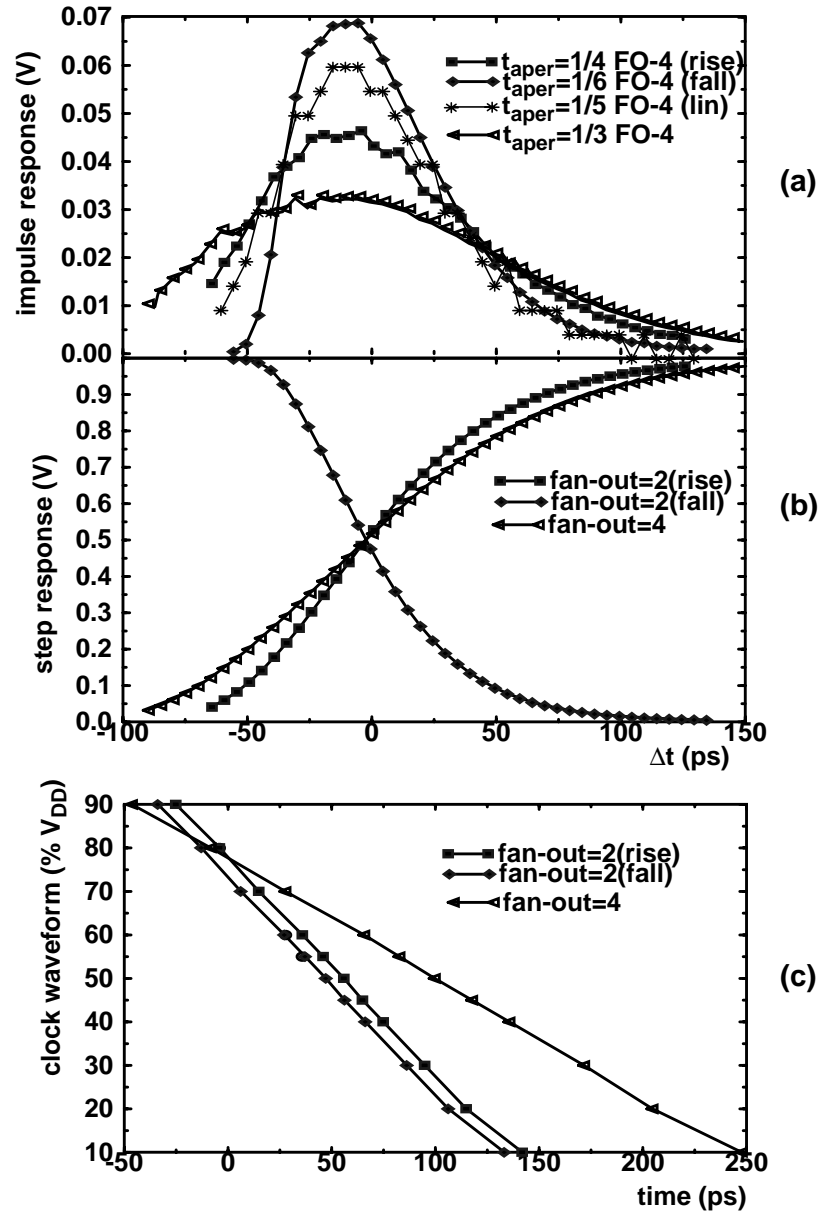
### ***Effect of non-linearity***

Also illustrated in the figures are different input transitions for the case of fan-out of two. Both input rising (square curve) and falling (diamond) steps were simulated with step size of 500mV. This variation for the different transitions is primarily due to the non-linearity of the switch. To simulate without the non-linearity of the switch, Figure 3.13-(a) also shows a star curve that illustrates the results for a small input step size of 10mV with the same common-mode (1.35V) as the larger swing inputs. The curve is independent of the type of transition demonstrating that the system is linear with small input voltages. For the larger signal amplitude responses, an input falling step has lower switch resistance than a rising step because the  $V_{GS}$  increases instead of decreases. The effect can be seen by the smaller aperture for the falling step, the diamond curve in Figure 3.13-(a) and (b). Conversely, the rising transition's response, illustrated by the square curve, has a larger aperture. The linearity assumption is acceptable primarily because the non-linearity of the resistance can be bounded by restricting the input swing such that the sampling resistance variation is small compared to the ON-resistance of the switch.<sup>1</sup> For input swings as large as 500mV, the resistance variation is significant enough to cause a rising transition's aperture that is 50% larger than the falling transition's aperture. Any larger voltage swing would make the linear assumption unsuitable.

Based on the sampling-aperture definition, the minimum sample spacing that yields distinct sampled values is roughly 1/4 FO-4. However, the minimum bit-time needs

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1. The situation is worse for signals with larger dynamic range with multiplex decision levels in applications such as a multi-level signalling scheme or an analog-to-digital converter.



**Figure 3.13:** NMOS sampler's "impulse response", (a), and "step response", (b) with various clock slew rates. The clock waveform for each of the curves are shown in (c).

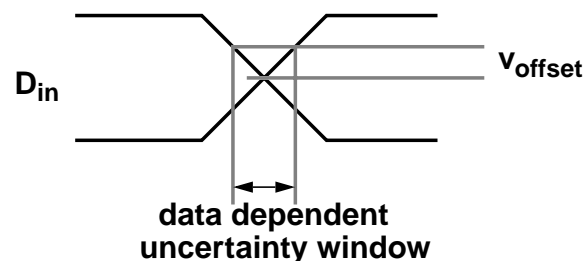
to be larger to account for the aperture uncertainty. The bit-time near the minimum aperture can be recovered only if the sampling clock samples the data at the peak of the response to a pulse (as shown by  $\Delta t_{opt}$  in Figure 3.11-(c)) If either the sampling clock's position is uncertain, or the peak position of the impulse response is data dependent, the timing margin of the data would be degraded, causing errors. Although the main sources of uncertainty are sampling clock jitter and data jitter (the topic of next chapter), two factors inherent to the sampler+comparator that affect the sampling uncertainty are discussed

next: the non-linearity of the sampler, and the input-offset voltage of the comparator. Also discussed is the aperture uncertainty due to common-mode variations of the input.

### ***Aperture uncertainty***

The impact of the non-linearity of the sampler on the aperture uncertainty can be seen in Figure 3.13-(c). The impulse responses are arranged such that the maximum of the responses occurs at time zero. The sampling clock's edge position that causes the impulses' peaks to occur at the same time is shown in Figure 3.13-(c). Note that the sampling clock waveforms for sampling a rising data transition intersect at the same point,  $3/4V_{DD}$ , while the waveform for the falling data transition is shifted by 8ps,  $1/32$  FO-4. The intersection can be considered as the sampling moment, and the shift indicates a data-dependent uncertainty of the sampling moment due to the non-linearity of the switch.<sup>1</sup>

The input-offset voltage of the comparator also introduces data-dependent uncertainty. A discussion on how the comparator affects the input offset is deferred until the next section. Because the offset essentially shifts the decision threshold, the data, instead of crossing the threshold at mid-swing, would cross either earlier or later depending on whether the data is a rising or falling transition. The window of uncertainty is illustrated in Figure 3.14. The size of the window depends on the signal slew-rate at its input (hence the signal bandwidth) and the magnitude of the offset as a fraction of the swing. The window is the  $t_{slew20\%-80\%} * V_{offset} / V_{swing20\%-80\%}$ . For high data rates the slew rate is also determined by the sampler's impulse response. The 20%-to-80% slew-rate



**Figure 3.14:** Data-dependent uncertainty window due to input offset voltage.

1. This extends to an even more significant problem for multi-level signalling because signals at different levels would have different shifts, causing larger uncertainties.

limited by the sampler can be calculated as  $t_{80\%} - t_{20\%}$  where  $t_{20\%}$  and  $t_{80\%}$  are evaluated by integral of the impulse response in Equation 3.3,

$$\left( \int_{-\infty}^{t_{20}} h(\tau) d\tau = 0.2 \right), \left( \int_{-\infty}^{t_{80}} h(\tau) d\tau = 0.8 \right) \quad [3.3]$$

where  $h(\tau)$  is the impulse response. Based on the impulse responses in Figure 3.13-(b), the uncertainty windows (in units of FO-4 delays) due to different offsets (as a percentage of the signal swing) is listed in Table 3.1. For a fan-out-of-two sampling clock, the total uncertainty due to both the non-linearity and the offset is roughly 1/10 FO-4 (30% of the aperture).

offset (%)	fan-out=2	fan-out=4
10%	0.10	0.13
20%	0.20	0.28
30%	0.33	0.44

**Table 3.1:** Sampling uncertainty (in FO-4 delays) due to input offset for different fan-outs.

The primary disadvantage of using the NMOS sampling switches is that the resistance is sensitive to common-mode variations. Note that an input common-mode of 1.3V is chosen in this design in order to accommodate the comparator following the sampler. With a higher common-mode, the linear resistance is higher than the minimum that can be achieved, hence degrading the maximum achievable bandwidth.<sup>1</sup> The implication of this common-mode dependence is that common-mode noise affects the aperture size and introduces aperture uncertainty. By introducing a common-mode offset of +/-5% of  $V_{DD}$ , the aperture increases by +/-2% and the aperture shifts by 1/15 FO-4.

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1. The sampling switch would operate with lower ON-resistance if the common-mode were lower. If the low common-mode presents a problem for the following stage, the sampling clock can have its high value boosted above  $V_{DD}$  to support a higher common-mode, or have the sampled value boosted.

### *Sampler summary*

To summarize, the minimum sample spacing can be calculated by combining the aperture window and the uncertainty (without clock jitter). The result is roughly 1/3 FO-4 based on the following assumptions: the input-offset voltage is 10% of  $V_{swing}$ , the clock slew-rate is fan-out of two, total sampling capacitance is 2x self-loading, and the common-mode noise is less than 10% of  $V_{DD}$ . The minimum bit-time based on Johansson's more conservative definition is roughly 1/2 FO-4. The bit-time does not change significantly with modest changes in the implementation-dependent values used in the calculation. The most significant improvement can be made by reducing the load capacitance of the sampling switch to be less than the switch's self-loading. Realistically, reducing the effect of loading capacitance requires much larger sampling devices, which would present excessive input capacitance. The impact of the input-offset voltage of the comparator can be reduced by either designing one with lower offsets or increasing the voltage swing. Based on simulation, reducing voltage offsets to 5% of the swing only reduces the aperture by at most 15%. Lastly, sharpening the clock slew-rate from fan-out of 2 to fan-out of 1 only improves the aperture by 10%.

In the above analysis, the minimum bit-time is only a function of the relative size of the sampling device and its load capacitance. The absolute device size is very important because it sets the input capacitance and hence the input bandwidth. The sampler input capacitance is especially important in a demultiplexing architecture where the number of sampling switches on an input is large. The design of the comparator becomes a balancing act between the input capacitance and the offset voltage. The following section discusses the implementation of a comparator and addresses this issue.

### **3.2.2 Comparator design**

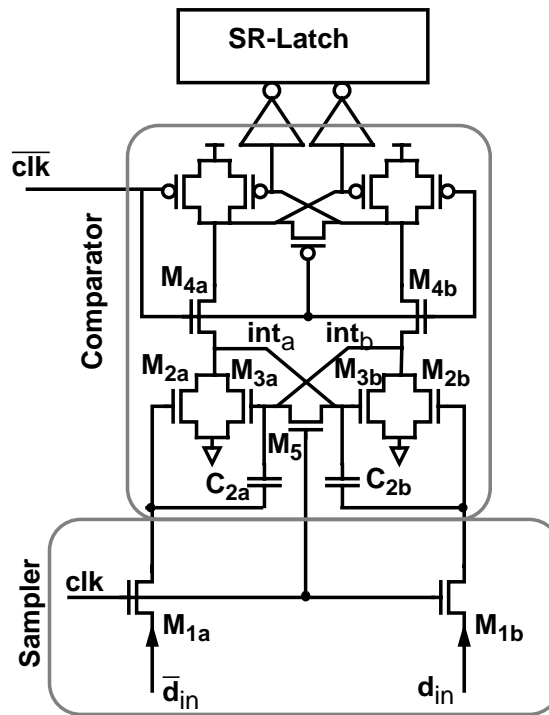
The circuit diagram for the input sampler+comparator used in this design is shown in Figure 3.15. For better noise rejection, the circuit is designed with differential inputs. The regenerative amplifier following the samplers is a slight variation of the comparator by Yukawa in [105]. When the clock is *HIGH*, the NMOS transistors in the middle of the stack disconnect the upper and lower cross-coupled devices, resetting the latch. During this phase, the sampler is tracking, and the latch outputs are precharged *HIGH* while the

internal nodes are precharged *LOW*. When the tracking phase ends, the cross-coupled devices are connected to enable the positive feedback and amplify the difference at the sampled input.

### ***Input-offset voltage***

The input-referred offset voltage is the difference in voltage between the inputs that is required in order for the output of the comparator to switch. The offset voltage is not only due to the mismatches in the input devices but it can also be due to mismatches (both device and capacitive mismatch) within the positive-feedback structure, and any systematic voltage offset in the gate that follows the comparator. These errors are referred back to the input as the input-offset voltage.

The primary source is due to mismatches in  $V_T$  and  $K_P$ . Since the mismatch is random, the amount is expressed in terms of the standard deviation. According to Pelgrom in [76] and more recent studies by Mizuno in [69], the standard deviation is inversely proportional to the area of the device — the larger the device, the smaller the offset. The proportionality constants,  $A_{V_t}$  and  $A_{K_P}$ , depend on the process technology. The constant for  $V_T$  mismatch scales with technology feature size while the constant for  $K_P$  mismatch



**Figure 3.15:** Receiver (Sampler + comparator) design schematics

scales more slowly. After roughly normalizing the mismatch parameters by process technology, the  $A_{V_t}$  is roughly  $28\text{mV}\cdot\lambda$ , and  $A_{K_P}$  is roughly  $1.5\%\cdot\mu\text{m}^1$ . Based on the analysis of the previous section, the aperture does not degrade significantly with an input offset voltage of the latch at  $\pm 10\%$  of the swing. If the minimum signal swing is  $300\text{mV}$ , a  $\pm 3\sigma$  input-offset voltage of less than  $60\text{mV}$  is sufficient.

The offsets due to the input transistors,  $M_{2a,b}$ , contribute to at least half of the total input-offset voltage. To keep the peak voltage mismatch to less than  $40\text{mV}$  in the  $0.5\text{-}\mu\text{m}$  process technology, a minimum-device width of  $10\lambda$  is required. The  $V_T$  mismatch between the input transistors directly corresponds to a standard deviation of  $6\text{mV}$ . The  $K_P$  mismatch is translated into input-offset voltage by dividing the mismatch in current by the  $g_m$  of the device. With a common-mode voltage of  $1.3\text{V}$  (to keep the input devices in saturation)<sup>2</sup>, the effective input-offset voltage due to the  $K_P$  mismatch has a standard deviation of  $1.3\text{mV}$ . Note that the effect of  $V_T$  mismatch is generally larger than  $K_P$  mismatch, especially at low  $V_{GS}$ .

The regenerative structure of Figure 3.15 also contributes to the total input-referred offset voltage. For correct operation, when the clock transistors are enabled, the current difference from the differential transistor pair must be greater than the current difference due to the offsets from the clocked transistor,  $M_{4a,b}$ , and the cross-coupled devices,  $M_{3a,b}$ . The clocked transistor contributes a smaller offset component because the  $V_{GS}$  is large, making the current difference due to its  $V_T$  mismatches small in comparison. Also, to minimize the series resistance for faster regeneration, the clocked devices,  $M_{3a,b}$ , are sized larger than the input devices, thus the offset is less. The cross-coupled devices,  $M_{4a,b}$  (and the corresponding PMOS devices<sup>3</sup>), are initially in the off-state, and therefore do not contribute any offset. However when the internal nodes,  $int_{a,b}$ , rise above  $V_T$  as the clock transitions *HIGH*, the cross-coupled feedback is enabled and their mismatches are

- 
1. The proportionality constants are the standard deviation of the voltage and current mismatch. The peak-to-peak values are roughly 6x the standard deviation.
  2. The  $g_m$  per width for the NMOS transistor is  $30\mu\text{S}/\lambda$ , and the current for the bias condition is roughly  $30\mu\text{A}/\lambda$
  3. The PMOS cross-coupled devices contribute to the input-referred offset with a similar mechanism as the NMOS cross-coupled devices. They are typically larger devices so the contribution is smaller.

introduced as offset. This offset can be reduced by slowly charging the internal nodes [62]. When the voltage charges to  $V_T$ , the offsets do not have any impact, if the voltage difference of the internal nodes is greater than the voltage offset due to the mismatches of the cross-coupled devices. The charging rate can be controlled by the clock slew rate and the size of the clocked transistors. However, the charging cannot be too slow because it lengthens the cycle-time. A 40-mV offset can be reduced by half with a charging delay of only 250ps.

In the implementation of the sampler of the transceiver test chip in the 0.5- $\mu\text{m}$  process technology, the input devices are conservatively sized to be  $12\lambda$ . The  $\pm 3\sigma$  input-offset voltage accounting for all the transistors in the comparator structure is less than 60mV.

#### ***Maximum number of parallel samplers***

Based on the size of the input device of the comparator, the device size of the sampler can be calculated. In order to keep the sampler loading (or the input capacitance of the comparator) roughly equal to the self-loading, the sampling switch size is roughly  $24\lambda$ .

Since the receiver will demultiplex and oversample the data, the input capacitance due to the parallel samplers must be small enough not to limit the input bandwidth. The input capacitance of each sampler is then the sum of the sampler's source capacitance and half of the sampling capacitance. The sampling capacitance is halved because only half of the sampling switches are in the sampling phase at any time. Each sampler input capacitance is roughly 50fF in the 0.5- $\mu\text{m}$  process technology. For a minimum bit-time of  $1/2$  FO-4 from the sampler analysis in a  $25\text{-}\Omega$  environment, the maximum number of samplers can be as large as 45 before the data bandwidth is limited. However, if parasitic capacitances, such as pad capacitance and the on-chip termination PMOS, are included, the maximum number of samplers in parallel is reduced to roughly 35.

#### ***Number of samplers for demultiplexing***

The minimum number of samplers in parallel depends on the degree of demultiplexing, which is the ratio between the cycle-time and the bit-time. The regenerative amplifier (comparator) topology is used instead of a linear amplifier so that



the positive feedback provides high gain (that grows exponentially with the evaluation time as expressed in Equation 3.4 [83]) with low power and area:

$$Gain = e^{t/\tau} \quad [3.4]$$

The regenerative time constant,  $\tau=C/g_m$ , determines the growth of the exponential gain. This gain amplifies the sampled value that is coupled onto the comparator through  $M_{2a,b}$ . For the Yukawa comparator built in a 0.5- $\mu\text{m}$  process technology, the time constant is roughly 200ps (less than 1 FO-4). An evaluation time of 4-FO-4 (cycle-time of 8 FO-4) is sufficient to resolve 10mV to greater than 400mV. Because  $M_{4a,b}$  is in series with the cross-coupled transistors, the  $g_m$  is degenerated, which increases the regeneration time. Alternative structures, such as an inverter-feedback structure, can potentially have a cycle-time of nearly 6 FO-4. However, note that since 8 FO-4 is also the clock-period limitation of the clock buffers and digital logic<sup>1</sup>, a comparator with cycle-time faster than 8 FO-4 is not necessary. With a minimum bit-time of 1/2 FO-4, the required amount of demultiplexing is roughly 16.

For the transceiver implemented in the 0.5- $\mu\text{m}$  process technology, 1 FO-4 is used as the bit-time targeting a data rate of 4Gb/s. Only 8 sampler+comparators are needed for the demultiplexing. The implementation used 24 samplers to oversample for the timing recovery. The total capacitance, including interconnect and termination device, tallies to roughly 2.0pF which limits the data bandwidth to 5Gb/s (using a bit-time of roughly 2RC and 50 $\Omega$  resistance).

### 3.2.3 Second-order receiver-design issues

Beside the primary issues of the sensitivity of the comparator and the input bandwidth, a number of second-order implementation issues affect the performance of the receiver. This section discusses the following considerations: setting the input common-mode voltage, clock timing, minimizing the charge kickback, and reducing metastability.

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1. Alternative sampler+comparator style using the regeneration as part of the sampling, as done by DEC and Fiedler [28], requires a fast time constant not only for short cycle-time but also for a small sampling aperture.

The 1.3-V common-mode voltage of the input is chosen to be a trade-off between a low ON-resistance of the sampling switch and a sufficient  $g_m$  of the input devices. It also accommodates the pedestal error caused by the overlap capacitance of the sampling switch. When the sampler clock falls to sample the data, the full-swing signal feeds through to the sample node and drags the common-mode voltage lower. Because of the self-loading of the sampling switch and the input capacitance of the comparator, the pedestal error is only a fraction of the supply voltage. Adding an explicit capacitor reduces the feedthrough voltage but also reduces the sampling bandwidth. The alternative method used in this design is to add cross-coupled capacitors ( $C_{2a,b}$ ). The capacitances serve two purposes. First, they allow the initial charging of the internal nodes to pull up the pedestal error. And second, the cross-coupling cancels the negative feedback from the overlap capacitance of  $M_{2a,b}$ , which increases the gain of the circuit. Otherwise, the negative feedback slows the comparator regeneration.

Further sampling error can be due to phase mismatches between  $clk$  and  $\overline{clk}$ . If  $\overline{clk}$  is enabled while  $clk$  is still *HIGH*, the comparator would begin amplification while the sampler is still tracking. This increases the uncertainty window because the output of the comparator would have some data dependence. The simple solution employed in this design uses a local inverter to delay the sampling clock before being driven to the comparator.

Another source of concern in these sampling circuits is the amount of charge that is kicked back to the input from both the previously stored data and the switching of the clock. Since different samplers are operating on different edges of the clock, the kick-back of one sampler can potentially interfere with a different sampler when it starts to track at the rising edge of  $clk$ . An advantage of having a small sampling capacitance compared to the input capacitance is that the amount of charge that is interfering with the signal is small. In addition, the RC time constant of the input is very short, which quickly attenuates any error. The switching of the clocks is also not a significant concern because for every rising edge there is a simultaneous falling edge which roughly cancels the net charge introduced.

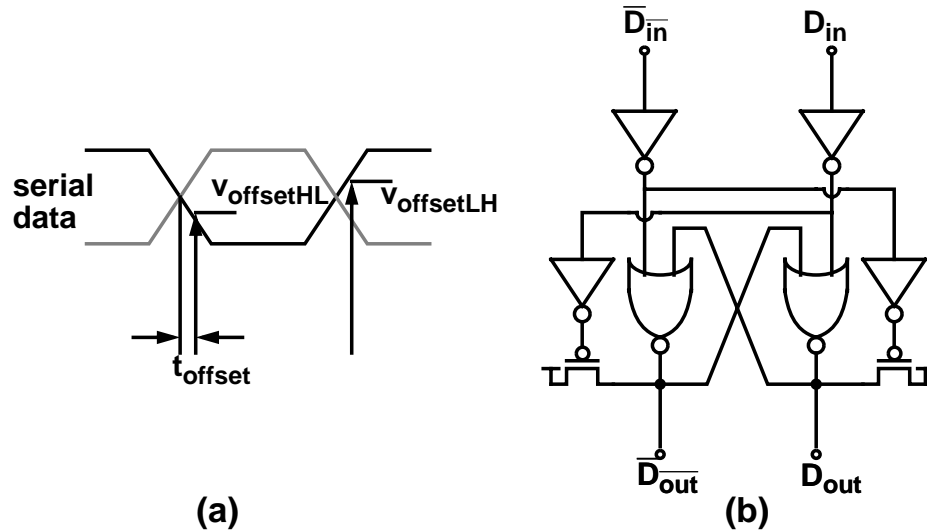
Although the bandwidth of the comparator is not critical, a fast comparator with high  $g_m/C$  has the advantage of reducing the metastability probability, which allows fewer pipeline stages. The mean time between failure, an indication of the metastability probability, can be calculated using

$$MTBF = 1/(f_{data} \cdot f_{clk} \cdot T_o \cdot e^{-t_r/\tau}) \quad \text{from Portmann in [77]} \quad [3.5]$$

where  $\tau$  is the regenerative time constant,  $t_r$  is the regeneration time, and  $T_o$  is a topology- and-process-dependent constant. A trade-off is made in the comparator used in this design. The amount of time for regeneration is reduced because the internal nodes are charged up slowly for a better input-offset voltage. Furthermore, the time constant is also longer because the clock switch that is used to break the positive feedback reduces the effective  $g_m$ . The metastability mean-time-between-failure (MTBF) of the comparator structure is simulated/calculated to be 1.6 $\mu$ s with each parameter extrapolated from simulation ( $\tau$  is 130ps, roughly 0.5 FO-4, and  $T_o$  is  $5 \times 10^{-9}$ sec). Because the MTBF is not sufficiently long to guarantee a low BER, further synchronization pipelining was implemented in the following stages.

### 3.2.4 SR-latch design

In order to remove the precharge phase from the output and to present a constant (non-data-dependent) load to the comparator, the comparator is followed by an SR-latch. Presenting a constant load is especially important because writing a new value into the latch requires the new value to overdrive the stored value. Inherently, there is hysteresis which translates effectively into an input-offset voltage that is data dependent. The amount of the input-offset voltage depends on the voltage required to store a new value, and also the gain of the comparator. The effect of this error is shown in Figure 3.16-(a). Unlike the offset voltage described previously in Figure 3.12, this offset is different for the two different transitions. If the two offsets are the same (but of different sign), the result would be a simple shift in the time position where the data is sampled, a static phase offset,  $t_{offset}$ . Because the timing-recovery circuit can roughly track offsets, this is not a serious problem. However, if the offsets are not the same for the different transitions, an



**Figure 3.16:** SR-latch structures that minimize data-dependent loading.

uncertainty window results. A latch used in this design that reduces this error is discussed below and shown in Figure 3.16-(b).

Because the output voltages are precharged *HIGH*, the data is inverted prior to driving it to a NOR structure. The inverters serve a dual purpose of appearing as a fixed (non-data-dependent) loading) and providing additional amplification. The inverter P:N ratio is carefully chosen so that its switching point matches that of the comparator to minimize the systematic offset. The feedback devices in the cross-coupled NORs are made as weak as possible to reduce the amount of voltage required to overdrive the stored value. Because a NOR feedback structure is slow due to the series PMOS, a minor modification can be made to increase the speed. A bypass path can be used to pull up the output with a PMOS directly instead of using the NOR structure. Since the inputs to the NOR structure are both low during the comparator's precharge phase, the outputs are not disturbed by the bypass path. When one of the input asserts *HIGH*, one output is pulled down by the NOR while the other is pulled up with the PMOS.

### 3.2.5 Scalability

The final issue with the receiver design is whether the data bandwidth scales with technology. In order for the scaling to occur, the factors that influence the sampling aperture must scale. Furthermore, depending on whether the signal amplitude scales, the input resolution may need to scale.

The sampling clock transition time scales with the FO-4 metric. All capacitances scale while the scaling of the sampling device would maintain the same resistance, so the RC time constants potentially scale with feature sizes. So to the first order, the aperture can be expected to scale. However, if  $V_T$  does not scale linearly with supply voltage (as is often the case with non-ideal scaling), the NMOS sampling device's linear resistance would increase, especially since the common-mode voltage of the comparator would need to be higher to keep the input devices conducting. This poses a problem with the chosen topology. An alternative topology that integrates the sampling with the comparator [99] may scale better as supply voltage is lowered.

Although the RC time constants roughly scales with technology,  $V_T$  mismatches between devices stay constant and  $K_p$  mismatches become worse. So as devices scale, the aperture uncertainty and input resolution become much more significant, requiring offset-cancellation schemes [83]. Typically, active offset-cancellation techniques have penalized the data rates because of the additional offset-cancellation phase that the comparator needs to detect the offset voltage, and because of the settling time needed for the feedback to cancel the offset accurately. Techniques that would apply to high-speed links are an interesting area of future research.

### 3.2.6 Receiver summary

This section discussed the design of a receiver that operates near the limits of the technology using a sampler+comparator architecture. To reach very high data rates, an NMOS sampling switch is used to sample the data. To maintain good resolution, common-mode noise is reduced using a symmetric, differential structure. The input resolution of the receiver is primarily limited by the input-referred offset voltage of the comparator following the sampler, which in turn depends on the device mismatches. Because the offset voltage also affects the aperture uncertainty, the minimum bit-time increases with larger offsets or alternatively with smaller input swing. Based on the characterization of the sampling switch and the comparator, the receiver can achieve bit-times of less than 1/2 FO-4 and resolution of 60mV with small enough input capacitance per sampler to allow more than 30 samplers in parallel without limiting the bandwidth.

### 3.3 Summary

This chapter shows how one can use the low off-chip impedance to implement a higher degree of parallelism. Signalling at a higher number of bits/clock cycle improves the minimum bit-time of both the transmitter and the receiver. The transmitter can operate with bit-times of less than  $3/4$  FO-4 and the receiver can operate at less than  $1/2$  FO-4. The limitations of the transmitter are the transition time of the on-chip signal, and the inherent filtering due to the output capacitance. The limitations of the receiver are how quickly the data can be sampled and the inherent filtering of the input capacitance. The maximum sampling rate is determined by the sampling aperture (which depends primarily on the switch RC and the slew-rate of the clock) and the aperture uncertainty (which depends primarily on the input-offset voltage of the comparator).

The analysis has so far assumed zero clock jitter even though jitter is one of the most significant sources of aperture uncertainty. We further assumed ideal phase spacing between clocks. The next chapter begins with a discussion on methods to generate the precise clock phases needed for multiplexing and demultiplexing, and factors that limit the precision of these clocks.



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## Chapter 4

# Clock Generation and Timing Recovery

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The previous chapter assumed that the clock for the transmitter and receiver were from an ideal source. This chapter addresses the issues in generating the clocks for a very high data-rate system. Since most high-speed links use a phase-locked loop (PLL) to generate the clock, the next section explores phase-locked loop design in more detail, paying particular attention to the sources of phase noise in the system. Section 4.2 then discusses how the PLL design can be extended to generate the multiple clock phases that are used by the multiplexing transmitter and demultiplexing receiver. Since the bit-times are defined by the spacing between the clock phases, the section describes the primary causes of phase spacing errors and provides some measured results.

In addition to generating the clock phases, the phases for the receiver must be aligned with respect to the input data stream to receive the data with maximum timing margin. To perform the alignment, phase information must be extracted from the input. Two architectures have been proposed in Section 2.3: a phase-picking scheme that oversamples the data, and a data-recovery PLL that aligns the PLL output to the phase of the input data. These two architectures are compared in Section 4.3 in terms of the static phase error and the jitter that each would introduce. Traditionally, PLLs have been used for high data rates. Phase-picking architectures with high degree of oversampling have not been used due to the larger complexity and area and power overhead. Because the results from the previous chapter on the sampling aperture suggest that the samplers can sample

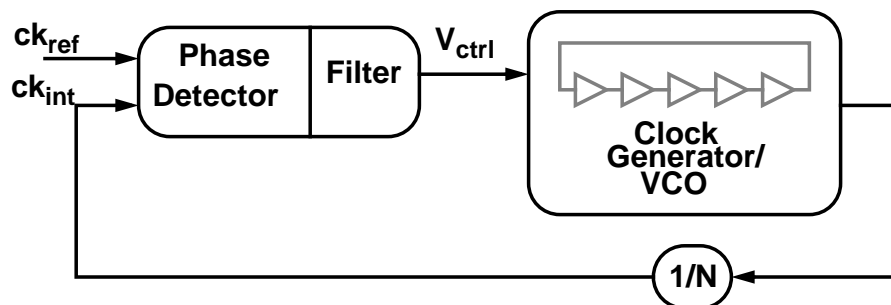


faster than the transmitted data rate, an oversampled phase-picking was chosen in this design to explore the effectiveness of this timing recovery scheme. Section 4.4 describes the implementation of the phase-picking timing-recovery architecture.

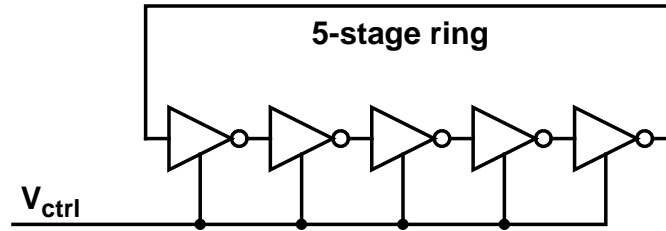
## 4.1 Clock Generation

PLL clock sources are commonly found in high-speed links. For receivers, they provide the ability to generate an internal clock correctly phase aligned to the input. For the transmitter, they provide an easy way to generate high internal clock frequency from a lower-frequency external clock. In addition, for systems needing multiple clock phases, a ring-type oscillator can be used within the loop and the phases can be tapped from the different ring stages. A block diagram of a basic PLL is depicted in Figure 4.1. The divide by  $N$  in the feedback forces the on-chip frequency to be a multiple of the off-chip frequency. By locking to a stable external signal, the active feedback of the loop compensates any slow on-chip drifts in frequency caused by temperature or supply variations. This section describes the design of the PLL used in the transmitter that locks to an external frequency reference. The same architecture can potentially be extended to the receiver depending on the timing recovery architecture which will be discussed in Section 4.3.

The first part of this section describes the design of the voltage-controlled oscillator (VCO) and pays particular attention to factors that affect clock jitter. The PLL servo the phase of this oscillator output to track the external phase. Because this tracking rejects the frequency drifts of the on-chip oscillator, the design of the loop and its other components can reduce the resulting jitter. The second part of this section discusses



**Figure 4.1:** PLL block diagram



**Figure 4.2:** Voltage-controlled ring oscillator schematic.

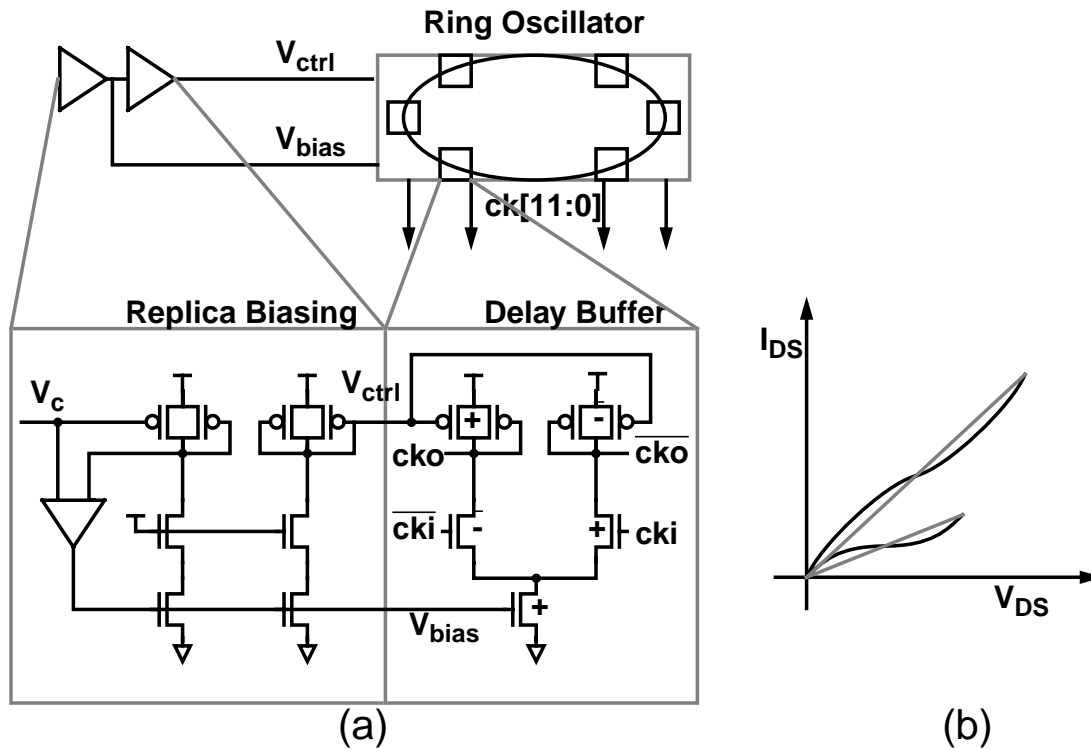
remaining loop components and the loop dynamics. In the last part, the jitter contribution is estimated from considering the noise sensitivity of the components.

### 4.1.1 VCO design

The key element in a VCO-based PLL is the VCO. While there are many possible types of VCO, the most widely used in VLSI implementation is a ring-oscillator structure, shown in Figure 4.2, where the delay of each ring element is controlled by an external voltage. Unfortunately, the delay is also affected by the supply and substrate voltage, so the supply and substrate noise creates timing noise, or jitter. In a ring configuration, these voltage variations effectively cause the frequency of the oscillator to change; the phase error introduced is the integral of this frequency difference and accumulates over many cycles. To reduce the jitter, the loop elements are designed for low supply and substrate sensitivity.

The output of the ring oscillator is typically buffered before being used as the global logic clock, the data sampling clock, or the feedback clock for the phase detector input. Inverter buffers are often used to drive heavy loads efficiently. If the VCO design is very low in jitter, this buffering can often contribute a significant fraction of the total jitter because inverter buffers can be much more sensitive to supply or substrate noise. This section will describe both the design of a low sensitivity VCO using differential elements with small swings as well as the buffers that convert the small swing into full swing sampling and pre-driver clocks.

The differential delay elements by Maneatis in [64] are used in the oscillators of this design. The elements, illustrated in Figure 4.3-(a), are designed for low sensitivity of the delay to common-mode noise. Supply variations affect delay in these buffers because the output of the NMOS current source varies due to its finite output impedance. Similarly,



**Figure 4.3:** Delay element and its biasing scheme using a half-buffer replica [64] shown in (a), and the load element I-V characteristics in (b).

substrate noise causes  $V_T$  variations in the NMOS current source device which again affects the buffer current. The current variation changes the  $V_{DS}$  of the load element hence changing the effective resistance and the delay. The load structure, composed of two PMOS devices, is insensitive to these variations to first order due to the swing limiting by the diode-connected device and the symmetric I-V characteristics [64], as shown in Figure 4.3-(b).

Additionally, a replica-bias loop is used to maintain constant current. The  $V_{bias}$  is generated using an amplifier that adjusts the current of a half-buffer replica and the delay elements. The current through the replica controls the output voltage,  $V_{ctrl}$ , until it matches the voltage from the loop filter,  $V_c$ .<sup>1</sup> This feedback loop effectively improves the output impedance of the current source and adjusts the current for substrate variations. Since this

1. Finite gain in the amplifier causes an offset between  $V_c$  and  $V_{ctrl}$ . This offset can change with supply voltages, causing a subtle source of frequency error due to supply noise.

feedback loop corrects the buffer currents to compensate for noise, high bandwidth is essential for good supply rejection.

For further supply rejection,  $V_{ctrl}$  is carefully routed so that all capacitance is only to  $V_{DD}$  and so that  $V_{GS}-V_T$  stays constant even with supply noise. Otherwise, ground noise coupled to  $V_{ctrl}$  through stray capacitance would induce an error voltage that would cause a frequency error.

The oversampling receiver implemented in a 0.5- $\mu\text{m}$  process technology uses a six-stage ring oscillator running at 500MHz. The simulated sensitivities to supply and substrate noise are shown in the Table 4.1. The unit for supply sensitivity is the percentage change of the VCO frequency per percentage change of supply variation. The substrate sensitivity is measured as the percentage change of VCO frequency per 100-mV of substrate noise. The “static” noise is a dc change in the supply or substrate, and the “dynamic” noise measures the frequency change without the compensation by the replica bias. Because the replica-bias loop has a bandwidth of roughly the oscillation frequency,  $(2/3)f_o^1$ , the response to step noise is nearly the static sensitivity measurement.

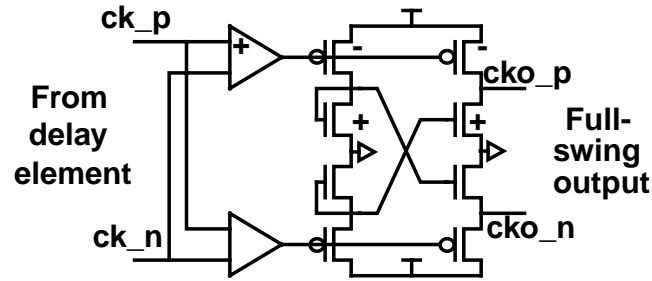
Type of noise	Sensitivity
Static supply noise	0.060 (%/%)
Dynamic supply noise	0.110 (%/%)
Static substrate noise	0.107 (%/100-mV)
Dynamic substrate noise	2.8 (%/100-mV)

**Table 4.1:** Supply and substrate sensitivities of VCO

The low-swing outputs of the delay elements are converted to large-swing, digital signal using a low-swing-to-high-swing converter by [64], illustrated in Figure 4.4. This converter comprises two operational amplifiers followed by a cross-coupled push-pull

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1. The replica-bias feedback loop contains two poles: one at the output of the replica, and another at the feedback to the amplifier. The bandwidth of the loop is roughly half the frequency of the higher-order pole while still maintaining stability which is roughly the bandwidth of the delay buffer ( $f_{pole} = 0.5/2\pi RC$ ). Meanwhile, the oscillation frequency of a six-stage ring oscillator is roughly  $1/8RC$ . These two calculations roughly yield the 2/3 fraction.



**Figure 4.4:** Low-swing to high-swing converter

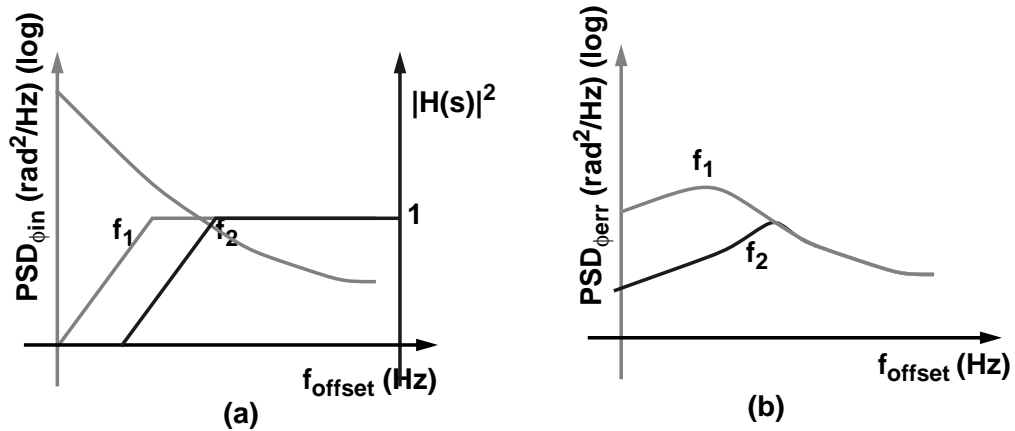
amplifier. For greater driving strength in the transmitter pre-driver, this converter is followed by inverters. The inverter and the converter have higher supply sensitivities of roughly 1%/% and 0.2%/%, respectively, based on simulation. In this design, to maintain low jitter, the inverter is not used for the receiver; the receiver samplers use the low-swing-to-high-swing converter outputs directly to sample the data.

The delay of the converter and buffering can be used to estimate the amount of jitter due to these elements for a given supply noise. For the receiver clocks, the delay, which is only due to the converter, is 1.5 FO-4 (3/16 of the clock period). The delay of the clock path in the transmitter is longer because the clocks from the oscillator are used by the pre-drivers to define the transmitted data signal. The pre-driver delay of the transmitter from the oscillator to the data output is 3 FO-4 delays (3/8 of the clock period).

The total jitter of the transmitted output and the sampling clock depends on the amount contributed by the VCO and the subsequent buffering. The delays of the buffers and their sensitivity can be used directly to calculate peak jitter from these components. However, the jitter from the VCO is more difficult to estimate because the phase error accumulated by the VCO is corrected by the PLL. The resulting peak-to-peak jitter depends on the design of the PLL. The next section will discuss the loop design and conclude with a jitter calculation using the sensitivity numbers of this section.

### 4.1.2 Loop design

The PLL locks the oscillator output clock to the external reference signal using a phase/frequency detector and a filter in a feedback loop. The phase/frequency detector produces current pulses that have widths equalling the phase difference. The filter integrates the phase error. The filter output is driven to the VCO and servoes the steady-state phase error



**Figure 4.5:** Power spectral density of phase noise of an oscillator with different tracking bandwidths.

to zero. The input to the VCO controls frequency and not phase, so the oscillator also integrates phase, producing a feedback loop that behaves as a second-order system.

The primary concerns of this loop are stability and the jitter performance. A loop that responds more quickly to noise can reduce the effective jitter of the output clock relative to the reference signal. This section will begin with an illustration of how jitter depends on the loop bandwidth. A high loop bandwidth is desirable but is limited by the loop stability concerns. The second part of this section discusses the loop dynamics of a second-order PLL.

#### *Effect of bandwidth on jitter*

To illustrate the effect of loop bandwidth on jitter, the jitter of an oscillator is shown by the single-side band power spectral density (PSD) in the grey line of Figure 4.5-(a). The two curves (solid and dashed) depict the bandwidths of two PLL locked to this oscillator. The feedback loop tries to minimize the phase error between the oscillator and the PLL outputs. By tracking the low-frequency phase noise, the PLLs behave as high-pass filters that reject the lower-frequency noise. Figure 4.5-(b) illustrates the resulting PSD for the two different tracking bandwidths. The integral of the area beneath the curve is an indication of the amount of noise power and hence jitter [35] ( $\sigma_{\phi}^2$  for Equation 2.4). A higher bandwidth can reduce timing errors substantially. In this illustration, the loop dynamics are greatly simplified. The following paragraphs describe the transfer function of a second-order PLL and the noise response of the phase tracking circuit.

### Loop dynamics

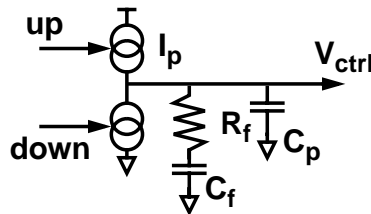
Because the system contains two poles, the  $180^\circ$  maximum phase shift can cause the loop to be unstable. A properly positioned zero is required to stabilize the loop. To implement both the filter integrator and the stabilizing zero, one typically uses a charge pump driven by pulses from the phase detector [31]. Figure 4.6 shows the RC network,  $Z(s)$ , comprising a resistor,  $R_f$ , in series with the filter capacitor,  $C_f$ . This filter integrates the charge pump current into a voltage. The filter output voltage can be expressed as

$$\frac{V_c(s)}{\phi_{err}(s)} = I_p Z(s) = I_p \frac{sR_f C_f + 1}{sC_f} = K_f \frac{(s/z + 1)}{s} \quad [4.1]$$

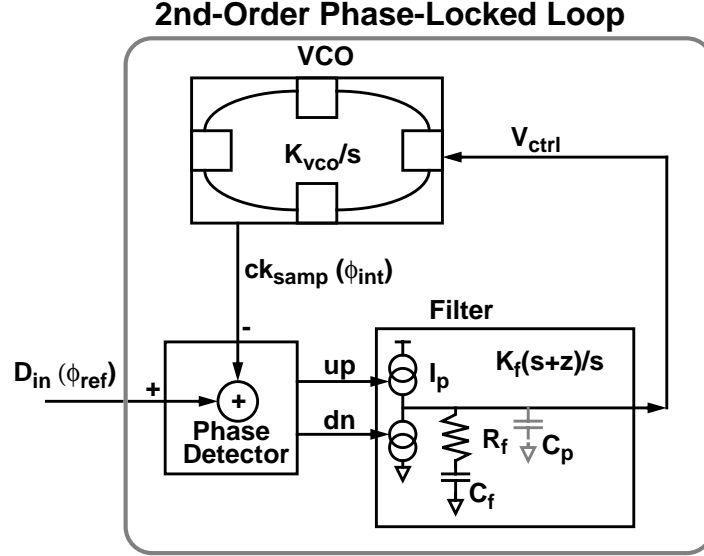
where  $I_p$  is the charge pump current normalized to coulombs-per-radian,  $I_{pump}/2\pi f_{in}$ .

To illustrate the loop dynamics of this second-order system, Figure 4.7 depicts the functional blocks of a typical PLL using the charge pump and RC elements for the filter. The  $s$ -domain representation of each block is also shown in the figure. The variable  $K_f$  (volts/radian) is the resulting voltage for a phase difference. The filter gain for a charge pump implementation is determined by the charge pump current,  $I_p$ , divided by the filter capacitance,  $C_f$ . The variable,  $K_{vco}$  (rps/volt), corresponds to the frequency change of the VCO due to a change in the filter voltage. In most implementations, the control voltage of the VCO,  $V_{ctrl}$ , has parasitic capacitance,  $C_p$ . Although this capacitance introduces an additional pole which degrades the phase margin of the feedback loop, it helps reduce the ripple on  $V_{ctrl}$  due to the current switching of the charge pump. Based on these parameters, the loop input transfer function is formulated as

$$\frac{\phi_{int}}{\phi_{ref}} = \frac{s/z + 1}{s^3/(pK_{loop}) + s^2/K_{loop} + s/z + 1} \approx \frac{s/z + 1}{s^2/K_{loop} + s/z + 1} \quad [4.2]$$



**Figure 4.6:** Filter implementation using a series resistor for a zero.



**Figure 4.7:** 2nd-order charge pump PLL block diagram

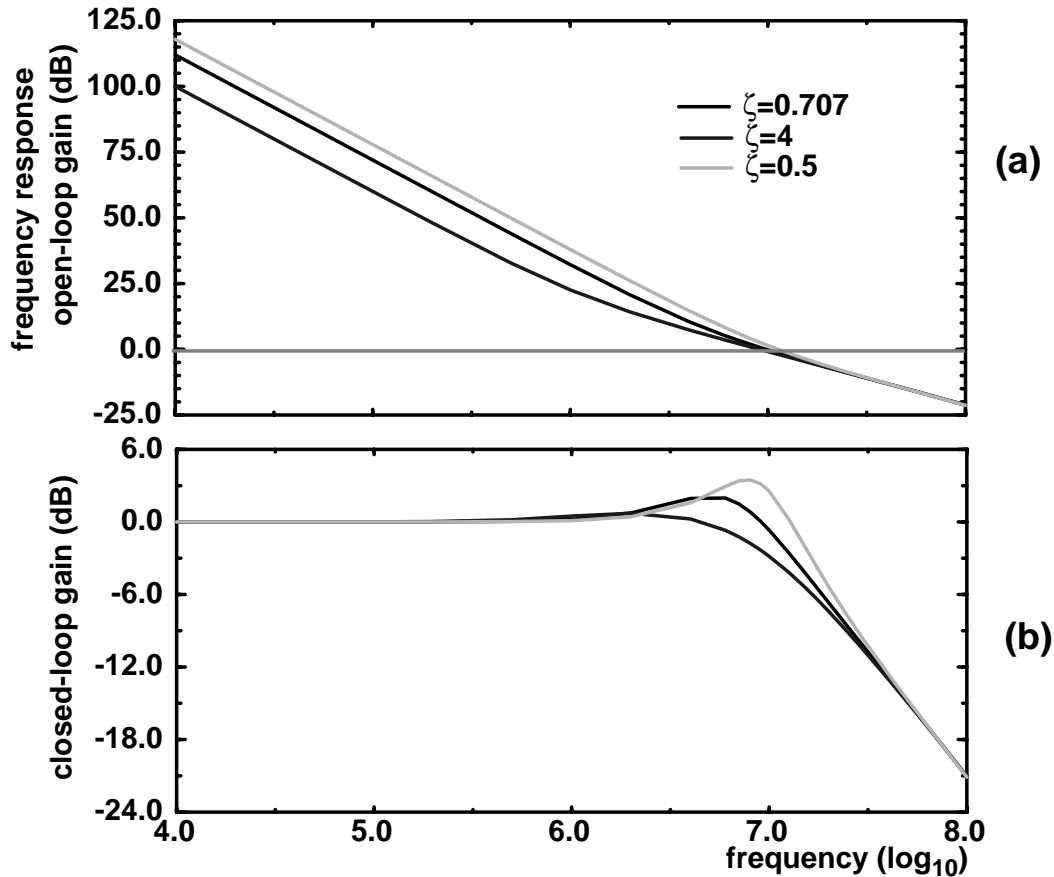
where the first equation does not consider  $C_p$ , while the second equation does. In Equation 4.2,  $K_{loop}$  is  $K_f K_{vco}$ ,  $z$  is the stabilizing zero position, or  $-1/R_f C_f$ , and  $p$  is the additional pole due to  $C_p$ ,

$$p = (C_f + C_p) / (C_f C_p R_f). \quad [4.3]$$

The bandwidth of the loop is set by the loop gain,  $K_{loop}$ , and the position of the stabilizing zero. Figure 4.8-(a) plots the open-loop transfer function where the crossover frequency can be used to estimate the 3-dB bandwidth of the loop. For a desired crossover frequency, the zero position and the loop gain adjust the damping factor of the loop. Figure 4.8-(a) and (b) depict the open-loop and closed-loop transfer functions for the critically damped, underdamped, and overdamped conditions with roughly the same crossover frequency. Figure 4.9-(a) and (b) illustrate the time-domain response of the different conditions to a step in the input phase and to a step in the supply voltage of the VCO. To minimize the error and maintain a high bandwidth, the loop is typically critically damped. The criterion for critical damping in a second-order system is  $\zeta = \omega_n / (2z) = \sqrt{2}/2$ ; the zero frequency can be expressed as

$$z = \frac{\omega_n}{\sqrt{2}} = \sqrt{\frac{K_{vco} K_f}{2}} \quad [4.4]$$

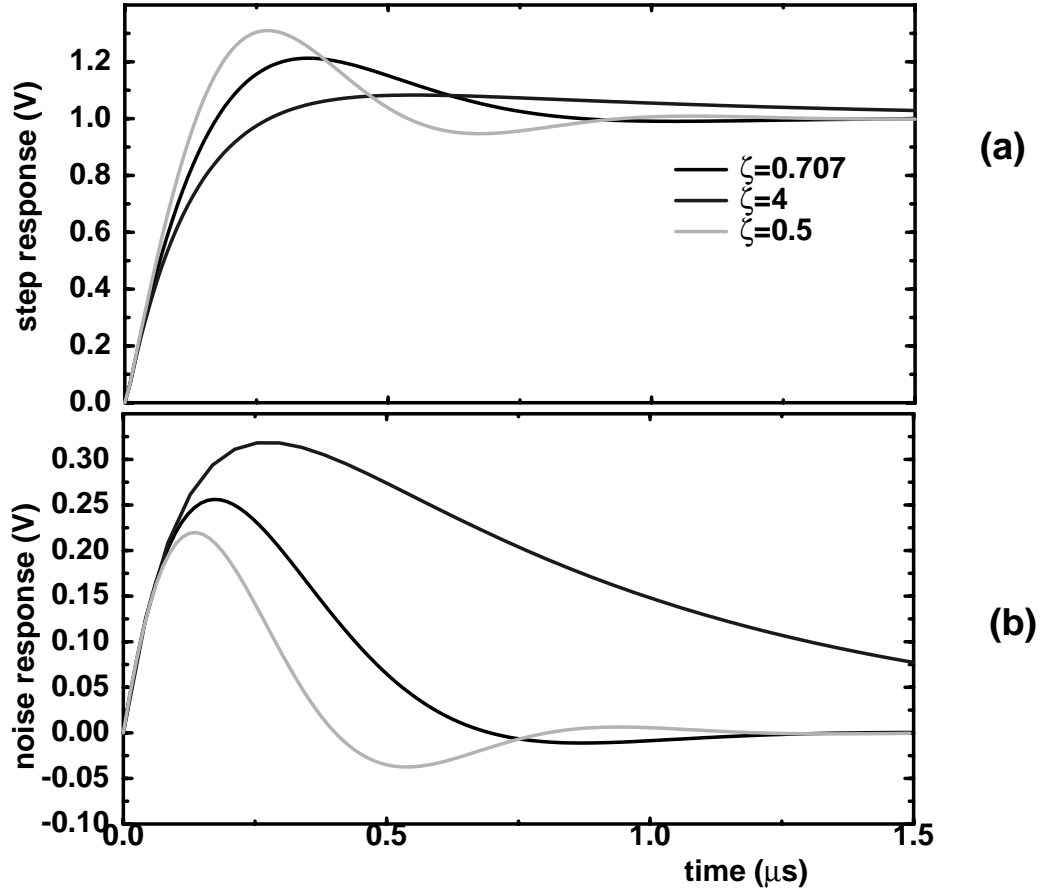




**Figure 4.8:** Three different responses for over-, under-, and critically damped loop. (a) shows the open-loop frequency response, and (b) shows closed-loop frequency response. the time-domain response to a step in phase.

where  $\omega_n$  is the natural frequency of the feedback loop. The crossover frequency of the critically-damped PLL is roughly  $2z$ . For a critically damped loop, the phase margin is roughly  $78^\circ$ .

Although designers aim for a high crossover frequency and high phase margin, several factors degrade the phase margin and limit the crossover frequency. First, because a PLL is a sampled system where new phase information arrives at discrete intervals, there is an inherent delay in the feedback loop. This delay lowers the phase margin of this second-order system and can cause instability. The phase margin can be further lowered by any additional buffering delay in the feedback path. The crossover frequency is typically less than  $1/10$  the input frequency, because a delay of one clock cycle with this crossover frequency would cause a phase margin degradation of  $36^\circ$ . A higher crossover frequency can lead to instability. Additional phase margin degradation occurs if the



**Figure 4.9:** Three difference responses for over-, under-, and critically damped loop. (a) shows the time-domain response to a step in frequency, and (b) shows the time-domain response to a step in supply.

crossover frequency is too close to the 3rd-order pole,  $p$ . When the crossover frequency is within  $1/5$  of the 3rd-order pole, the phase margin degrades to less than  $45^\circ$ . To set the appropriate crossover frequency, the filter gain,  $K_f$ , is often adjusted along with the zero position.

The frequency response in Figure 4.8-(b) illustrates the tracking bandwidth of the loop which not only tracks input phase movement but also rejects on-chip noise. The transfer function in Equation 4.2 can be rewritten to include the supply noise filtering as the second term in the following equation:

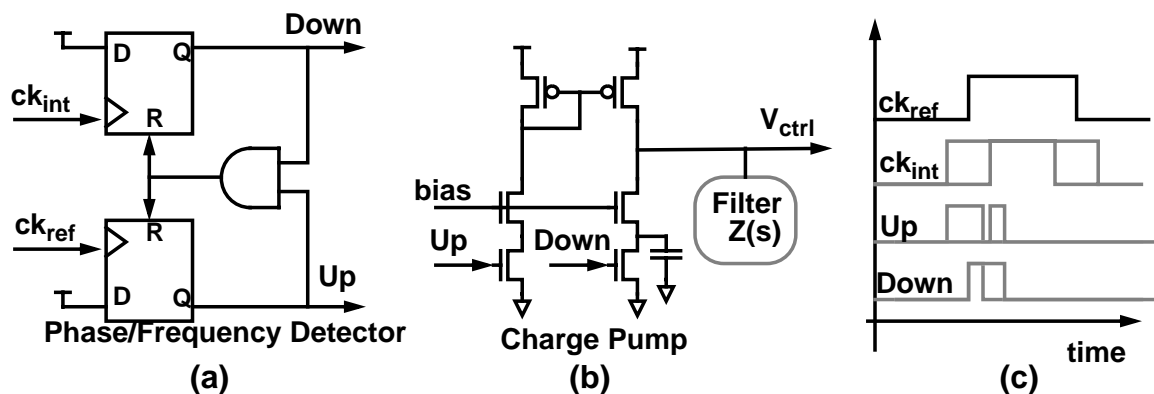
$$\phi_{out} = \frac{\phi_{in}(s/z + 1)}{s^2/K_{loop} + s/z + 1} + \frac{v_n s K_n / K_{loop}}{s^2/K_{loop} + s/z + 1} \quad [4.5]$$

The additional variable,  $v_n$ , is the noise induced onto the VCO, and  $K_n$  (rps/volt) is the sensitivity of the VCO to this noise as discussed in the prior VCO discussion. The second term exhibits a band-pass behavior where the noise is amplified at the loop bandwidth, a phenomenon also known as “jitter accumulation”. Phase error is initially accumulated at a rate determined by the frequency error induced by the supply noise,  $v_n K_n$ . This accumulation can be seen in all the curves of Figure 4.9-(b). For a critically damped loop, the maximum phase error is reached, at time of  $1/\omega_n$ . The maximum error can be calculated by

$$(1/e)v_n K_n f_{osc} / \omega_n \quad [4.6]$$

### Phase-detector and charge-pump design

Before applying the loop dynamics to calculate the jitter, the two remaining components of a PLL beside the VCO are discussed: the phase detector and the loop filter. Figure 4.10-(a) shows the functional diagram of the phase detector design used in our PLL design which uses two resettable latches. Whichever edge arrives first asserts the corresponding *Up* or *Down* signals causing the charge pump to dump or drain charge. The later edge asserts the other signal. After a short reset delay both *Up* and *Down* signals are deasserted by the reset signal.<sup>1</sup> The output of the phase detector switches the current of a charge pump, shown in Figure 4.10-(b), that adjusts the voltages in the filter. Figure 4.10-(c) illustrates the timing of the phase detector outputs in response to a leading (grey signal)



**Figure 4.10:** Phase detector schematic (a), charge pump schematic (b), and phase detector timing diagram in (c).

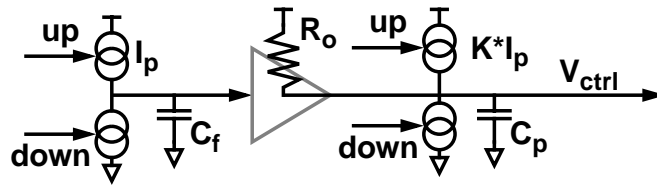
1. This also aids frequency lock since large differences in frequency would cause a continuous *Up* or *Down* to be asserted.

and lagging (dashed signal) internal clock phase. If the clocks are slightly out-of-lock, either the *Up* or *Down* pulse widens to inject a non-zero charge. When phase-locked, the charge pump pumps equal *Up* and *Down* pulses with the pulse-width equal to the reset delay. By using the minimum pulse-width, the detector provides phase information to the charge pump regardless of the input phase difference. This minimum width avoids a common problem in phase detectors of not providing phase information when the input difference is too small, which results in a “dead-band”. If a phase detector has a dead-band, the uncertainty in the locking results in additional jitter.

The filter shown in Figure 4.6 uses a resistor to set the zero position. However, resistors in most CMOS digital technology have large variations. Often, a loop bandwidth that is less than  $1/20 f_{in}$  is used to account for the variations and to ensure stability. Instead, for this design, the zero is implemented as a proportional charge pump current that is summed onto the loop control voltage ([26] and [63]) depicted in Figure 4.11. The intuition is that the zero applies “proportional control” in addition to the “integral control” of the filter capacitor to stabilize the feedback system. After re-formulating the expression using proportional currents, the same form as Equation 4.1 can be derived:

$$\frac{V_c(s)}{\phi_{err}(s)} = \frac{I_p}{sC} + KR_o I_p = I_p(s) \frac{sKR_o C + 1}{sC} = K_f \frac{(s/z + 1)}{s} \quad [4.7]$$

where  $K$  is a proportionality constant and  $R_o$  is the output impedance of the replica bias element used to set the control voltage. Since the element is a half-buffer replica, the  $R_o$  is proportional to the frequency of operation allowing the zero to be placed accurately as a fraction of the operating frequency.<sup>1</sup>



**Figure 4.11:** Filter implementation using proportional charge pump to implement the zero.

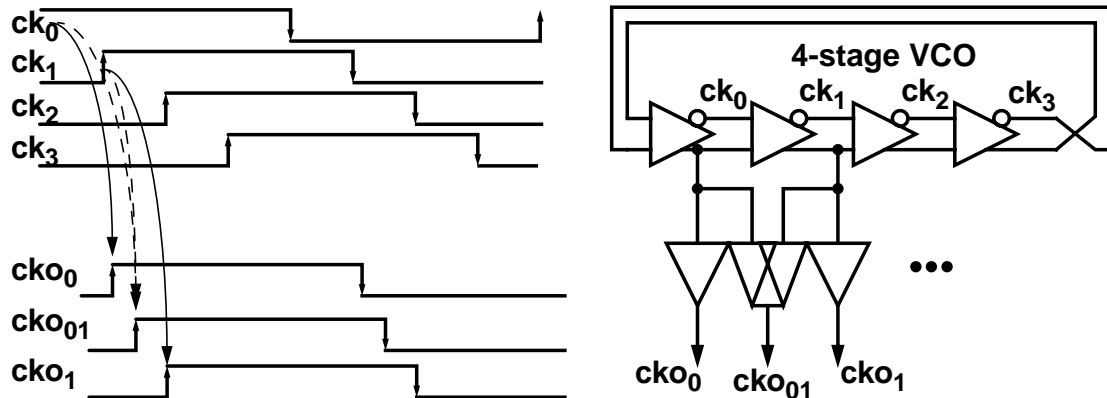
### 4.1.3 Jitter

For the transceiver implemented in the 0.5- $\mu\text{m}$  process technology with a 250-MHz input frequency and 2x on-chip frequency multiplication, the transmitter PLL is designed to have a loop bandwidth of roughly 15MHz (1/16 of the input frequency) with a phase margin of  $70^\circ$ . The PLL for the oversampling receiver has a lower bandwidth of roughly 5MHz, 1/50 of the input frequency. These loop bandwidths can be applied to calculate the amount of jitter contributed by the PLLs using Equation 4.6 and the supply sensitivity of Section 4.1.1. With a 10% supply step, the peak-to-peak jitter from the PLL is 2% and 6% of the on-chip clock period for the transmitter and receiver, respectively. With the same supply noise, the jitter contribution of the elements following the VCO can be calculated based on values of the prior section to be 3.7% for the transmitter and less than 1% for the receiver. The total peak-to-peak jitter at the output of the transmitter and the sampling clock are 5.7% and 8%, respectively. Note that these jitter numbers only indicate the noise from the PLL clock generation. The amount that these noises degrade the timing margin still depends on how the timing of the data is recovered.

## 4.2 Multiple-Phase Clock Generation

In addition to locking the on-chip clock to an external reference, multiple phases are needed to multiplex and demultiplex. A ring oscillator is a convenient way to generate the multiple phases. As illustrated in Figure 4.12, eight clock phases are generated using a four-stage ring-oscillator built with differential delay elements (four true and four complement phases). In order for the ring to oscillate with an even number of stages, the differential outputs of one of the stages is twisted to introduce an additional inversion. This four-stage oscillator suffices for the clock generation for the transmitter.

- 
1. Interestingly, the zero placement can be made to track the operating frequency if the equality of Equation 4.4 is maintained. For the symmetric load element of the delay buffers,  $K_{VCO}$  is roughly constant and  $R_o$  is proportional to  $1/(\sqrt{I_{buf}})$ , where  $I_{buf}$  is the current through the delay element. Therefore as long as  $K_f$  is proportional to  $I_{buf}$  (by making the charge pump current proportional to  $I_{buf}$ ), the loop stability is guaranteed for a wide frequency range.[63]



**Figure 4.12:** Clock phases tapped from a VCO and using interpolation for finer phase spacing.

Greater complexity is required when closer spaced clocks are needed. For example, the 3x oversampled phase-picking timing-recovery technique described later in this chapter requires 24 (3x8) phases. While a 12-stage ring-oscillator could generate the needed phases, the phase spacing is limited to the delay of the buffers which is too large for the oversampling of each bit. To generate these finely spaced clock phases, this section discusses a simple technique of interpolation that mixes between two phases to generate an intermediate phase.

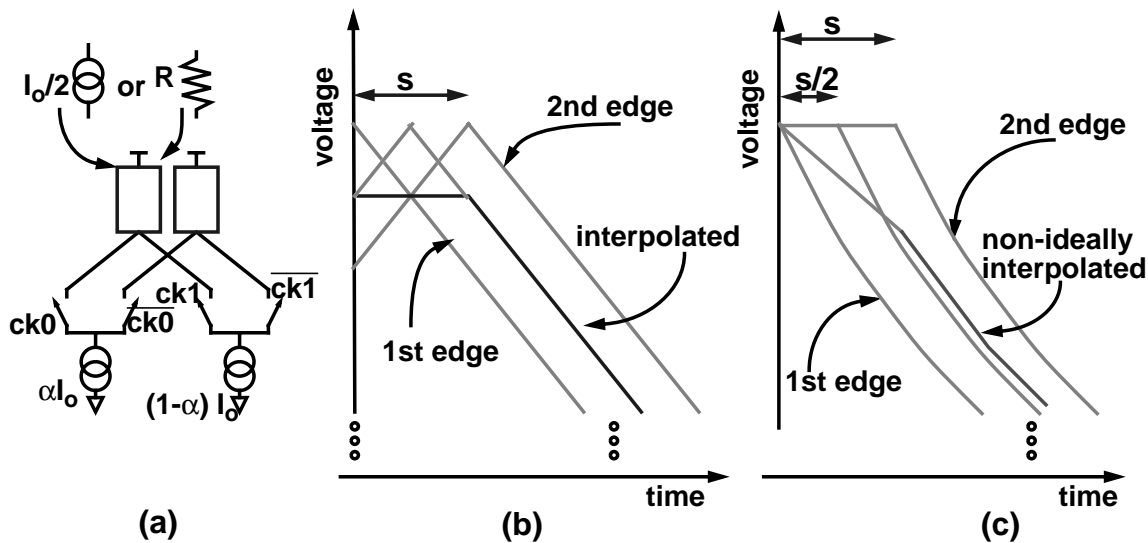
As mentioned previously, the phase spacings determine the integrity of the bit-times and the oversampling which affects the timing margin. The following sections discuss three main sources of phase error: interpolator error, transistor mismatch, and synchronous noise.

### 4.2.1 Interpolation

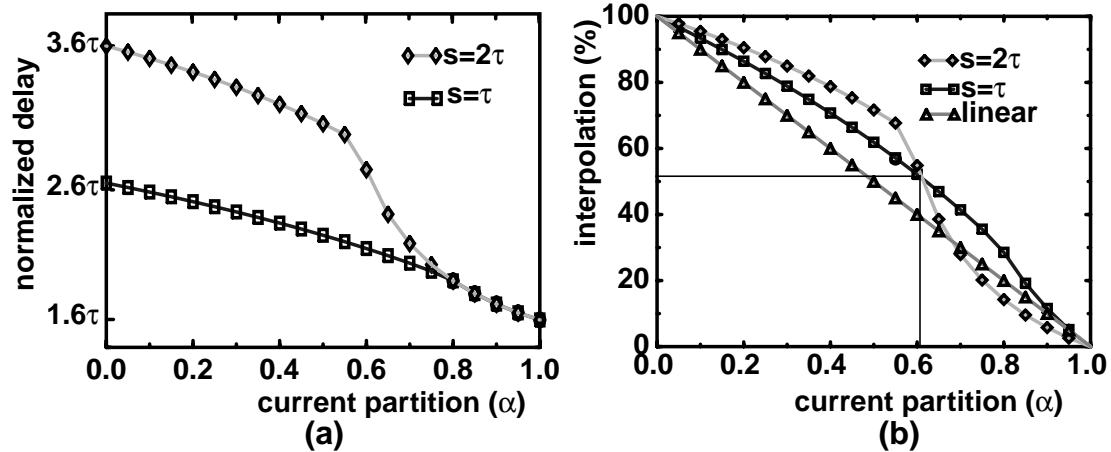
To generate phase spacing of less than a buffer delay for the receiver, clock phases separated by one buffer delay are interpolated by an interpolator. Since this interpolator has an intrinsic delay, the clock phases are also delayed by non-interpolating buffers so that the interpolator output is a clock phase in between the clock phases from the buffers. The lower part of Figure 4.12 illustrates the “interpolated” clock output,  $cko_{01}$ , and the “non-interpolated” clock outputs,  $cko_0$  and  $cko_1$ , with earlier and later “interpolating” clocks,  $ck_0$  and  $ck_1$ . Ideally, this interpolation can be done by tying the outputs of two integrators as shown in Figure 4.13-(a) where  $ck_0$  is the earlier clock. For a total current of  $I_o$ , the amount of current allotted to each element ( $\alpha I_o$ ,  $(1-\alpha)I_o$ ) determines the percentage

of interpolation. For the period of time between the two interpolating clock edges, only one of the two elements is *ON*, pulling only a fraction,  $\alpha$ , of the total current until the second interpolating clock edge arrives. The case for  $\alpha=0.5$  is illustrated in Figure 4.13-(b) where the interpolated clock is the black signal and the ideal position is the dotted signal. Compared to the non-interpolated outputs, the interpolated output is delayed by a fraction,  $(1-\alpha)$ , of the spacing between the two interpolating inputs. This is ideal interpolation where the current partitioning,  $\alpha$ , determines the amount of delay.

With a resistive load, an error develops, causing non-ideal interpolation as illustrated in Figure 4.13-(c) for 50% interpolation. The ideal interpolated clock phase is drawn in a dotted line. The result of the current-partitioned interpolation ( $\alpha = 0.5$ ) is shown in the solid line having two different segments. For ideal interpolation with resistor loads, during the first segment the interpolated edge would slew at half the rate of the non-interpolated clocks for the duration of the clock spacing,  $s$ , to delay the interpolated clock by  $s/2$ . At time  $s$ , when the second input arrives, the slew rate of the interpolated edge sharpens to equal that of the non-interpolated edge. The error occurs because the interpolated edge slews toward half the swing,  $I_o R/2$ , in a current-partitioned interpolator, rather than at half the rate. The voltage of the interpolator output when the second input arrives should be the same as the voltage of an ideally intermediate clock phase after time  $s/2$ , but instead it is slightly higher. The error can be formulated with an equation for an ideal 50% current-partitioned interpolation. The left-hand side of Equation 4.8 is the



**Figure 4.13:** Interpolation example with ideal integrator and with RC load.



**Figure 4.14:** (a) shows the interpolator delay of interpolator with resistive loads for two different interpolating clock spacing,  $s$ . (b) illustrates the percentage interpolation error.

voltage at the junction of the two segments where the equation assumes a normalized voltage,  $I_o R$ . The right-hand side of the Equation 4.8 is the voltage of an ideally intermediate clock phase.  $\Delta$  is the interpolation error.

$$\frac{1}{2}(e^{-s/\tau} + 1) = e^{-(s/2 - \Delta)/\tau} \quad [4.8]$$

This equation is solved to obtain:

$$\Delta/\tau = \ln\left(\cosh\left(\frac{s/\tau}{2}\right)\right) . \quad [4.9]$$

By using this equation with  $s=\tau$ , the error,  $\Delta/\tau$ , is roughly 12% of the spacing. Because the solution is positive, the interpolated edge position is later than the ideal position.

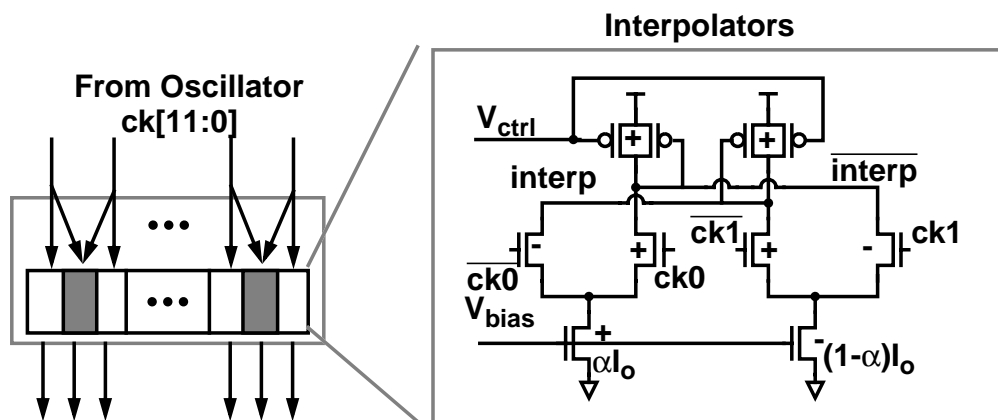
The error changes as the partitioning of the interpolator current changes. Figure 4.14 shows how the delay changes for two different input timings, the square symbols represent the output with an input spacing of  $s = \tau$ , and the diamond symbols represent an input spacing of  $s = \tau$ . Figure 4.14-(a) plots the delay of an interpolator, while Figure 4.14-(b) normalizes the delay to make the interpolation error clearer. The phase spacing of the input is normalized by the time constant of the output,  $\tau$ . The delay at the lower right corner of Figure 4.14-(a) is the inherent delay of the buffer without interpolation,  $1.6\tau$ . As less current is partitioned for the earlier clock edge, the delay increases to  $1.6\tau+s$ . Notice the convex shape (square curve) compared to ideal linear interpolation (triangle curve).



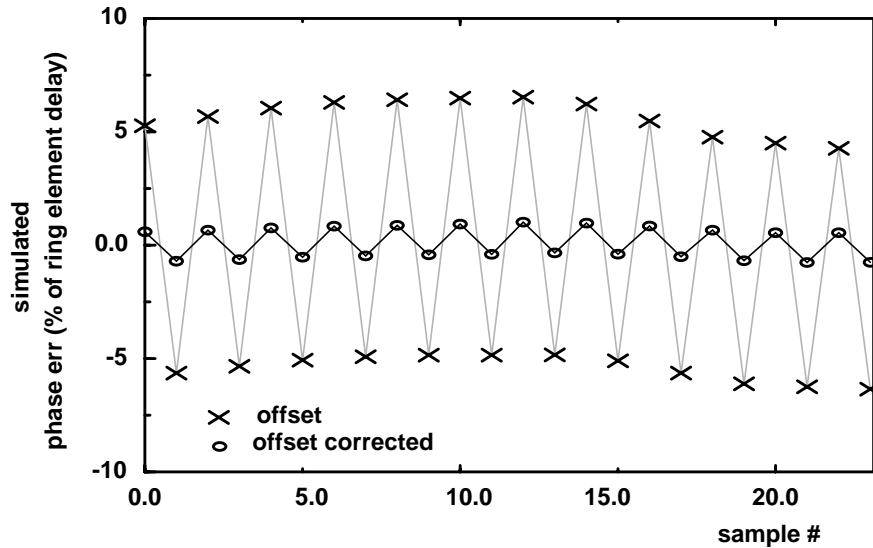
This static phase offset depends entirely on the current partitioning, the output time constant (fan-out), and the input spacing, with only a slight dependence on the fan-in. If 50% interpolation is desired, the error can be corrected by systematically favoring the current partitioning to the earlier input with an  $\alpha > 0.5$ . This correction would decrease as  $s/\tau$  decreases.

Interestingly with  $s > \tau$ , the curve deviates from the concave shape and no longer follows the calculation of Equation 4.8. The second set of curves, the diamond curve, in Figure 4.14 illustrates the change. With very large  $s/\tau$ , the interpolated clock delay depends primarily on the arrival of either the earlier or later input (depending on  $\alpha$ ) and is not a smooth interpolation. Although the interpolation error can also be compensated by adjusting the current partitioning, the problem is that the interpolation error changes sharply with small errors in the partitioning, making the systematic cancellation unreliable. This effect is avoided in this design by interpolating with consecutive buffers which have phase spacing of roughly  $0.7\tau$  so that only the square-symbol interpolation curves apply.

To implement the interpolator circuit, two buffers from the design in Figure 4.3 are used with their outputs shorted together as shown in Figure 4.15 ([37] and [64]). The S-shaped I-V characteristics of the load device deviates from a linear resistor. The lower impedance at the peak swing corresponds to a lower RC time constant for the interpolation spacing and hence increases the interpolation error. However, the error is not significant



**Figure 4.15:** Interpolator schematics



**Figure 4.16:** Interpolation error for six-stage oscillator

because when the  $V_{ctrl}$  of the delay elements is low (large  $V_{GS}-V_T$ ), the curvature of the I-V characteristics is less, approximating a linear resistor.

The interpolation error is further reduced by the oscillator output (interpolator input) not slewing to its final value before the opposite transition. Because the initial portion of the interpolator output transition slews slower than the oscillator outputs, the interpolator's output swing is less than the oscillator's. If the starting voltage of the interpolator's falling edge in Figure 4.13-(c) is lower, the interpolator error is correspondingly less.

Simulations with a six-stage oscillator followed with interpolating consecutive edges from the oscillator shows that the equal current interpolation has a systematic offset of 11% of desired spacing, 5% of the ring element delay. The error expressed as a percentage of the ring element delay is plotted in Figure 4.16 for each of the phase spacing. The sinusoidal envelope on the zigzagging is the duty-cycle error due to control voltage ripple which will be described in Section 4.2.3. As shown in the solid line of the figure, the error is reduced to less than 2% of the ring element delay, by systematically setting the leading interpolating buffer's current roughly 11% larger than the lagging buffer.

Although interpolation was chosen as the technique to generate additional phases, other methods exist. Two techniques that deserve mentioning are arrayed oscillators and

delay verniers. Maneatis in [64] couples an array of ring oscillators with slight phase shifts between the rings to generate phases with spacings that are 1/5 of the buffer delay. Christiansen in [15] uses a variant with coupled delay lines instead of ring oscillators. Cavin in [33] uses delay verniers where, by using two delay chains of slightly different delays, phase spacings equal to that of the difference is generated. Interpolation was chosen instead of these techniques because it is simple to implement without complex wiring. Since only twice the number of phases from the oscillator are needed in this design, only one set of 50% interpolators can generate the necessary additional clock phases. If more finely spaced clocks are required, then the overhead of an arrayed-oscillator technique may be more worthwhile.

### 4.2.2 Device-and-layout mismatches

In addition to the interpolation error, the ring structure and the subsequent interpolation and buffering paths of each clock phase must be precisely matched to reduce any systematic error. Two types of mismatches are discussed in this section: device and layout mismatches.

The effect of device mismatches is evaluated for the ring-oscillator element (Figure 4.3), the interpolator element (Figure 4.15), and the low-swing-to-high-swing converter (Figure 4.4). The effect on phase spacing of  $V_T$  and  $K_P$  mismatches on pairs of transistors are simulated for each element. The transistors that were part of the simulation are indicated on the respective figures as “+/-”. The delay element (and any buffering using the same topology) is simulated with the offset on the input transistors of the differential pair, offsets on the load device, and offset on the current source. The interpolator is also simulated with offset between the two pairs of inputs. The interpolator contributes the largest phase offset because of the small devices used. The values for the  $V_T$  and  $K_P$  mismatches are based on the same values as discussed in Section 3.2.2. Although a computation-intensive Monte-Carlo simulation can exhaustively test the effect of the mismatches, a simpler approximation is used by simulating the effect of each source of offset and calculating the total mismatch by

$$\sigma_{total} = \sqrt{\sum_n \sigma_n^2} . \quad [4.10]$$

The estimate assumes that the random sources are independent. Table 4.2 shows resulting cumulative phase spacing error of each element as a percentage of the ring-element delay. The peak phase error due to  $3\sigma$  offsets are calculated to be 5.5% for the transmitter and 7.0% for the receiver. Section 4.1.3 will show that these simulations roughly correspond with the measured results as the dominant source of phase spacing error.

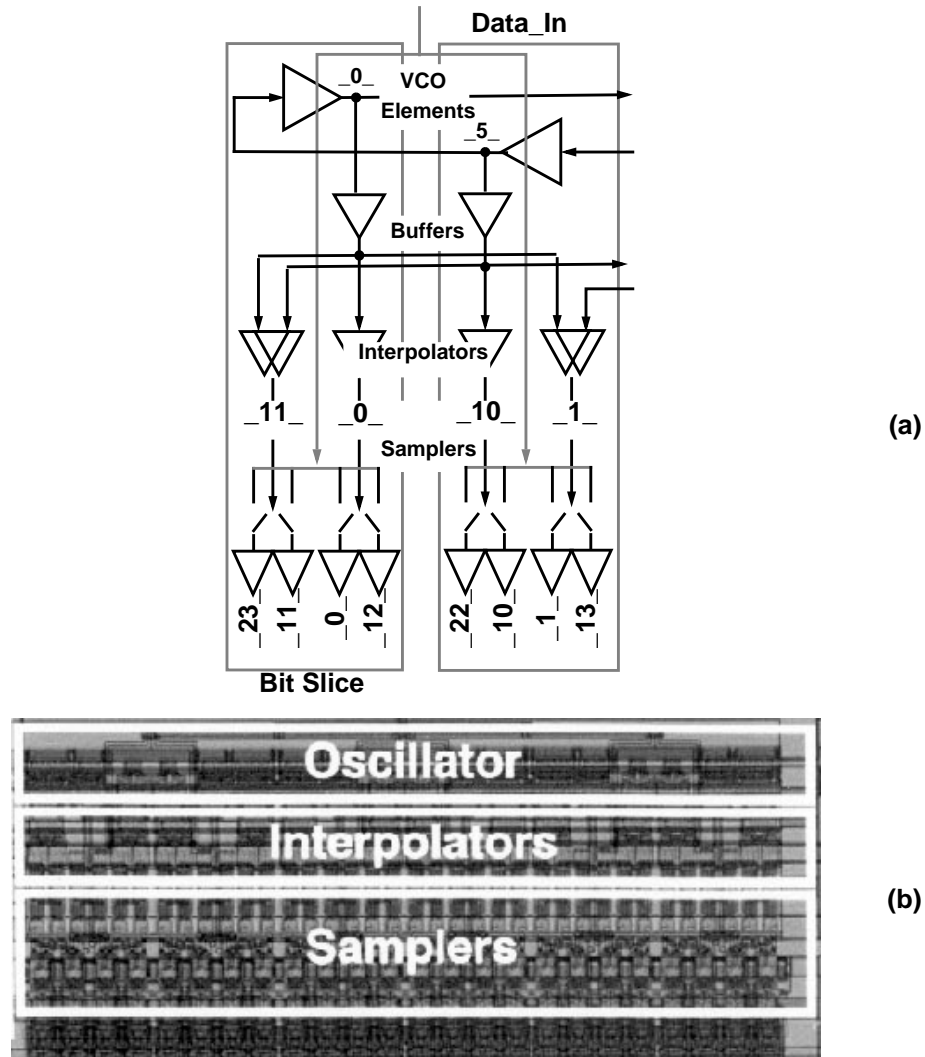
Element Type	Cumulative Error (%)
Oscillator delay element	2.6%
Oscillator output buffer	3.5%
Interpolator	4.4%
Low-to-high swing converter	3.3%

**Table 4.2:** Phase error as percent of the bit-time due to each element

To minimize other systematic mismatches, the layout is carefully done in a bit-slice manner to match each path. Furthermore, all clock buffers, samplers, and drivers are folded and mirrored to reduce process-dependent offsets. Figure 4.17-(a) shows the floor-plan of two bit-slices of the receiver. The ring oscillators are arranged in a flattened ring to keep interconnect loading the same for each stage. For the receiver, the twelve interpolators are similarly positioned to keep load capacitance the same and minimal. The 24 samplers are arranged in a zigzag so the samplers using the opposite senses of the clocks are located next to each other. The data inputs of the samplers are routed in a balanced tree over the clock generation block in third-level metal. The data lines are either shielded by the  $V_{DD}$  plane in second metal or routed over both true and complement signals to reduce the noise coupled onto the data lines. The error in delay is estimated as directly proportional to the sensitivity by

$$(\Delta delay)/delay = (\Delta C)/C. \quad [4.11]$$

For the transmitter, the delay through the clock buffering after the VCO is approximately three bit-times. The capacitance due to wire loading is roughly half of the total capacitance. If the wire capacitance of the buffer chain is mismatched by 2% (a 1%



**Figure 4.17:** Receive-side layout floorplan (a) and layout (b)

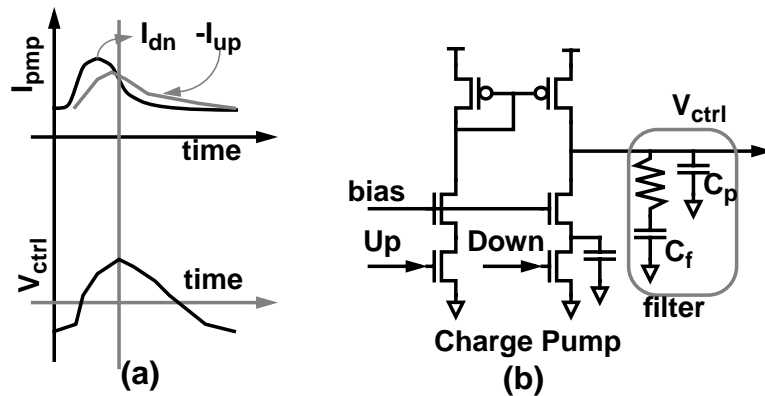
mismatch of total capacitance), a phase error of 3% could result. The measured results will show that because of the careful matching, the capacitance mismatches do not cause significant differences in the delay of different paths.

### 4.2.3 Modulated noise

Phase spacing error in a VCO can also be caused by noise injection that is coherent with the oscillation frequency. This modulation essentially mixes the frequency with itself creating a dc term (a static phase offset) which often appears as a duty-cycle error in a conventional VCO. For example, if the delay elements in a VCO have their delays modulated by a square wave repeating at the frequency of oscillation, the delay is less during the half period when the voltage is high, and longer during the half period when the

voltage is low. For a multiple-clock-phase system, the phase spacing of the clocks would be small for a portion of the phases and large for the remainder. This type of phase error could occur with coherent modulation of the voltage supply of the VCO or of the control voltage,  $V_{ctrl}$ . This section describes the mechanisms that cause this modulation in the transceiver implementation along with some circuit solutions.

One source of control voltage ripple is from coupling of the signal to other signals that are switching at the clock frequency. However, this is typically minimized by proper shielding of the control voltage. A second and more significant source of the VCO control voltage modulation is by the charge pump. Although the charge pump ideally delivers zero net charge when the loop is in lock, the filter voltage,  $V_{ctrl}$ , could ripple because the “up” and “down” current pulses often have mismatches in delay or waveshape. One such mismatch is different delays between the *Up* and *Down* signal paths from asymmetry in the phase detector. Another is a mismatch in the charge pump “up” and “down” currents. Because the “up” current is switched through a current mirror, the resulting current pulse is filtered and delayed in comparison to the “down” current. Figure 4.18-(a) illustrates a combination of these effects, showing the voltage ripple when the “down” current pulse is earlier and narrower than the “up” current pulse. This rippling is coherent with the input clock frequency and modulates the VCO. The effect of this ripple on the phase spacing depends on the gain of the VCO ( $K_{vco}$ ). For example, with  $K_{vco}$  of  $f_o$ -rps/V (where  $f_o$  is the oscillation frequency<sup>1</sup>), a 20-mV sinusoidal ripple can cause +/- 2% duty cycle offset.



**Figure 4.18:** Charge pump output waveform mismatch between *Up* and *Down* causing  $V_{ctrl}$  ripple (a). Charge pump design introducing capacitance to match the *Up* and *Down* time-constants.

Many design techniques are used to reduce this error. The phase detector of Figure 4.10-(a) and charge pump in Figure 4.18-(b) are symmetric and equally loaded to reduce any delay mismatch. The channel lengths of the current sources are greater than minimum to increase output impedance, keeping the “up” and “down” currents roughly equal with varying  $V_{ctrl}$ <sup>1</sup>. To match the mirror delay, additional capacitance is introduced in the “down” current path to match the mirroring delay in the “up” current path. Capacitance<sup>2</sup> in addition to the parasitic capacitance,  $C_p$ , is added to the loop filter to position the third-order pole so that the ripple is further suppressed. In simulation, these techniques can combine to reduce the ripple voltage to under 5-mV peak-to-peak, corresponding to less than 0.5% duty-cycle error.

Similar to control-voltage ripple, periodic supply/substrate noise at the oscillation frequency also modulates the VCO frequency causing variation of the static phase spacing. The amount of phase spacing error injected depends directly on the amplitude of the noise and the supply sensitivity of the loop elements tabulated in Section 4.1. The design minimizes any ripple by using a separate analog supply for the VCO that contains more decoupling capacitance. Since very few signals connected to this supply switch at the coherent frequency, the noise contribution is negligible.

#### 4.2.4 Measured results

The static phase positions of the clock generation circuits are measured in three test chips: a receiver test chip in a 0.8- $\mu\text{m}$  CMOS process and a transceiver test chip in a 0.5- $\mu\text{m}$  and a 0.35- $\mu\text{m}$  CMOS process. The micrograph of the sampler test chip built in the 0.8- $\mu\text{m}$  process is shown in Figure 4.17-(b). The upper portion shows the six-stage ring oscillator and the clock buffer chain. The matching of the paths can be seen by the regularity of the bit-slices in the layout.<sup>3</sup> A similar layout is used for the transmitter.

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1. Interestingly, this is a reasonably good approximation for the buffers in Figure 4.3.

1. [63] uses the replica-bias voltage to bias the current sources to keep the currents the same.

2. This capacitance is often present due to parasitic loading. An excessive amount cannot be added because it introduces a third-order pole that can cause instability (Section 4.3.1).

3. The entire receive section occupies an area of  $3000\lambda \times 1000\lambda$ .

The matching of the phase spacing is evaluated by measuring the spacing between edges. The differential non-linearity (DNL) of the static phase spacing is plotted, where the phase spacing is expressed as a percentage of the ideal ring-element delay. For the transmitter, the delay is the bit-time. For the receiver, the delay is 2/3 of the bit-time. This plot for the transmitter is shown in Figure 4.19 for the VCO operating at three frequencies. The measurement is performed with a high-speed sampling oscilloscope observing a random pattern from the transmitter and using a trigger frequency equal to the internal clock rate (one-eighth the data-rate). Eight separate data-eyes can be measured, each

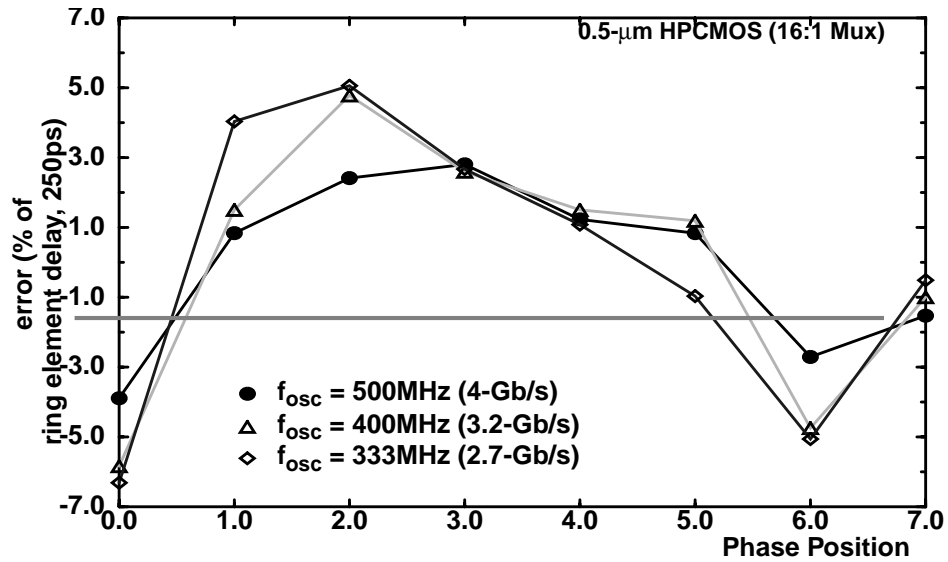


Figure 4.19: Transmit-side DNL @ various frequencies

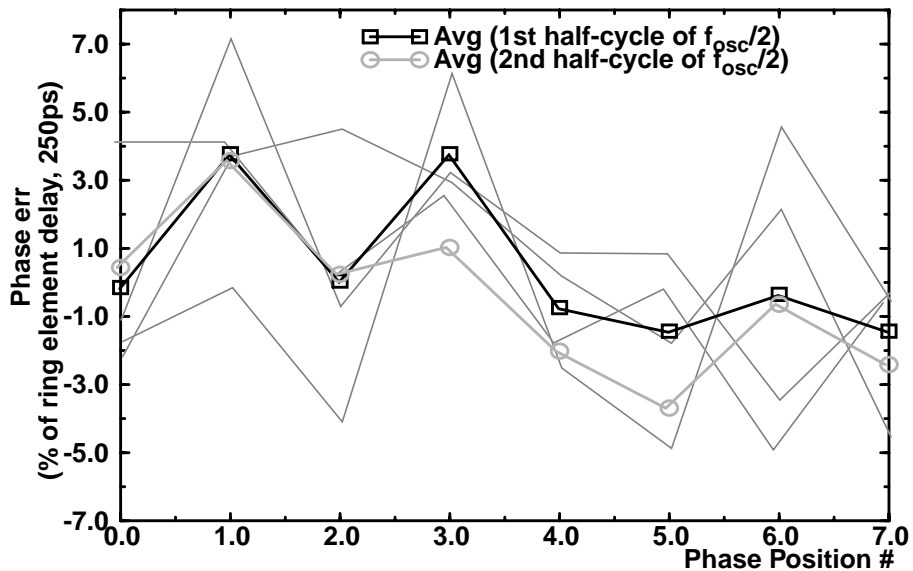
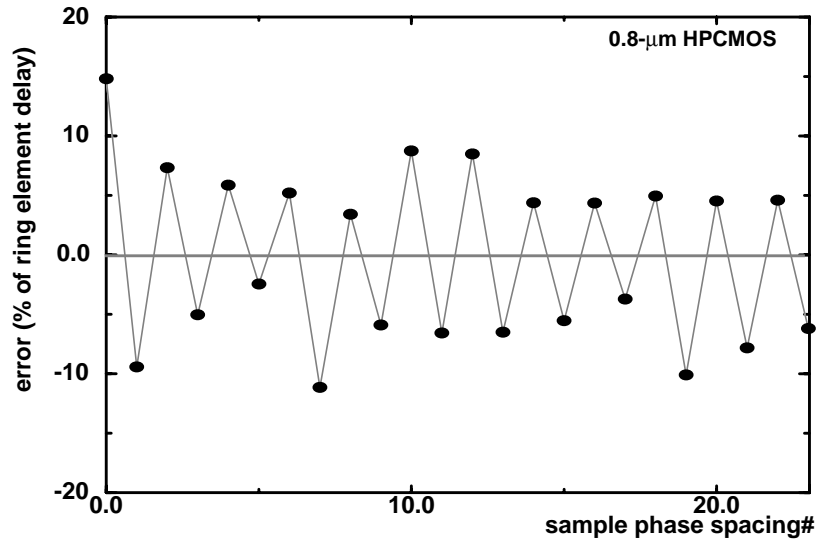


Figure 4.20: Transmit-side DNL for 4 chips





**Figure 4.21:** Receive-side DNL

reflecting the phase spacing between two of the eight clock phases. The peak-to-peak variation is less than  $\pm 7\%$  of the bit-time, indicating very little degradation in bit-width due to mismatches.

The increase in error with decreasing oscillation frequency is primarily due to the decrease in internal swing of the oscillator. With reduced swings, the phase spacing is more sensitive to  $V_T$  and  $K_P$  mismatches. To verify that the static phase spacing error is due to random and not systematic errors, Figure 4.20 shows the measurement of the DNL for 4 chips. The darker line indicates the average at each phase position. Any systematic component would potentially appear as the variation of this average across phase positions. Although the sample size of four chips limits the confidence of this measurement, the random component is believed to be the dominant source of static phase spacing error, since the variation of the average is significantly smaller than the variation between chips.

A similar DNL plot can be shown (Figure 4.21) for the 24 clock phases generated for the receiver. These measurements were of the 0.8- $\mu\text{m}$  test chip, and the errors were found to be  $\pm 13\%$  of the ring element delay. The zig-zag of the errors was because interpolator errors were not compensated in this chip. The design of later chips compensates the interpolator error by adjusting the interpolator current.

### 4.2.5 Summary

Based on both the simulation and measurement results, static phase error due to modulated noise is small enough that it will not significantly affect performance. The primary source of error is due to device or capacitance mismatch. The errors inherent in the interpolation and due to modulation of the oscillation frequency can both be systematically corrected with careful design. The total static phase error has been measured to be less than 10% of the ring element delay. This error is sufficiently small to allow the 8x multiplexing and demultiplexing. However, with the smaller feature sizes of future process technologies, the device mismatches increase and can become a more significant effect. Future circuits therefore might need some method of calibrating the clock spacing.

## 4.3 Timing-Recovery Architectures

The previous section demonstrated that precisely-spaced multiple clock phases can be generated. This section describes how to align the clock to the incoming data in the receiver. The task of the timing-recovery circuit is to recover the phase-and-frequency information from the input by extracting the clock from the transitions in the data stream. The optimal sample point is midway between the possible data-transition times. Noise and mismatches inherent to the timing-recovery circuit introduce jitter and static phase offset in the sampling clocks, which degrade the timing margin. Moreover, this clock extraction is made more difficult by transmitter jitter which introduces uncertainty in the transition points that the timing-recovery circuit must filter or track.

Two timing-recovery architectures have been proposed: directly aligning the PLL outputs to the data (data-recovery PLL) or phase-picking. A data-recovery PLL uses the same PLL described for the multiple phase clock generation (Section 4.1), except the phase detector must now use the input data and not an external clock. In a phase-picking architecture, the data is oversampled at multiple-phase positions. Based on the phase information in the data, the best sample is chosen as the data bit by some decision logic.

The primary difference between the architectures is the tracking rate. The PLL has a finite loop bandwidth due to stability issues in the feedback loop while the phase-picking

architecture does not use feedback and can respond at the rate of the decision logic. As discussed in Section 4.1.2, the bandwidth at which the input is tracked affects the jitter performance. It is very important for the tracking rate to be greater than the bandwidth of the PLL at the transmitter because noise on the transmitter VCO is accumulated by the VCO at its loop bandwidth. If the receiver-PLL bandwidth is less than that of the transmitter, the transmitter phase noise would appear as peak-to-peak timing error at the receiver.<sup>1</sup> The next two sections explore these two methods in more detail, and show that although phase-picking has worse area and static offsets, it has a much higher tracking rate which can be more robust to jitter.

### 4.3.1 Phase-locked loop-based timing recovery

To maintain a large timing margin, the sampling clock phase must be locked to the center of the input data-eye by the PLL. To maintain a good phase relationship between the sampling clocks and the data transitions, ideally the PLL should detect the input phase accurately and track any input jitter with a high loop bandwidth. Unfortunately, loop stability limits the tracking bandwidth of these systems. This section first discusses the loop-bandwidth constraints and then describes methods of phase detection.

Because the timing information is embedded in the data stream, coding of the channel is used to ensure a minimum and maximum transition density. Thus, this coding sets the minimum and maximum input rate to the data-recovery PLL since the PLL can only measure phase error when an input transition occurs. A line-coding scheme such as 8B/10B [100] is often used. This guarantees greater than one transition every five bits of data. Although this penalizes the data rate by 20%, it restricts the input-frequency spectrum to a range of five. Furthermore, the transition coding guarantees the data stream to be dc-balanced which allows ac-coupling of the signal.

#### *Loop bandwidth*

The analysis of loop stability in Section 4.1 is still applicable to loops with varying input frequencies. Only  $I_p$ , which is defined to be  $I_{pump}/2\pi f_{in}$ , increases with decreasing

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1. The averaging of the receiver timing recovery would make the timing-margin degradation equal to half of the peak-to-peak jitter.

input frequency, which in turn increases the loop gain. The loop bandwidth must be sufficiently low so that even with the maximum loop gain, the loop remains stable. However, this implies that the loop is no longer critically damped for all input frequencies. Typically it is designed to be critically damped for high input frequency, and overdamped for low input frequencies.<sup>1</sup>

Since the 8B/10B coding guarantees one transition every byte, the input frequency is similar to the on-chip clock frequency of an 1:8 demultiplexed system. Thus, the maximum loop bandwidth of the data-recovery PLL can potentially be similar to the earlier transmitter PLL (Section 4.1) at a value less than 1/10 of the input frequency.

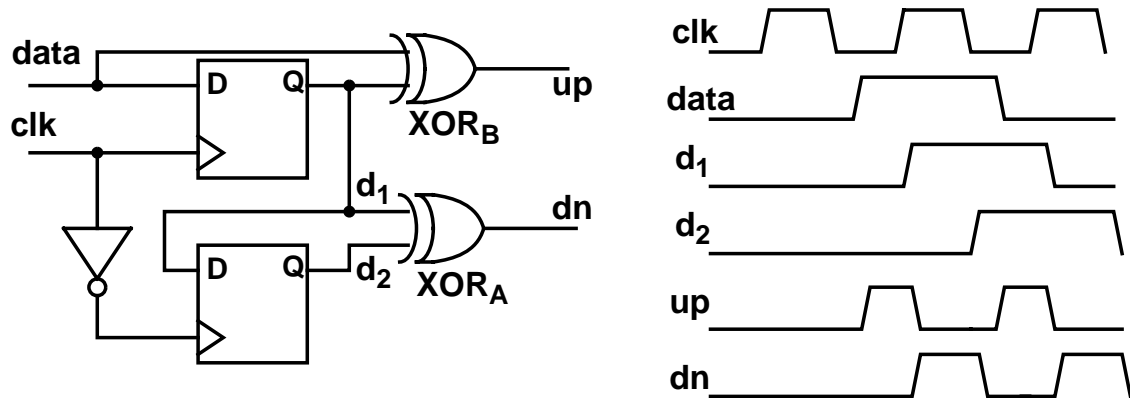
### ***Phase detection***

The phase detector measures the relative phase between the sampling clock and the data transition in order to center the sampling edge in the middle of the data eye. The phase detector must first use the sampled data to find data transitions before determining the phase difference. As discussed in Chapter 2, static phase error results from errors in the phase detector or charge pump. The following paragraphs first discuss a common phase detector that has been used for lower data rates. Then, an alternative approach for higher data rates is discussed.

A common technique for non-demultiplexed receiver is Hogge's phase detector [7] as shown in Figure 4.22 (which has variants such as a tri-wave detector [57] and was recently adapted for 2x demultiplexing by Nakamura in [73]). Data transitions are detected using XORs.  $XOR_A$  always outputs a pulse for half the bit-time ( $\pi$  radians) whenever a transition is detected. The half bit-time is guaranteed by taking the inputs from two latches clocked with opposite clock phases.  $XOR_B$  outputs a pulse that is wider or narrower depending on the phase relationship of the clock compared to the data transition. The difference in the two pulses fed into a charge pump results in a net "up" or "down" charge.

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1. An interesting aside is that to maintain stability for all input frequencies, the third-order pole frequency due to  $C_p$  must be much higher than the loop bandwidth. The ripple on the control voltage can not be filtered. For a multiple phased system, this can potentially cause significant phase spacing errors if the frequency range of the input is not constrained.



**Figure 4.22:** Hogges phase detector for serial data. [7]

For high data rates, however, there are several problems with the design. The most significant issue is the setup time of the latch causing static phase error. Because latches typically have non-zero setup time, the position where the phase is locked may not be the position that maximizes the timing margin. In addition, the duty-cycle of the clocks must be carefully controlled so that the output of  $XOR_A$  remains half a bit-time; otherwise, the phase detector would cause static phase error. Furthermore, the range of the phase detector is reduced because the delay of the latches cannot be a significant fraction of the bit. In fact, if the delay is greater than a bit-time, the inputs of  $XOR_B$  would correspond to wrong bits.

A more complex but better scheme with lower static phase offset is to compensate for the setup time by using the sampler as the phase detector ([39], [49], and [11]). In this scheme, the phase information is gathered by 2x oversampling of the data stream. All odd samples are considered data samples, and all even samples are considered timing samples. This scheme extends easily into a demultiplexing system by using the multiple clock phase generator described previously. Transitions in the data can be determined from the data samples. Whether timing samples indicate early or late can be determined by the value of the timing samples. The early or late information controls the phase of the PLL. The resolution of the timing samples is limited by the aperture uncertainty window of the samplers which can be as small as  $1/10$  FO-4 as discussed in Section 3.2.1. The primary source of static phase offset in this design would be due to “up” and “down” current mismatch in the charge pump. Using active feedback to compensate the mismatch can keep the static phase error to less than  $1/5$  FO-4, as demonstrated by Sidiropoulos in [88].

There are several difficulties in using this phase detector. One is the additional digital processing necessary to determine transitions. The processing delay adds to the delay of the feedback loop and reduces the phase margin of the loop. A second issue is that since the timing sample is at the data transition, the sampler output must be properly synchronized by additional latches to reduce the metastability probability. This synchronization delay further increases the delay of the feedback loop by several clock cycles. A third issue is that the sampler phase detector is a non-linear phase detector. The sampler either indicates “up” or “down” depending on whether the transition is early or late without any indication of the magnitude of the error. This type of “bang-bang control” has inherent dithering near lock increasing the jitter. To maintain stability, PLL designers must choose a loop bandwidth much lower than 1/10 of the input frequency. A design, by Hu in [39], uses a loop bandwidth less than 1/500 the minimum data frequency.

Moreover, a problem with any detector that only detects phase is that a frequency acquisition aid is needed in order to phase lock when the circuit starts up. Otherwise, the PLL could continually “cycle-slip” [7]. One possible solution employs an alternate circuit such as the phase/frequency detector of Figure 4.10-(a) during an initialization sequence to push the frequency near lock before switching to the sampler as the phase detector. Clever techniques to safely lock and maintain stability is an interesting area of further research.

Building a data-recovery PLL is possible but difficult at high data rates. The primary challenges are maintaining small static phase error and dynamic phase error between the data and the sampling clock. Static phase offset smaller than 1/5 FO-4 can be achieved using 2x oversampling as long as the designer is careful with mismatches in the phase detector and charge pump. The more difficult problem is maintaining low dynamic phase errors while using samplers as phase detectors. The longer processing delay, the synchronization delay, and the non-linearity of the phase detector require a lower loop bandwidth to maintain stability. A low bandwidth may be sufficient if the phase noise from the transmitter and receiver is at a low frequency. For noise at high frequencies, the next section describes a solution that provides faster tracking.

### 4.3.2 Phase-picking-based timing recovery

Phase-picking is an alternative that has been extensively used with UARTs ([66]). More recent application of this technique to higher bandwidths has been published in ([10] and [49]). Figure 4.23 illustrates the block diagram of a phase-picking architecture. Instead of a feedback loop to control the sampling phase, multiple sampling phases are used to oversample each data bit. UARTs routinely oversample by as large as 16x or 32x to obtain a time domain snap-shot of the waveform. By processing the samples, two pieces of information are acquired: the position of the bit window that spans multiple samples, and the correct bit value. The extraction algorithm can vary significantly with applications and data rate. The algorithm employed in this work uses the transition position to determine the bit-window boundary. Based on the boundary, the sample position in the center of the window is selected as the correct data bit. The decision of which sample to select is applied to the appropriate sample by delaying the samples by the number of clock cycles required for the decision.<sup>1</sup> An alternative would be to average the sampled values with various bit-window positions to determine the most likely position as well as the correct data value [49]. The algorithm is a non-linear process that essentially makes new decisions on the input phase every clock cycle.

The phase-picking architecture has several advantages over a PLL architecture. First, it replaces the feedback loop with a feedforward loop, allowing the selected sample to track phase movements of the data with respect to the clock without an intrinsic

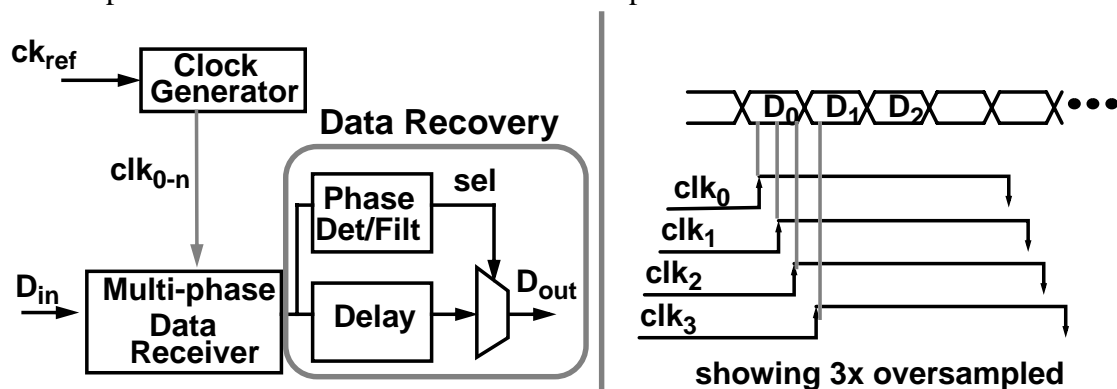


Figure 4.23: Phase-picking architecture

1. The delay causes a latency penalty. Latency is not typically the critical issue in serial links because the transmission delay of the line has significant delays.

bandwidth limitation. The maximum tracking rate is limited by the transition information present. This fast tracking can potentially track the transmit PLL's jitter accumulation, which appears as data jitter. Because the sampling clocks are generated by an on-chip PLL, phase-picking can also track the jitter accumulation from the VCO of the receiver clock generator.

A second advantage of the phase-picking architecture is that long PLL phase-locking time is not needed. Phase decisions are made whenever input transitions are present. The technique is suitable for switched networks ([6], [10], and [24]) where the timing of the signal must be acquired in the few header bytes of the packet.

Due to the higher tracking bandwidth, a limitation of the technique is that the system cannot tolerate large cycle-to-cycle<sup>1</sup> jitter. Phase changes ( $\phi_{err}$ ) greater than half the bit-time ( $\pi$ ) are indistinguishable from a phase shift in the opposite direction,  $\phi_{err}-2\pi$ . Note that, although the cycle-to-cycle jitter is limited, the peak-to-peak jitter can be much larger than a bit-time (i.e., peak-to-peak jitter > cycle-to-cycle jitter). For bandwidth limited systems such as a PLL, average phase is used instead of trying to follow the fast phase movements. If the phase noise is uncorrelated from one cycle to the next, by averaging, the peak-to-peak jitter can be as large as the entire timing margin (1 bit-time or  $2\pi$ ) instead of half the bit-time. Therefore, the type of timing recovery to use depends on the phase-noise characteristics of the system. If phase noise has a large correlated component, such as from the clock/phase-generation PLL, phase-picking would be useful. If, on the contrary, the dominant noise is from random digital switching coupling directly onto the clock buffers without the loop's accumulation, then a lower bandwidth averaging could potentially achieve better performance.

The primary disadvantage of the architecture is that there is an inherent static phase error due to the phase quantization. Higher oversampling ratios and finer phase quantization reduce the static phase error but add significant complexity to the design. Furthermore, inherent sampler uncertainty limits the minimum quantization error. Based

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1. Cycle-to-cycle usually applies to repetitive clock signals. In this case, since data transitions are encoded, "cycle-to-cycle" applies to phase noise between two transitions.



on Chapter 3, the limit is  $1/10$  FO-4. More significantly, the increased number of samplers increases the input capacitance, hence limiting the input bandwidth. For high input bandwidths, the trade-off favors a low oversampling ratio with the penalty of higher static phase offsets due to the coarse quantization.

The phase-picking architecture was chosen to explore the usefulness of the higher phase tracking capability for lower jitter at the price of higher static phase error. In a VLSI implementation, supply and substrate noise can be significant enough for the peak-to-peak jitter to occupy a large fraction of the bit-time, especially since a PLL accumulates jitter. Based on the PLL description of Section 4.1, the peak-to-peak jitter from these clock generators can be greater than  $1/2$  bit-time. For the 4-Gb/s test chip with a bit-time of 1 FO-4 (250ps), the 3x oversampled phase-picking scheme can track the noise of the on-chip multiple clock phase generators (PLLs) from both the transmitter and the receiver to keep the total effective jitter below the quantization spacing of  $1/3$  bit-time (83ps).

As does the PLL bandwidth, the maximum phase-picker tracking rate depends on the data transition density. Typically 8B/10B coding is used. In this design, instead of an 8B/10B code which is more complex to implement, a PRBS encoder with sequence length of  $2^7-1$  is used to simplify the test chip. The coding guarantees a minimum of one transition per byte which is only slightly worse than the 8B/10B code. For a simple implementation where the decision logic operates at the rate of the demultiplexed clock, the tracking rate can be one sample spacing every transition,  $1/3$  bit-time/cycle (83ps/2ns, or 4% of the period per clock cycle). The maximum static phase error from the quantization is  $1/6$  FO-4 (2% of the clock period). Since the static phase error is comparable to a PLL's static phase error, this architecture shows promise of being more robust to large phase noise.

## 4.4 Timing-Recovery Implementation

The principal component in the phase-picking architecture is the decision algorithm. The decision algorithm processes the oversampled information, decides where the bit boundaries lie, and chooses which sample to pick. With one transition per 8 bits and 3x oversampling, the phase picker can track at a rate of  $1/3$  bit-time/8 bits (83ps/2ns); and the

maximum phase step allowed is  $1/2$  bit-time/8 bits (125ps/2ns). One goal of fast phase tracking is to track the jitter accumulation of the PLLs in the clock generation. The first part of this section discusses the decision algorithm and the tracking rate of the design. In the case of large phase excursions or a frequency difference between the local clock frequency and input data rate, the phase error can accumulate to greater than one bit-time. The digital logic following the decision algorithm must allow for bits to overflow and underflow. The second part of the section, Section 4.4.2, describes the overflow and underflow handling.

The parallel data from the test-pattern-generation circuit need to be phase shifted so that the output driver can optimally transmit the data at different phases. The reverse happens in the receiver. Since the sampled data from the 24 samplers all have different phases, the parallel sampled data are synchronized to a global clock, prior to being processed by the decision algorithm. The design of this circuit is not a critical part of the timing recovery and is discussed in Appendix A.2.

#### 4.4.1 Decision algorithm and implementation

The decision algorithm detects transitions in the data and uses the transition information to determine which samples are the correct data samples. Out of the 24 samples, typically eight are chosen as the correctly received data byte. The decision logic makes a new decision per byte of input data. Figure 4.24 shows a block diagram of the phase-picking

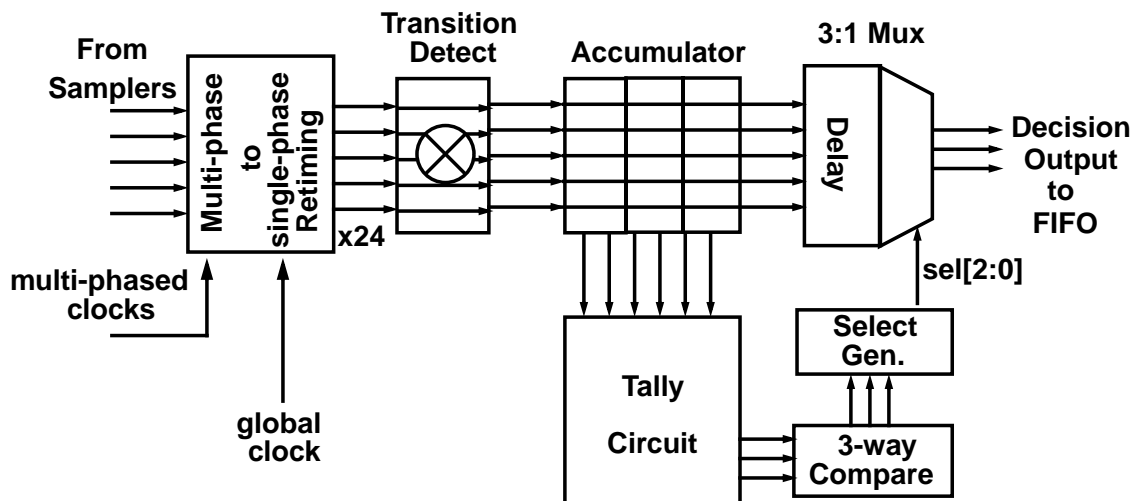


Figure 4.24: Block diagram of decision logic

algorithm. Picking the center sample requires finding and tracking the bit boundaries. The *Transition Detect* block detects transitions by taking an XOR of adjacent samples. The *Accumulator* stores the transition information over multiple cycles. The correct bit boundary is one of the three possible transition positions. To find the bit boundary, the transition information is tallied using the *Tally* block. Figure 4.25 shows an example of how this block detects the bit boundary with a portion of a sampled stream. In the example, transitions corresponding to the same bit-boundary position are tallied over multiple bits. The transition position with the largest total determines the boundary for the bits. This tally averages any bit-to-bit variations from high-frequency noise (near the bit-rate) by looking across many transitions. The *Compare* block finds the largest total and uses it as the bit-boundary position. Once the position is determined, the middle sample within the bit boundaries is selected as the data. The selection is implemented by multiplexers selecting the appropriate samples based on three “select” signals from the *Select\_Gen* block. In the case when no transitions are detected, the three “select” signals use previously stored values to maintain data through the multiplexers. Note that, because the data bit is only oversampled by 3x, the select signal only increments or decrements by one phase position per decision.

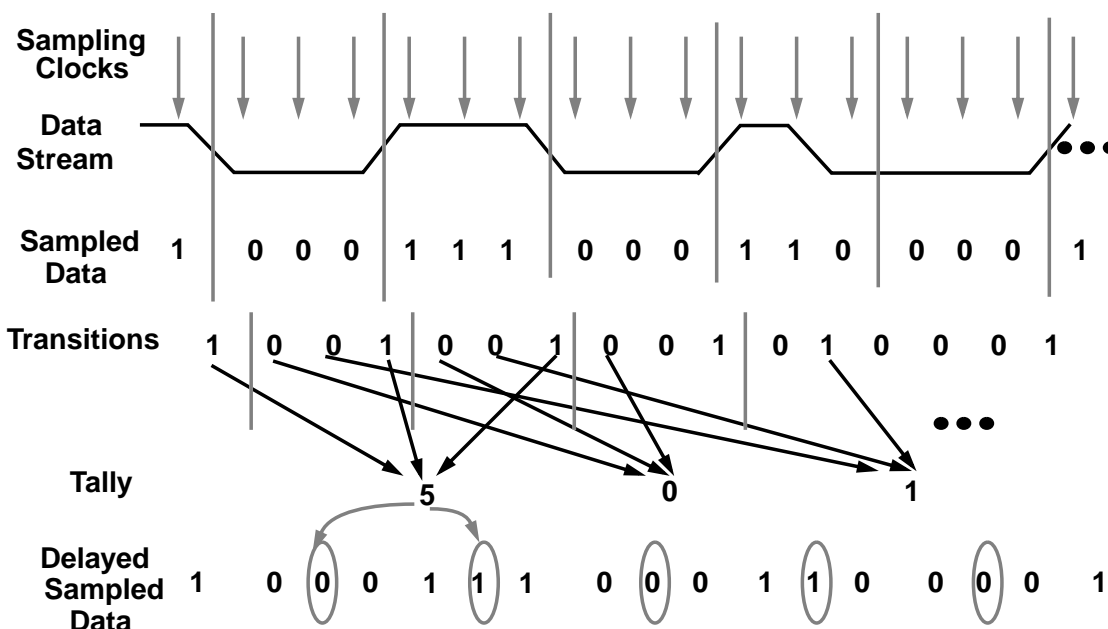


Figure 4.25: Example of decision algorithm

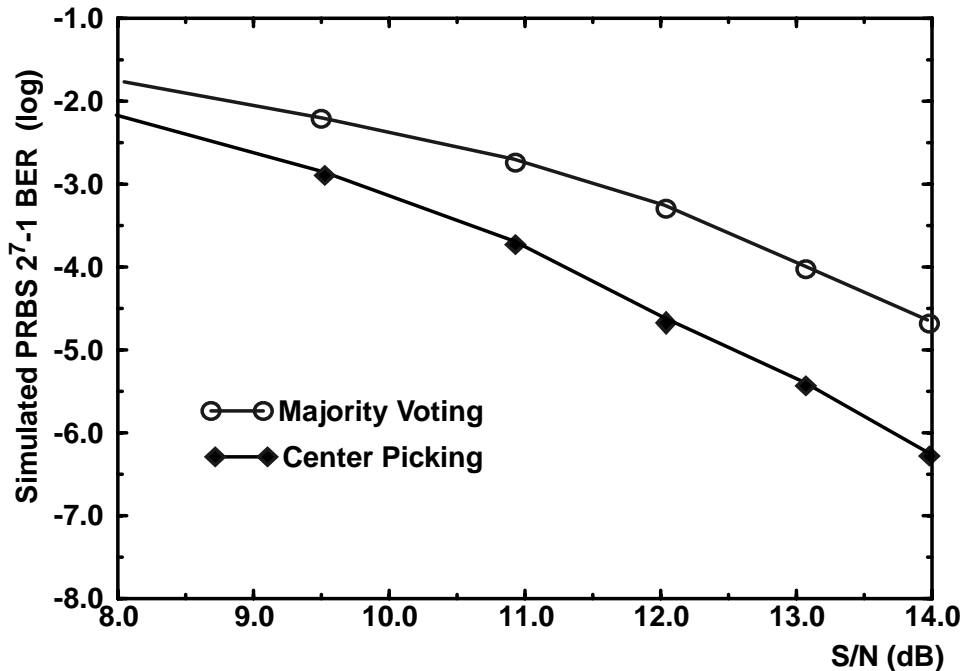
The tally is across a sliding window of three bytes to average at least three transitions. The transitions are accumulated from the current byte, the previous byte and the next byte (delaying the data allows use of “non-causal” information) so that the decision is applied to the byte at the middle of the window. As a result of the three-byte sliding accumulation, the worst-case phase-tracking rate of the algorithm is slower. The majority of the transition information (1.5- of the 3-byte window) must reflect the phase change in order for the algorithm to increment or decrement the select signal in the appropriate direction. If the majority of the input transitions shifts by more than half the bit-time, the phase step is too large to be tracked. The maximum tolerable phase step at the input must be less than 1/2 bit-time per 1.5-bytes which corresponds to 125ps/3ns or 4.2% per 2ns cycle. Based on Section 4.1.3, the primary sources of phase error are the VCO, which accumulates phase error, and the clock buffers. For a 10-% supply step, the VCO can introduce large peak error but the accumulation rate of the VCO is only 1%/cycle<sup>1</sup> (30ps/3ns), which can be easily tracked. The cycle-to-cycle phase error from the clock buffering is much larger. For a 10-% supply step, the sampling clock’s buffering introduces 1% error and the transmitter pre-driver buffering introduces 3.7% error. Since the phase error from the transmitter buffering exceeds the tracking limits, the pre-driver’s supply voltage must be carefully decoupled to reduce the cycle-to-cycle noise that results from supply noise.

A smaller window of one byte can track phase better but has poorer performance when subject to random white noise. There would be insufficient transitions within that byte to average the bit-to-bit variation. A larger window of five bytes would slow tracking to 1.4%/cycle (83ps/6ns), which would be too slow to track the transmit- and receive-PLLs’ phase accumulation with 10-% supply noise.

As an aside, the algorithm for deducing the received data value from the oversampled information can be independent of the algorithm that detects the bit-boundary. Once the transitions are processed and the bit-boundaries are determined, instead of selecting the middle (“phase-pick”), a simple alternative is to take a majority-

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1. This number is based on the simulated and measured data described in Section 4.2.



**Figure 4.26:** Comparison of majority voting (unfilled-circle symbols) with center-picking (filled-diamond symbols).

vote based on the three sampled values such as in the design by Kim in [49]. Figure 4.26 shows a simulated performance comparison of its BER vs. *SNR*. Majority voting works well with non-bandwidth-limited signals that have high-frequency noise because the algorithm averages the noise of each sample over all samples in a bit. However, in a system that is bandwidth-limited by the input and output RC filters, it performs worse because the non-middle samples have much higher probability of error.

One final detail in the algorithm is the special condition where two transition positions have equal counts. This occurs when two of the sample positions straddle the center of the bit and the third sampler samples at the transition. Picking either of the two straddling the center should give the same performance. In this implementation, the previous, current and next cycles' "select" results are used to follow the direction of any phase transition. However, because the condition is rare, it only yields marginally better *SNR* of 1dB in simulation.

The implementation uses a divided-by-two clock (250MHz) for the decision logic instead of the 500MHz oscillator clock. This allows a relaxed cycle-time of 16 FO-4 to perform the decision processing so that the clock cycle-time is not constrained by the

complexity of the logic. The tracking rate is not penalized by this demultiplexing because the decisions for the data are made for each byte of data (2 decisions per clock cycle).<sup>1</sup>

#### 4.4.2 Handling frequency offset

If the peak-to-peak phase jitter is larger than one bit-time, or if the transmitter and receiver operate at different frequencies, the tracking must allow bit(s) to overflow/underflow. For example, if the  $sel_{2,0}$  signal changes from 0-0-1 to 1-0-0, the selected sample of the first cycle corresponds to the same bit as the selected sample of the following cycle. This "underflow" condition must be appropriately handled by dropping one of the two samples. Typically, these samples are of the same bit and thus have the same value. However, in the case where they are different, dropping the latter gives a slight performance improvement, if phase movement changes directions (the  $sel$  signal returns to 0-0-1) in the following cycle's decision. Similar to the "underflow" where one fewer bit is received, the opposite transition from 1-0-0 to 0-0-1 causes an "overflow", requiring an extra bit to be stored.

In the implementation, because of the 1:2 demultiplexing from a 500-MHz sample clock frequency to a 250-MHz internal clock frequency, the internal logic is simplified by allowing only one overflow/underflow bit per input word (2-bytes) reducing the maximum frequency offset that can be handled to 2.1% of the 250-MHz clock (1/3 bit-time per 4ns). However, the jitter tracking rate is not compromised because the select signals are allowed to be different for the first byte and second byte of the word. So an "overflow" condition corresponds to a 17-bit output of the decision logic while an "underflow" corresponds to 15 bits of output.

These extra bits are handled by a bit-wise FIFO that operates as a shifter. Because the final output handles one word per cycle, the additional bit from an overflow must be stored and any missing bit from an underflow must be supplied. The shifter feeds into a bank of registers. By shifting the position in which the word is written into this bank, bits are not overwritten and no single-bit bubbles are left in the register when there is an overflow or underflow. In every cycle, a word is taken from the register bank. The register bank is wide enough to allow an entire word of overflow or underflow. To allow more than

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1. So, *Select\_Gen* outputs two sets of select signals every cycle, one for each byte of data.

one word of overflow or underflow, a word-wise FIFO follows the register to supply additional storage depth. The depth of this FIFO determines the number of overflowing bits before valid data is dropped. Therefore, the maximum packet length that the transceiver can handle depends on the frequency difference between the local clock and the demultiplexed data rate.

If the application requires handling long data streams, instead of constantly overflowing or underflowing, the local frequency can be corrected based on the phase information from the decision logic. Because the decision logic can essentially behave as a phase detector, the select signals can easily be filtered for a low bandwidth control loop to control the external frequency.<sup>1</sup> This correction can also adjust the center sample to be, on average, at the middle of the bit-window which potentially improves the quantization error of phase-picking. Because this correction is low bandwidth, the phase-picking could still be useful in handling large excursions in phase due to large peak-to-peak jitter.

## 4.5 Summary

This chapter addressed two issues: generating the multiple clock phases for the transmitter and receiver, and ensuring a good timing relationship between the input data and sampling clock. Both affect the timing margin of the system and hence affect the performance.

Accurate clock phases with spacing of  $1/3$  of a bit-time are generated by tapping from a VCO and interpolating between the tapped phases. The accuracy of the phase spacing has been simulated and measured to be roughly 13% of the delay of the VCO element for the receiver and 7% for the transmitter. This is sufficiently low for the 8:1 multiplexing and 1:8 demultiplexing of the I/O circuits. However, the primary source of the error is due to device mismatches, which only worsens with better technologies. Although the errors do not pose any problems for a 0.35- $\mu\text{m}$  process technology, they become significant with more advanced technologies.

Ensuring a small timing error between the input data and the sampling clocks depends not only on the jitter of the clock generation circuit but also the timing-recovery

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1. This logic was not implemented in the transceiver design.

circuit. Two types of timing-recovery schemes were discussed. This dissertation chose to explore the oversampled phase-picking technique because the scheme potentially provides a higher tracking bandwidth and greater robustness to phase noise. A low degree of oversampling by 3x is chosen to minimize the overhead of the oversampling and to utilize the sampler's ability to sample faster than the bit-rate.

Beside the greater area and power overhead, the primary disadvantage of the technique is that the phase quantization error appears as a systematic static phase offset. With 3x oversampling, the error is 1/6 bit-time. The advantage is that the phase-picking logic adjusts the sample that is selected every 500-MHz clock cycle (every byte of data). This fast correction potentially restricts the maximum error to 1/6 bit-time as long as the input phase steps do not exceed 4.2%/cycle. Whether this constraint is met depends on the noise conditions of the actual system. The tracking rate can tolerate greater than 10-% supply noise at the oscillator and receiver and 5-% supply noise at the transmitter.





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## Chapter 5

# Experimental Results

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A transceiver test-chip using the transmitter, receiver, and timing-recovery designs described in the previous chapters was implemented in a 0.5- $\mu\text{m}$  process technology from HP (MOSIS) and a 0.35- $\mu\text{m}$  process technology from LSI. The FO-4 delay of the two processes are 240ps and 170ps, corresponding to 4Gb/s and 6Gb/s, respectively, for a target bit-time of 1 FO-4.

The bandwidth of the link and the noise in the system depend on the design of the channel. To be able to measure the technology limitations, the channel needs to be as ideal as possible. Section 5.1 describes the connection between the transmitter and receiver used in the test setup and presents issues with the board design and the chip packaging. Section 5.2 describes the transceiver test chip in more detail, explaining the test circuitry. The following two sections, Section 5.3 and Section 5.4, discuss the experimental results from independent measurements of the transmitter and receiver. Finally, to verify the performance of the transceiver, bit-error-rate measurements are discussed in Section 5.5. The overall performance is demonstrated with BER versus *SNR* plots under different noise and input conditions. Furthermore, to demonstrate the robustness to noise of the phase-picking data-recovery scheme, transceiver performance is measured with induced phase noise.

## 5.1 Channel

The channel can limit performance by both limiting the signalling bandwidth and introducing noise in the signal. For the transceiver tests, the transmitted signal travels through the transmitter chip carrier (package), a segment of printed-circuit board (PCB) trace, a coaxial cable, back through a PCB trace, and then the receiver chip carrier. The channel is terminated at the end with a resistor.

The first part of this section describes the coaxial cable and PCB trace used in the test setup, while the rest of the section examines the chip-packaging issues. In particular, package inductance is directly in the signal path which both low-pass filters the signal and couples the signal with other signals, introducing crosstalk. To measure the characteristics of the complete channel and to model the channel in simulation, a time-domain reflectometry (TDR) measurement is taken and described in the final part of this section.

### 5.1.1 Cable and PCB

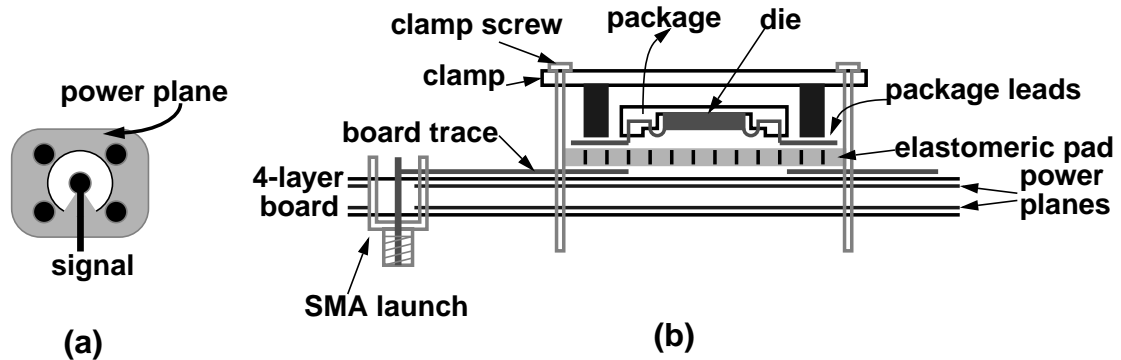
To maintain high bandwidths, very high-quality cables and board materials are used for the experiments. Although rigid coaxial cables are the highest quality, with loss less than 0.1dB/m at 4GHz [18], their rigid casing makes multiple test configurations inconvenient. Instead, conformable cables<sup>1</sup> are used, which have their braided shield dipped in soft solder. The non-porous shield can reduce loss at high frequencies to less than 0.3dB/m at 4GHz.

An SMA connector and cable provides the connection between the board and the test equipment. The design of the SMA launch is shown in Figure 5.1-(a). The internal planes are cleared near the center conductor because the connector post capacitively couples to these planes causing imperfection in the characteristic impedance.

The board material is also selected so as to not introduce additional loss. For frequencies as high as several gigahertz, the typical board material, FR-4, contributes roughly 0.03 dB/cm/GHz of signal loss. An additional concern of FR-4 is that the medium is not uniform. The fibers within the material have directionality, causing mismatches

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1. Supplied by First Source Inc.



**Figure 5.1:** SMA-connector board design (a), and die package attachment diagram (b)

between traces and variability in the frequency response. The board designed for testing the link uses a synthetic material<sup>1</sup> for lower loss ( $< 0.01\text{dB/cm/GHz}$ ).

The trace width on the board is designed to maintain a  $50\text{-}\Omega$  environment and to prevent reflections from corrupting the signal. With a dielectric constant near 4, the trace width for  $50\Omega$  needs to be roughly 2x the dielectric thickness. A four-layer board is used for a thinner dielectric (8mils instead of 62.5mils) and hence better routing density. Mismatch between this impedance and the coaxial cable can cause reflections. The amount of signal propagated back depends on the impedance mismatch, as shown in Equation 2.5 and Equation 2.6. Fortunately, the impedance can be well controlled by properly etching the PCB trace to result in less than 1-% impedance mismatch.

To reduce supply noise, the board's power supplies are tightly decoupled with capacitors. Each supply is bypassed with a network of chip capacitors ranging from small values to large values. Because the small values have lower series inductance, a wide range of noise frequencies are bypassed by using a range of these capacitors. Moreover, the board is designed with separate digital and analog power supplies to isolate some of the digital switching noise. Separating the power supplies also simplifies the power measurements.

Lastly, the connection from the board to the chip carrier is another source of parasitics (capacitance and inductance). To allow changing of chips to test, instead of

1. RO4003 supplied by Rogers Corp.

soldering the component onto the board, an elastomeric contact pad is used in this test setup, along with a mechanical press to force the package leads onto the board's copper fingers. The contact pad<sup>1</sup> is roughly 1-mm thick with gold fibers running vertically through an elastomeric substrate. Figure 5.1-(b) depicts the signal path from the die, to the package, and to the board as well as the package clamp.

### 5.1.2 Packaging

After reaching the pins of the package, the signal runs through the internal package wires to the bonding pads, and then through a thin bond-wire which connects the package to the chip. Many packages do not have internal ground planes, which causes the package leads to look inductive (high impedance). This inductance can greatly limit the signal speed by low-pass filtering the data.

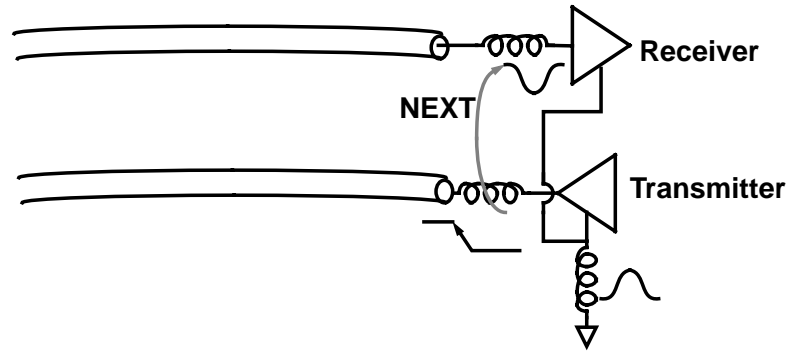
The package used in this design is a 52-pin ceramic quad-flat package (CQFP)<sup>2</sup>. This package has controlled impedance traces from the pins to the bonding pads using internal supply planes to eliminate the package inductance. However, even with controlled impedance on the package, the inductance due to the bond-wire disturbs the signal. Bond-wire length are minimized to roughly 2mm by placing the die as close to the package edge as possible. In order for both the transmitter and the receiver to be close to the package edge, the two blocks are placed on adjacent edges instead of opposing edges. A 2-mm bond-wire appears as a 2-nH inductor. This inductance is further reduced by placing the bond-wires for the differential signals as close to each other as possible. Since the differential wires carry their own return current, the current loop formed by the signal current is minimized by the small spacing. Using both of these techniques, the inductance is reduced to roughly 1nH.

In order for this inductance not to limit the bandwidth, the  $L/R_{term}$  time constant must be much less than the  $RC$  time constant of the input or output. For an input capacitance of 2pF, the inductance that results in the same time constant is 5nH. Therefore the 1-nH inductance is sufficiently small.

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1. Supplied by Shin-Etsu Inc.

2. Supplied by Vitesse Semiconductor Inc. and typically used for their 2.5-Gb/s SONET transceivers.



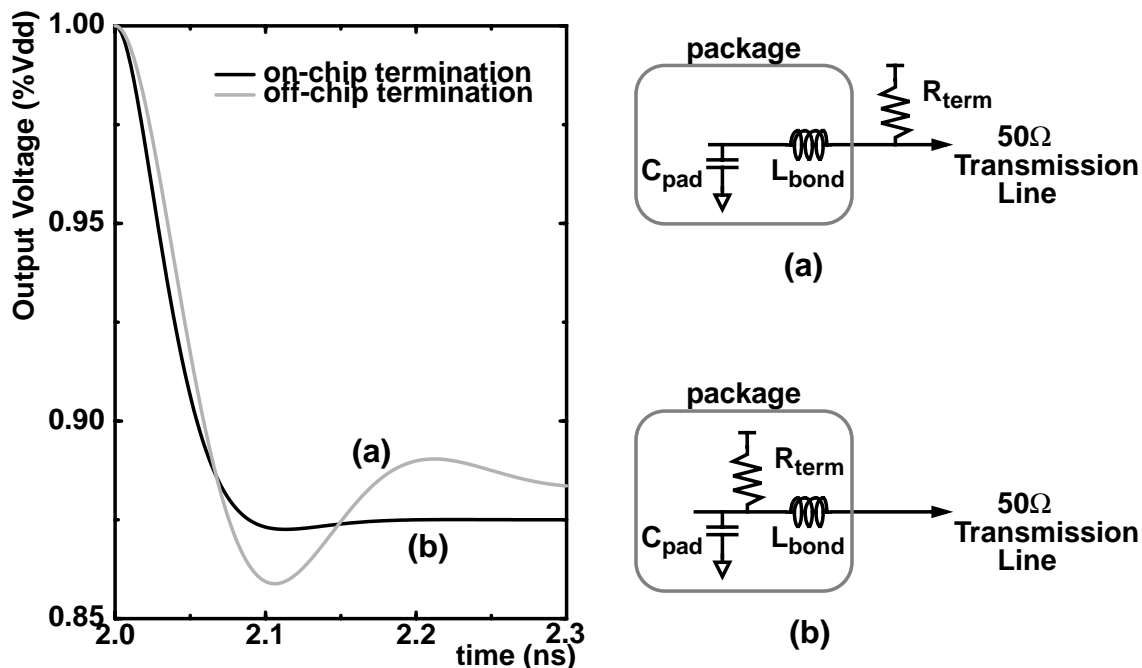
**Figure 5.2:** Near-end crosstalk

### 5.1.3 Noise issues

Because of the good shielding of the cables, and the large distance between the board traces, the board or cables are not significant sources of coupling. However, crosstalk due to package parasitics can be an issue. In addition, oscillations can also occur from the package inductance and any pin or pad capacitance.

As mentioned in Chapter 2, crosstalk from the package inductance occurs when the magnetic flux due to current flowing in one trace induces an undesired current through another trace. The most severe case of crosstalk occurs when the transmitter on the same die as the receiver couples noise onto the received signal. This is known as near-end crosstalk (NEXT) and the grey arrow on Figure 5.2 illustrates the coupling. This coupling can cause an error even with differential signals because the coupling may be stronger to one of the two inputs. Another form of NEXT occurs with ground/substrate bounce due to transmitter switching. When the transmitter transition pulls a current pulse from the ground connection, the package inductance causes a bump in the on-chip ground voltage relative to the external input signal.

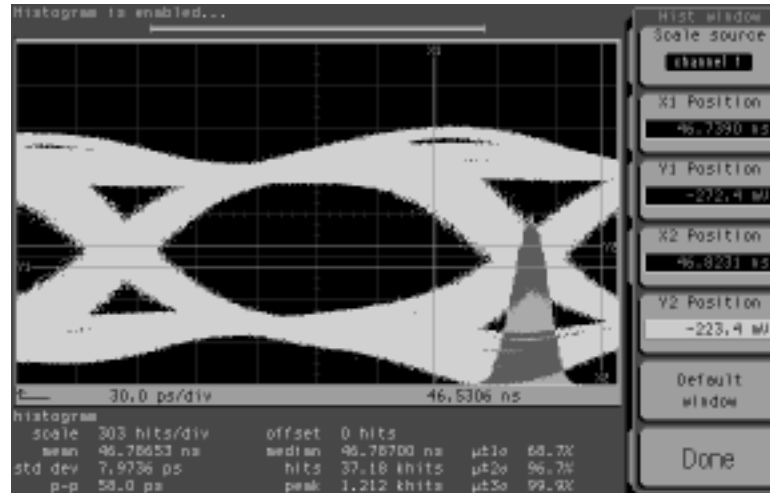
Several design precautions significantly reduce the induced noise. Because noise such as crosstalk is common-mode, the noise is reduced using differential circuits for the transmitter and receiver. Receivers and transmitters are physically isolated on adjacent sides of the die to reduce the coupling. One additional advantage of power planes on the package is that they reduce the inductance of the on-chip supplies. Ground bounce can be reduced by using many short bond-wires to the power plane. Lastly, the inherent input filtering from the input capacitance helps reduce any high-frequency noise. These



**Figure 5.3:** On-chip termination for current-mode driver and simulation results. (a) shows off-chip termination (grey line), and (b) shows on-chip termination (black line).

techniques were very successful in reducing the noise in the experimental prototype. The receiver was tested with and without the transmitter operating, without any noticeable performance difference.

One other significant effect of the inductance is that it forms a tuned circuit with the pin and pad capacitance, which causes ringing. If this ringing occurs at a frequency near the signalling rate, it interferes with the signal being transmitted or received. The ringing frequency for the 1-nH bond-wire and 2-pF capacitor is roughly 4GHz (two times the targeted data rate). Whether the termination resistor is placed on-chip or off-chip therefore can have a significant impact. Because the resistance is low, an on-chip resistor would dampen the ringing. Figure 5.3-(b) illustrates the damped response with the 50-Ω termination resistor. This damping is especially significant for the transmitter, because the large current switched by one branch of the transmitter exhibits an overshoot which then interferes with subsequent transmitted signals by other branches. Since the driver is a current source, the damping is insufficient without the resistor, as demonstrated in the peak in the simulation of Figure 5.3-(a). The overshoot is observed at the output of the



**Figure 5.4:** Transmitted data eye from the 0.35- $\mu$ m process technology for 5Gb/s

transmitter with an oscilloscope, shown in Figure 5.4, where the termination resistors are off-chip. The inductance of 1nH mentioned earlier is estimated from this overshoot, the ringing frequency, and the extracted value of the on-chip capacitance.

### 5.1.4 On-chip termination

Besides minimizing the ringing of the transmitter, on-chip termination is necessary to match the impedance of the transmission line to reduce reflections. The matching will not be perfect because of the package inductance and pad capacitance. This section describes how this termination is implemented and also describes the effect of the mismatch.

A polysilicon resistor is preferable as a termination resistor because of its linearity and low capacitance. However, this option is not offered in the digital process technology used for the prototypes. Instead, the termination resistor is implemented with a PMOS transistor biased in its linear region, as discussed in Section 2.3. Since the output swing is less than 1V, the gate can be biased to ground to guarantee operation in the linear region. The resistance value can be adjusted by changing the gate bias of the PMOS device. A minimum width of  $200\text{-}\lambda$  is used in this design to provide a sufficiently low resistance while keeping the output loading to a minimum.<sup>1</sup>

1. Since the resistance is small, metal interconnect can be used as the resistor. However, because the signal current can be as large as 20mA, aluminum interconnect needs to be at least 20- $\mu$ m wide in order to meet electromigration requirements. The area of these resistors can be prohibitive.



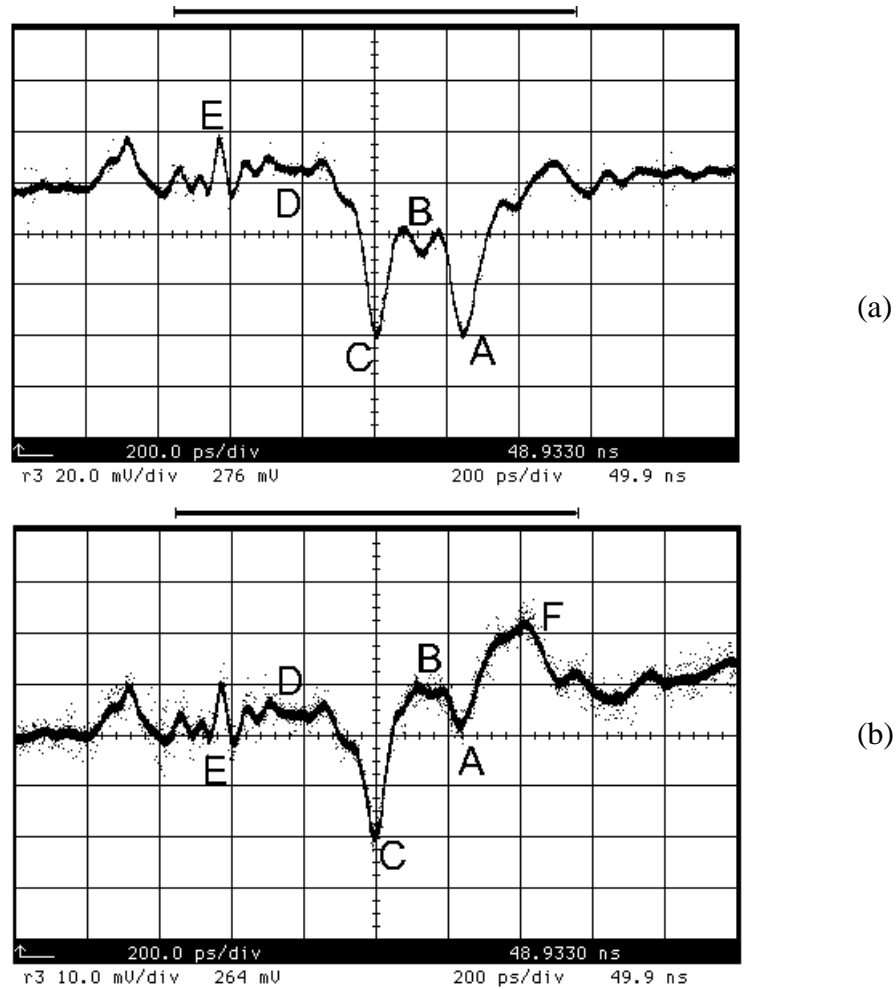
Imperfect matching of this resistance to the line impedance can cause reflections. However, the match does not have to be perfect for the net effect of the reflections to be small. Based on Equation 2.5, a 10-% impedance mismatch results in only 5% of signal reflected. With double termination, the reflection can be practically negligible, resulting in only 0.25-% with 10-% mismatch on both sides.

### 5.1.5 Channel characteristics

The channel characteristics of the entire signal path is observed using time-domain reflectometry (TDR). Because the signals are differential, two types of TDR — differential-mode and common-mode — are used to fully characterize the coupling between the signals. Figure 5.5-(a), and (b) depict the differential-mode TDR and the common-mode TDR, respectively, on the receiver with on-chip PMOS termination.

Starting from the right side of the figure at *Point A*, note that the impedance at the bond-wire and bonding pad appears less capacitive for the common-mode TDR, while appearing very capacitive for the differential-mode TDR. This indicates that the inductance is greatly reduced when the bond-wires are near each other and that the capacitive coupling between the differential signal lines is significant. For a better impedance match in the later designs, the pads were spaced apart further by placing the pad for the termination voltage  $V_{TT}$  in between the differential pads. This serves the two purposes of decreasing the common-mode impedance and increasing the differential-mode impedance.

Moving left along the TDR plots, there is a section of relatively constant impedance, *Point B*, attributed to the controlled impedance of the package. A large dip, *Point C*, follows this section, which corresponds to the pin capacitance. By measuring the dip in the impedance, this capacitance can be calculated to be roughly 0.7pF. The addition of the clamp and elastomeric pad only slightly increased this capacitance. The remaining signal, *Point D*, is flat due to the controlled impedance on the PCB. The SMA launch is only evident as a small ripple on the left side, *Point E*, due to the design shown in Figure 5.1. Not shown beyond the SMA connector is the impedance of the coaxial cable. Lastly, the common-mode TDR rises in impedance on the right-hand side, *Point F*, because the

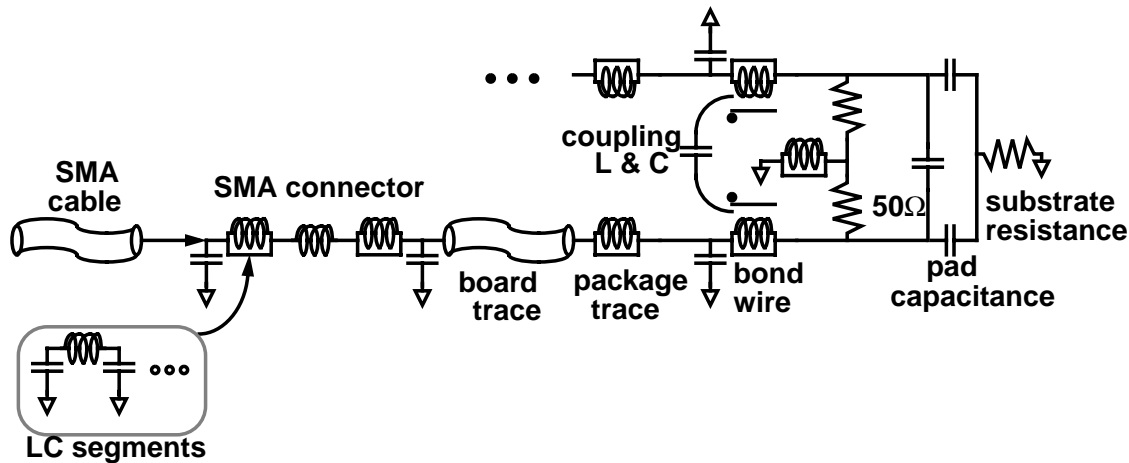


**Figure 5.5:** Differential-mode, (a), and common-mode, (b), TDR on the receive side. The letters mark different locations on the package and board.

return path of the common-mode signal has some additional inductance which is not present in the differential-mode measurement.

The network implied by these TDR traces is modeled in HSPICE. Figure 5.6 shows the *LC* model. The non-flat TDR results in some reflections and hence disturbs the integrity of the signal. However, with the doubly-terminated line, the amplitude of the error is not significant enough to limit data rate. The worst mismatch is from the pin and pad capacitance which contribute to a reflection-noise of less than 1/10 the signal amplitude.

The data eye from the transmitter can indicate the amount of noise on the signal due to the transmitter. Figure 5.9 shows noise on the data less than 1/10 the data



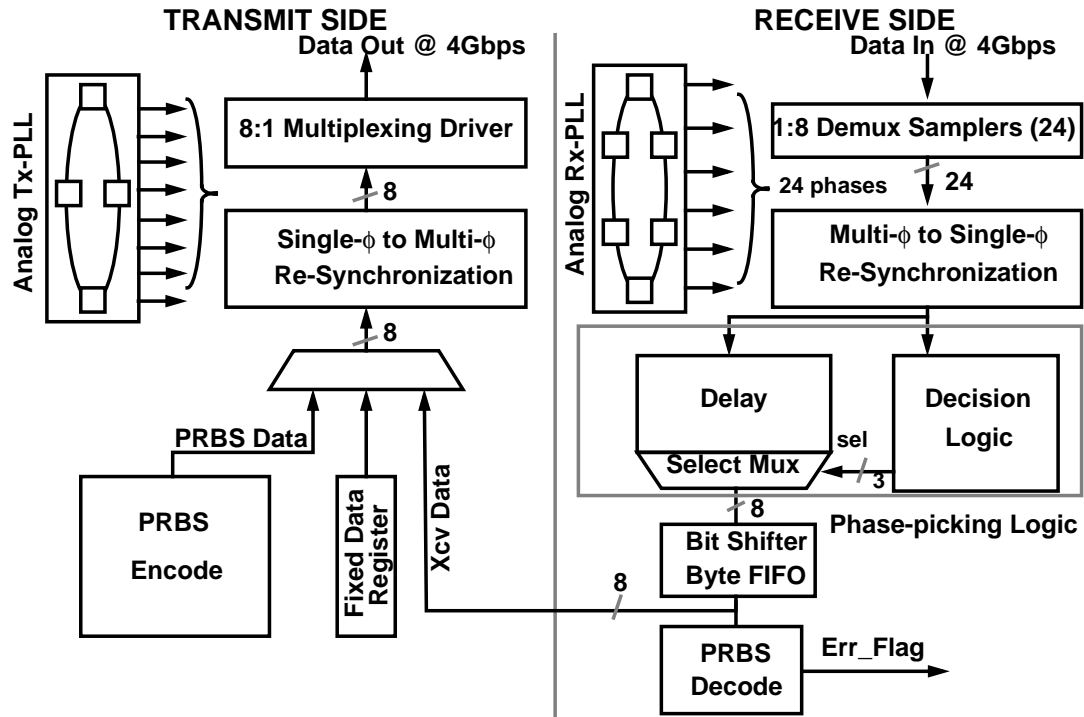
**Figure 5.6:** Board and package electrical model

amplitude. The noise in Figure 5.4 is higher because of the noise from the ringing and phase noise.

## 5.2 Transceiver Test Chip

The parallelized transmitter and receiver of Chapter 3 and the oversampled timing-recovery scheme of Chapter 4 were implemented on a single die. The functional block diagram of the transceiver test chip is illustrated in Figure 5.7. The chip (including the bonding pads) occupies  $8600 \times 8600 \lambda$  or  $3 \times 3 \text{mm}^2$  in  $0.5\text{-}\mu\text{m}$  technology. Figure 5.8 depicts the chip micrograph with the major functional blocks outlined. This section briefly describes the different possible test configurations of the chip along with the operation of blocks that were not discussed in the prior chapters.

The transmitter (left-hand side of the diagram) selects data from three different sources. The transmitter can be configured to transmit a sequence from the receiver, a fixed data pattern, or a pseudo-random bit sequence (PRBS) generated locally. The first configuration allows the chip to operate in a transceive mode. The second configuration can verify the functionality of the transmitter by fixing the output to a user programmable 16-bit sequence. The final configuration provides for self-testing by transmitting a bit sequence that can be verified. Prior to transmitting, the parallel data is adjusted in timing through a synchronization block. This block provides the pre-driver of each of the eight driver legs with data that is stable while the leg is driving the output current pulse.

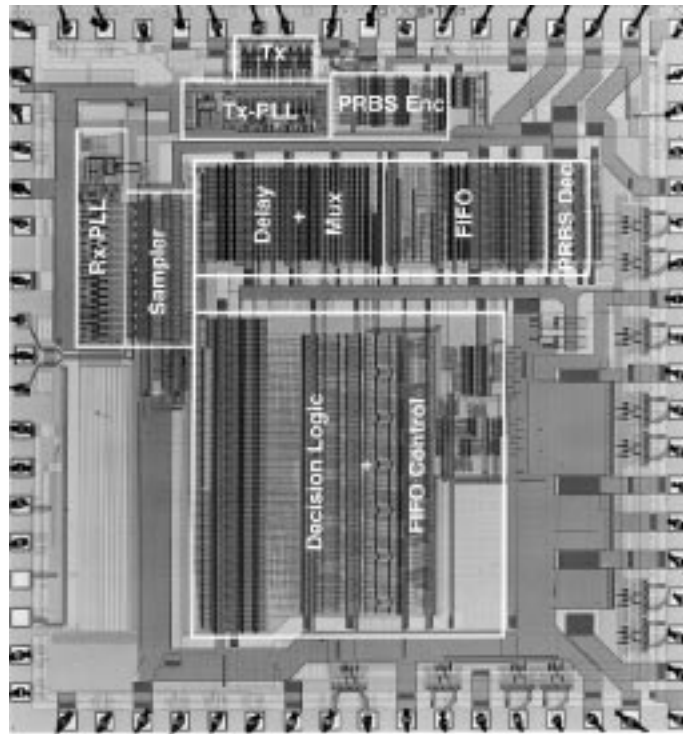


**Figure 5.7:** Transceiver chip's block diagram

Because the data from the 24 samplers all have individual phases, the received data is also synchronized after the oversampling and demultiplexing, synchronizing the multiple phases to the same timing. Both synchronization circuits are described more fully in Appendix A.2. The phase-picking logic processes the samples to yield the predicted data sequence. The sequence can be driven to three different destinations: the high-speed transmitter to be re-transmitted, the parallel-data drivers to be driven at lower data-rate for verification, or the PRBS decoder to validate the pseudo-random sequence.

The power dissipation and the area of each of the blocks are listed in Appendix A.3. Note in Figure 5.8 that the decision algorithm occupies a significant area of  $4500\lambda \times 3500\lambda$ . This large area is necessary to process the wide data path from the oversampling.

A BER measurement using the PRBS encoder and decoder tests the performance of the link. An error flag is asserted when the decoder detects an error. The BER can be determined by counting the number of errors or waiting for the first error to occur. A PRBS is used to test the BER because it approximates a realistic data sequence and can be generated from a simple linear-feedback shift-register. Although the sequence is cyclical, the power spectral density between the repetition frequency and the data frequency is flat.

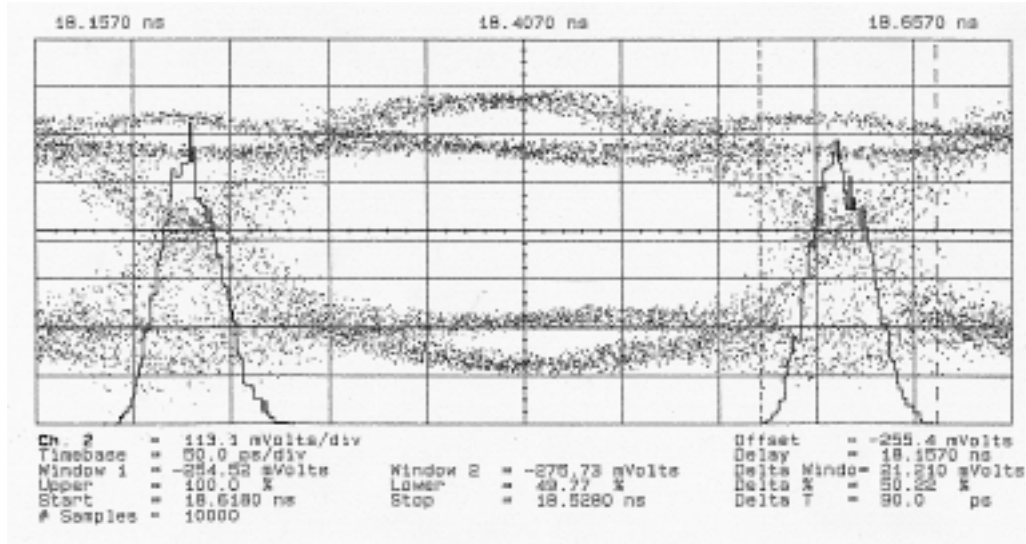


**Figure 5.8:** Transceiver chip micrograph

Since coding typically eliminates the lower frequencies, the PRBS covers all the different data combinations and represents a realistic data sequence.

The sequence length is chosen to be  $2^7-1$  (127), which has a maximum run-length — consecutive bits of the same value — longer than the 8B/10B DC-balanced code. Because the on-chip clock rate is 1/8 the data rate, the design is parallelized ([38] and [59]), in order for the transmitted sequence to be PRBS. Greater details of the design of the PRBS encoder and decoder is discussed in Appendix A.4. The sequence is also chosen so that the same sequence can be detected by a BER tester such as the HP-71612A. When there is a frequency difference between the received data and oversampling clock, consecutive overflows or underflows can occur, eventually exceeding the depth of the internal FIFO. In order to test BER over a long measurement period, the PRBS flag is designed to skip the invalid word or excess word whenever the logic overflows or underflows by one word.

All these different configurations were implemented so that a fixed pattern can be used to test the transmitter and receiver individually, and a random pattern can be used to

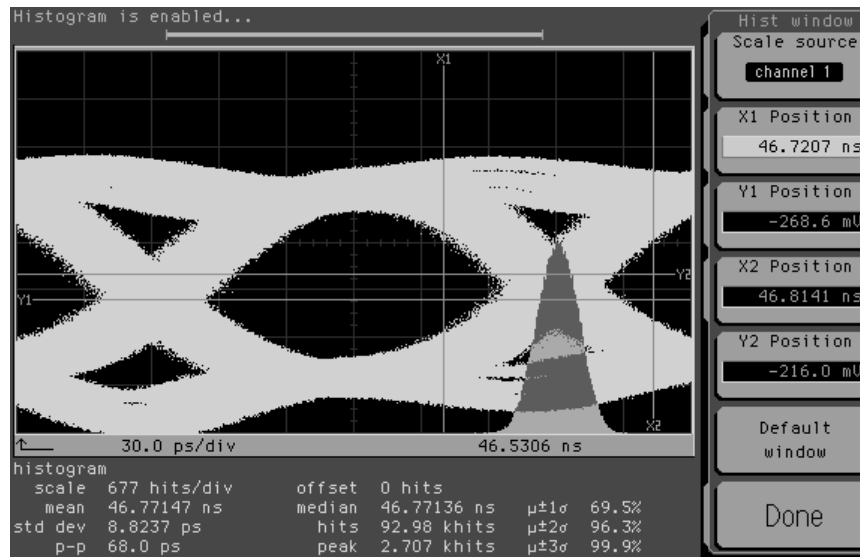


**Figure 5.9:** Measured data eye from the transmitter implemented in the 0.5- $\mu\text{m}$  process measure the performance of the overall link. The measurement results are discussed in the following sections.

### 5.3 Transmitter Experimental Results

The functionality and performance of the transmitter is verified by measuring the eye-opening in the output data. When transmitting the pseudo-random pattern, the output data appears as a data eye. Since the data stream is formed by a parallelized transmitter that interleaves eight drivers, a properly measured data eye will show the errors due to imperfect clock phase spacing and clock jitter. This section describes the measurement technique and results

As mentioned in Section 4.2, because of the multiple clock phases used for the multiplexing, the oscilloscope would display a repeating pattern of eight data eyes if it is triggered with the divide-by-eight frequency. The actual data eye can only be observed using a trigger frequency at the data rate which would overlay the eight data eyes into a single eye. The measured data eye is shown in Figure 5.9 from the 0.5- $\mu\text{m}$  process operating at 3Gb/s. This measurement by a high-speed digital oscilloscope is not at the nominal operating frequency because the trigger frequency of the oscilloscope is limited to 3GHz.



**Figure 5.10:** Measured data eye for 0.35- $\mu\text{m}$  chip operating at 6Gb/s

The reduction in the eye-width is the cumulative effect of the static phase spacing error as well as jitter. The noise in eye-height is, as mentioned earlier, due to termination mismatch, package related ringing, switching noise, and supply noise. The bit-width is degraded by a total of 25%, of which 10% is due to the static phase spacing errors and 15% is due to jitter. The maximum data rate achieved with the transmitter was 4.8Gb/s before the data eye was degraded by more than 50% (corresponding to 0.83 FO-4). This result is slightly worse than the simulation results in Section 3.1. The difference can be accounted for by the 4-stage ring oscillator used to generate the multiple clock phases. As the frequency is increased, the devices in the VCO leave saturation, and the jitter of the output data and the sampling clocks increases. Thus, in addition to the closing the data eye due to the bandwidth limitations, the jitter closes the data eye as well. Similarly, the maximum data rate of the transmitter built in the 0.35- $\mu\text{m}$  process technology is 6Gb/s<sup>1</sup>, as shown in Figure 5.10 with eye-closure of 68ps.

Note that the data eye only demonstrates the functionality of the transmitter. The actual timing margin of the system is not the size of the data eye because some of the jitter

1. Because of a logic bug found in the 0.5- $\mu\text{m}$  chip, the design was primarily a migration to correct the error.

can potentially be tracked by the timing-recovery scheme at the receiver. The functionality of the full transceiver is addressed in Section 5.5.

## 5.4 Receiver Experimental Results

The two factors that limit the performance of the receiver, as discussed in Section 3.2, are the input bandwidth (aperture) and the aperture uncertainty. This section describes the measurements of these two factors to characterize the receiver.

There are several ways to measure the input bandwidth of the receiver. One way is to send input pulses of diminishing width until the pulse can no longer be resolved. The minimum resolvable pulse width indicates the maximum input data bit-width. However, this measurement is difficult because it is hard to generate a very small pulse. Another method is to use a single-ended input and a varying reference. This method has the advantage that the input pulse no longer needs to be extremely small. By varying the reference voltage, the sampling moment changes. The change in sampling moment can be used to estimate the input slew rate and hence the input time constant. This second method was used to find that the input time constants of the test chips in the 0.8- $\mu\text{m}$  process and 0.5- $\mu\text{m}$  process are roughly 150ps and 110ps, respectively, which is sufficient for the bandwidth of 2.5Gb/s and 4.0Gb/s. These measurements of the input bandwidth can not distinguish between the sampling aperture and the input time constant because only the overall bandwidth can be measured. These time constants are 1.5x larger than the simulated value using extracted capacitance. The reason is believed to be due to the pin capacitance and bond-wire inductance in the signal path which further filter the signal. The aperture can not be measured directly because it is masked by the input time constant.

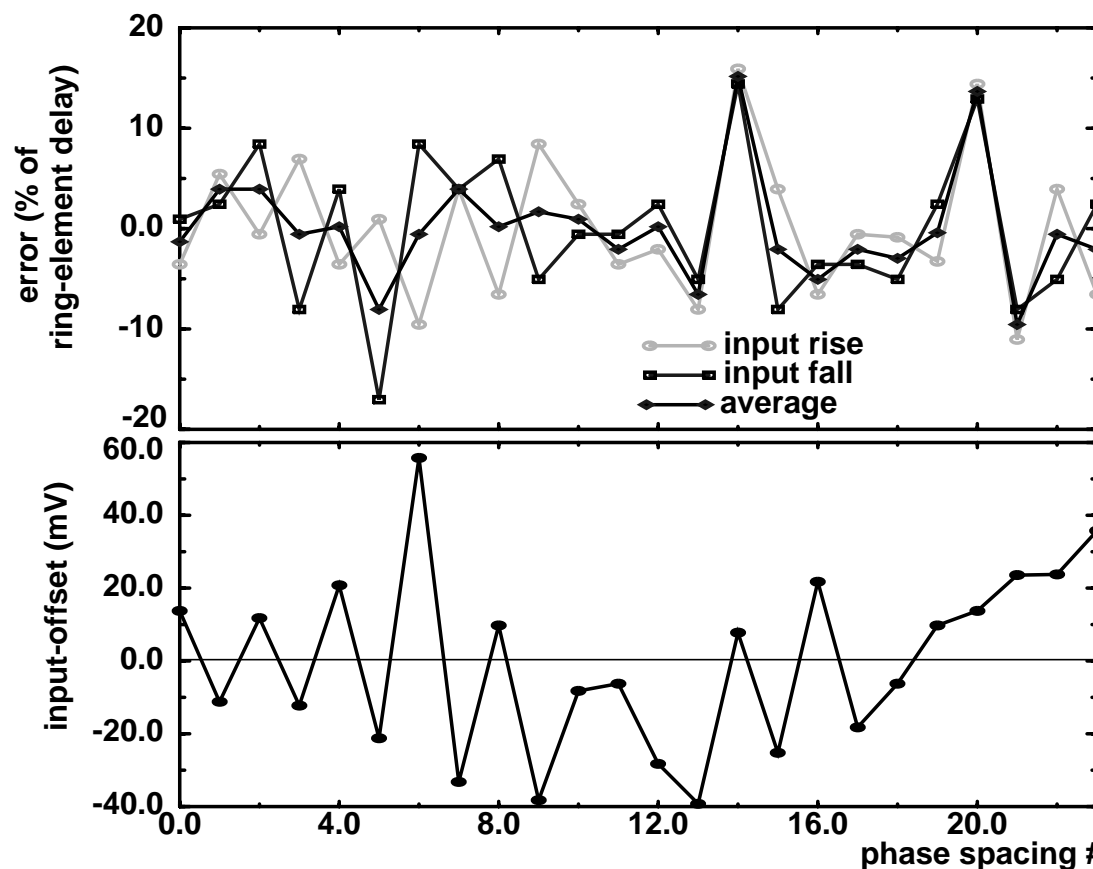
The second measurement is of the uncertainty window. The window width depends primarily on the jitter of the sampling clock and the input-offset voltage of the comparator.

The receiver clock jitter can be measured by sweeping the timing of a low-jitter, rising transition at the input with respect to the clock edge with the timing-recovery circuit disabled. Near the sampling point, the *HIGH* value is sampled only part of the time due to the clock jitter. The window in time of the sweep that this uncertainty lasts is the clock



jitter. The receiver in the 0.5- $\mu\text{m}$  process technology has a measured sampling clock jitter of roughly 45ps. As in the transmitter, this jitter does not indicate the actual degradation of the timing margin because the timing-recovery circuit will track out some of the noise.

The second part of the uncertainty window is the data-dependent uncertainty from the comparator input-offset voltages and sampling-switch non-linearity. This uncertainty can be measured by performing the static phase spacing measurement with both falling and rising edge of the input. Any offset of the overlay of these two measurements indicates the uncertainty. Figure 5.11-(a) illustrates the sampling position spacing (DNL, similar to Figure 4.21) for both a rising and a falling edge swept across all the samplers for the test-chip in the 0.35- $\mu\text{m}$  process<sup>1</sup>. The diamond curve indicates the average of the two. The sample position of each clock phase is estimated at the center of the jitter uncertainty. The



**Figure 5.11:** Measured receiver offset demonstrated by the phase spacing DNL. The average of the input offset for each device, not shown, is less than 1mV.

1. The design in the 0.5- $\mu\text{m}$  process does not allow observability of individual sampler outputs.

difference in the sample spacing for each position indicates the change in offset from one sampler to the next. The worst-case error between the two measurements is  $\pm 6\%$  of the bit-time (corresponding to 15ps).

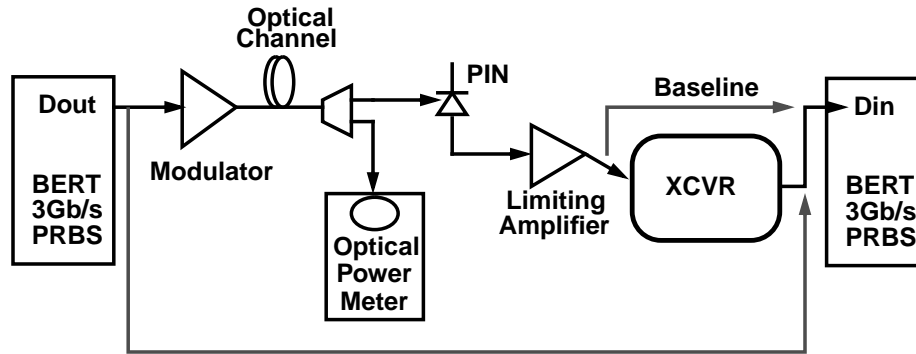
The input-referred offset voltage of each sampler can be calculated from Figure 5.11-(a) if the signal slew-rate and the time relationship between the rising and falling edges are known. However, it is easier to perform a direct measurement using DC voltages at the input samplers. By varying the input voltage difference, the input-referred offset voltage can be found by noting voltage that flips the output of the sampler. Figure 5.11-(b) shows the measured offset for each of the 24 samplers. Because it is difficult to generate these dc voltages cleanly and accurately, the uncertainty of this measurement is  $\pm 13\text{mV}$ . Furthermore, any high-frequency sources of offset are not measured. The peak-to-peak offset is roughly 100mV for the 0.35- $\mu\text{m}$  process technology. The predicted value from Section 3.2 is 60mV in the 0.5- $\mu\text{m}$  process and 80mV in the 0.35- $\mu\text{m}$  process.

## 5.5 Transceiver Experimental Results

The final test is to verify the combined operation of the transmitter and the receiver as well as the timing-recovery scheme. The bit-error rate can be measured as a function of  $SNR$  to quantify the performance in an actual application. Furthermore, because of the oversampling, the phase-quantization penalty can be measured. These measurements and the method used to make these measurements are discussed in the first part of this section. The second part focuses on the performance of the timing-recovery scheme.

### 5.5.1 Bit-error-rate measurements

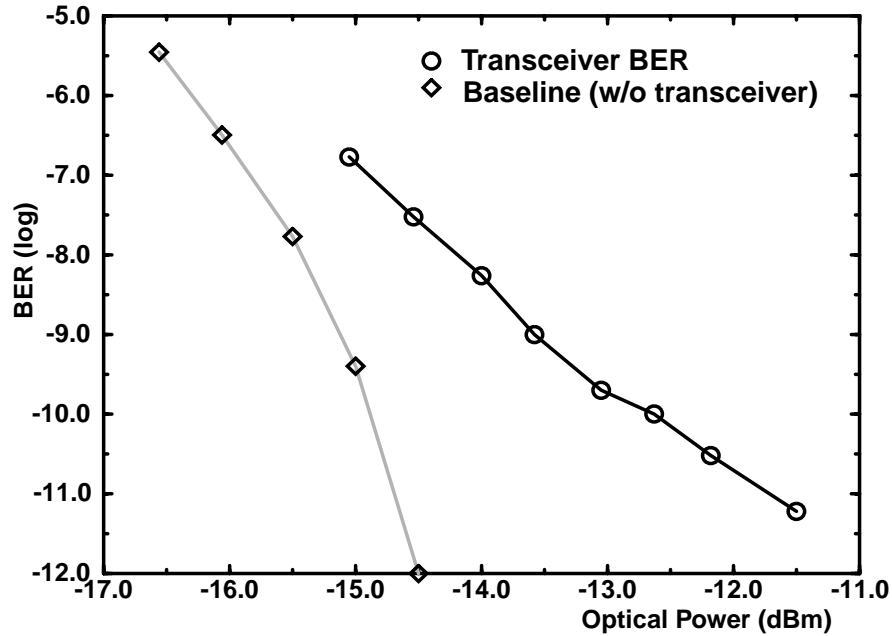
The BER testing is performed with two different configurations. For the first measurement, the transmitted output is fed directly back into the input. This tests a random sequence by using the internal PRBS encoder and decoder. The test yields a BER of less than  $10^{-14}$  at a data rate of 1 FO-4. The maximum data rate that can be received while maintaining a BER of less than  $10^{-9}$  is 4.3Gb/s. In the 0.35- $\mu\text{m}$  process technology, the maximum receivable rate is 5.6Gb/s. For both of these chips, the maximum data rate is limited by a combination of the input time constant and the maximum frequency of the receiver VCO.



**Figure 5.12:** BER measure test setup

The second test is configured by placing the chip in a mock optical network as illustrated in Figure 5.12. A bit-error-rate tester (BERT) is used to generate the data pattern. The pattern is modulated onto a fiber-optic network. The optical power is measured by siphoning 1/10 of the total optical power. The optical signal is received and amplified by an avalanche photodiode (APD), followed by an amplifier. The output of the amplifier is either returned to the BERT for the baseline measurement, or connected to the chip configured in its transceiver mode. Because the BERT and optical amplifiers have a bandwidth limitation of 3-Gb/s, the experimental results of this configuration are limited in data rate. As mentioned in Section 4.2, the phase spacing at lower frequencies is worse so the performance can be expected to be slightly worse than when operating at 4.0Gb/s. The BER versus *SNR* for the 0.5- $\mu\text{m}$  transceiver chip is plotted in Figure 5.13 with *SNR* expressed in optical power. The figure illustrates both the baseline measurement and the measurement with the DUT. The *SNR* penalty for inserting the DUT to receive and then re-transmit the data is 1.5dB at  $10^{-9}$  BER.

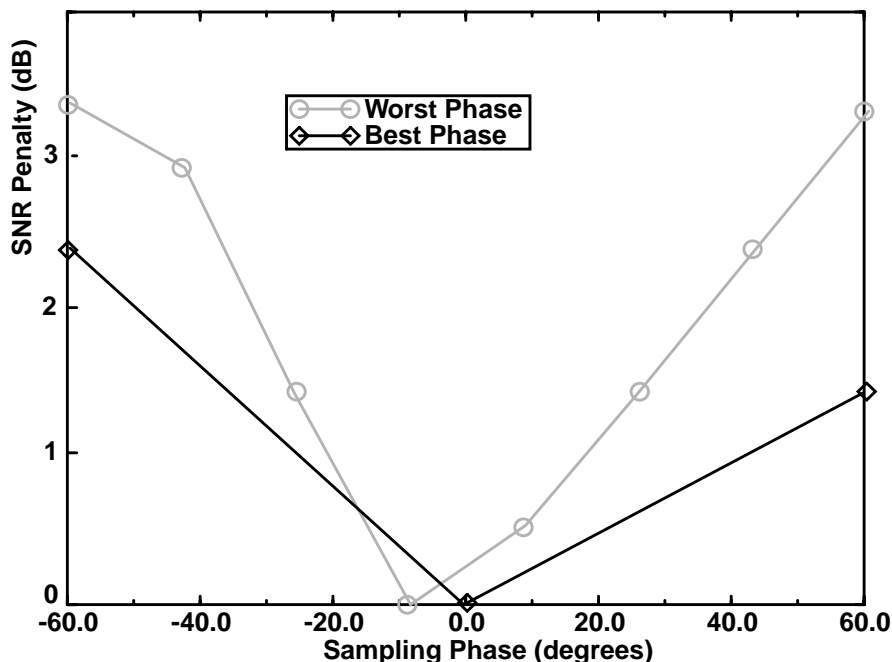
An interesting observation is that the measured BER with the DUT does not fall as quickly at higher signal power. Three reasons account for this. First, the BER tester receives the transmitted signal using an extremely clean clock position statically at the center of the bit. No tracking of the transmitter phase noise occurs, hence the phase noise (especially due to slow frequency temperature drifts) degrades the performance. Measurements with the transmitter alone yields a BER floor of roughly  $10^{-12}$  to  $10^{-13}$  depending on the room conditions. A second cause is the AWGN amplitude noise introduced in the prior experiment. As discussed in Section 2.2, the amplitude noise can



**Figure 5.13:** Measured BER vs. *SNR*

translate into very high-frequency phase noise (at the data rate) which is not tracked by the timing-recovery scheme, therefore introducing the BER floor shown in Figure 5.13. The third reason is that there was a logic bug in the DUT that contributed to errors when there were phase deviations larger than a bit-time.

Using the same test setup, a second measurement of system performance is done by sweeping the transmit clock with respect to the receive clock, causing the phase relationship to shift. This type of shmoo measurement is often used to find the timing margin of a link. However, because of the oversampled phase-picking, the received data is always from the sample nearest to the center. Due to the quantization in phase and not selecting a sample at the middle of the data eye, an *SNR* penalty can be expected from the analysis in Section 2.2. Since the bit-error rate without attenuating the signal is too low for the penalty to be measured, the measurement uses the second test configuration while applying sufficient noise for a BER of  $10^{-9}$  at the best phase position. The experiment measures the amount of *SNR* penalty from the minimum as the phase is swept. Figure 5.14 illustrates the best-case and worst-case *SNR* penalties that are due to different static phase spacing errors as the phase is swept across one bit-time. Because of the phase spacing

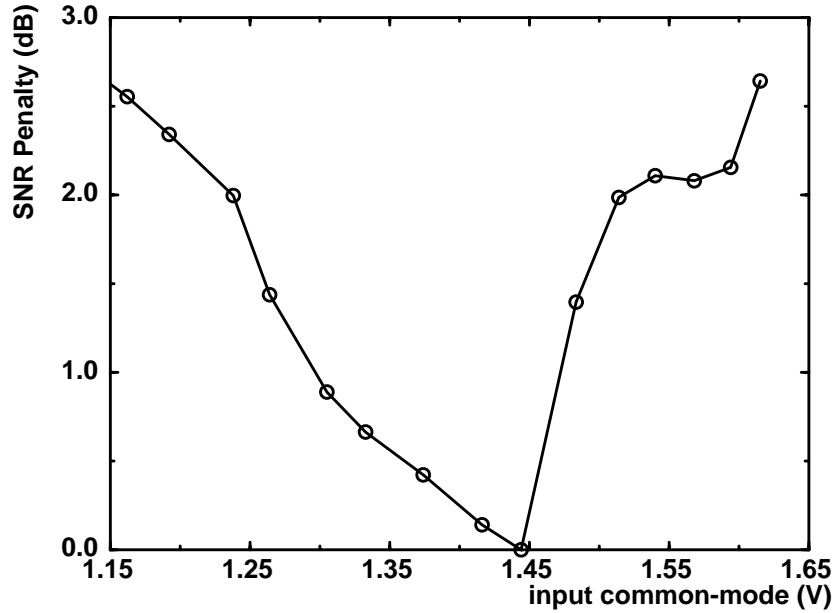


**Figure 5.14:** Measured *SNR* penalty with different phase offsets

errors on the receive and transmit side, the penalty shown here is worse than the simulated 1-dB penalty for a sinusoidally-shaped signal.

As discussed in Section 3.2, the input-receiver's bandwidth, and therefore aperture, is sensitive to the input common-mode value, because the sampling structure is built with NMOS pass-transistors. The input bandwidth degradation is expected to reduce performance as the common-mode input is either raised or lowered. To allow a variable input common-mode value, the inputs are capacitively coupled and the input common-mode is set by a resistor divider. Figure 5.15 plots the *SNR* penalty with different input common-mode levels under the same test condition. The common-mode value with the lowest BER is roughly 1.4V. Because this penalty negates somewhat the advantage of the high bandwidth of a pass-transistor sampler, further research into sampler designs that are more tolerant to common-mode errors is encouraged.

The prior BER measurements using the optical network purposely introduces white noise into the system to reduce the *SNR*. To measure the amount of noise inherent in the system, the BER can be measured as the input amplitude is reduced, which also decreases the *SNR*. Because of the input-referred offset voltage of the comparator, the BER can be expected to increase rapidly as the voltage nears the minimum input

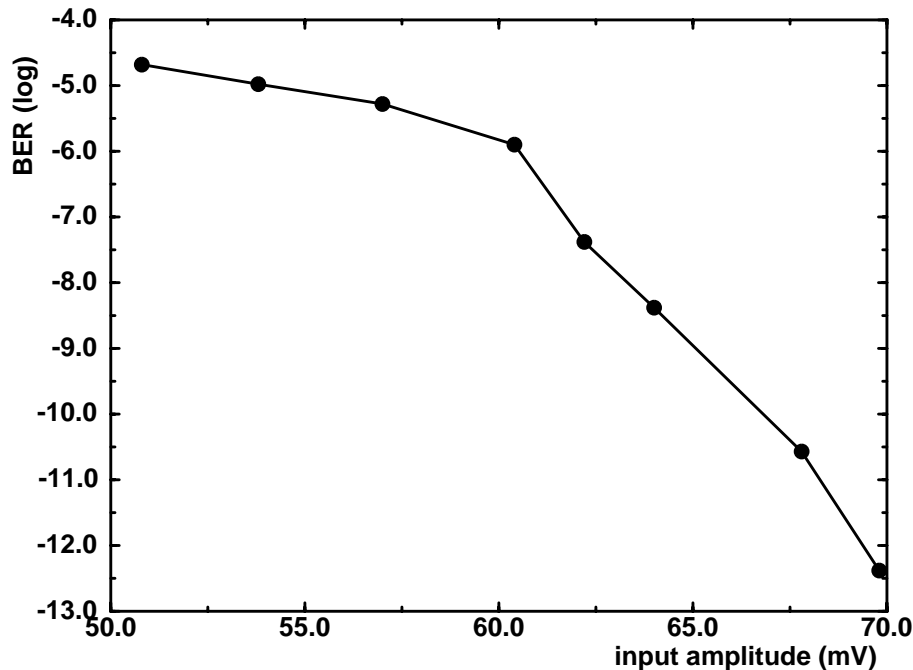


**Figure 5.15:** Measured *SNR* penalty at various common-mode voltage

amplitude. Figure 5.16 illustrates the BER for various signal amplitudes. The minimum amplitude is 90mV with an internal eye opening of roughly 65mV when maintaining a BER of less than  $10^{-9}$ .

The sharp fall-off in BER with signal attenuation in Figure 5.13 indicates that the noise, although as large as 10% of the signal amplitude, is primarily coupled noise, which has a bounded, rather than Gaussian, probability distribution. Gaussian distributed noise is still present (from the termination resistor and sampling noise) but at a much lower amplitude. Therefore, the BER does not begin to increase until the signal amplitude drops to a value very near the offset voltage. By comparing the results of this measurement to the ideal BER versus *SNR* curve from Chapter 2, one can estimate the inherent Gaussian noise of the system. By determining the rate at which the BER is changing in Figure 5.16, the change in *SNR* can be determined from Figure 2.5. Since the actual signal amplitude is known at various attenuation, the effective noise can be estimated as roughly 2mV ( $6\sigma$ ). Interestingly, this value indicates that the inherent noise is roughly 5x higher than the 400- $\mu$ V ( $6\sigma$ ) white noise of a 50- $\Omega$  resistor within the signal bandwidth.

As a final evaluation of the link, we perform the same test with a single-ended signal by using only one of the differential inputs for the signal and a dc value for the other as the reference. For the same BER of  $10^{-9}$ , the minimum single-ended peak-to-peak

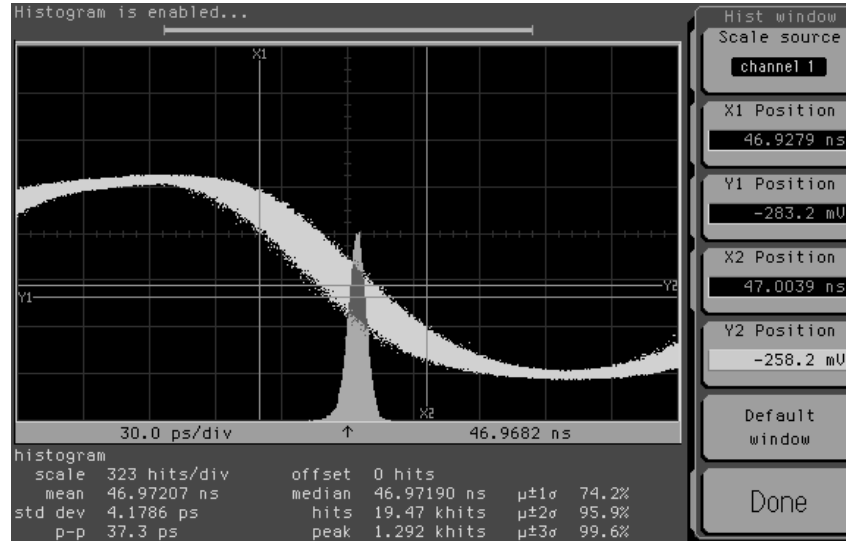


**Figure 5.16:** Measured BER at various input amplitude (the errors of this BER measurement can be 6x at the larger signal amplitudes.)

amplitude is 130mV of internal eye-height. Interestingly, there is negligible penalty for single-ended operation. This is believed to be due to extremely good matching of the signal and single-ended reference paths. Any noise sources are all coupled as common-mode noise which is subsequently rejected by the differential receiver.

### 5.5.2 Jitter and phase tracking

As described in Section 2.2, jitter in both the transmitted data and the sampling clock can degrade the timing margin and hence reduce performance. Jitter in the transmitter can be measured by outputting a fixed pattern and measuring the jitter on the data transitions. As described in the previous section, jitter in the sampling clock can be measured by looking at the sampler output while sweeping the relative phase of a low-noise input signal. In addition to measuring the jitter, the supply sensitivity can also be evaluated by measuring the increase in jitter due to supply noise induced by an internal switch that shorts between supply and ground. The sensitivity of the transmit and receive PLLs are 0.2ps/mV and 0.3ps/mV, respectively, with similar peak-to-peak quiescent jitter of roughly 45ps. The jitter at the output of the transmitter is measured when transmitting a fixed clock pattern. Figure 5.17 depicts the oscilloscope trace with the jitter histogram.



**Figure 5.17:** Clock jitter at 250MHz input frequency

Since the quiescent jitter of the clock generation, even without any timing-recovery circuit, is roughly the sample spacing (83ps), the benefit of the fast tracking-rate of the phase-picking scheme is not clear. The transceiver jitter is sufficiently low that a PLL-based timing recovery could potentially reduce jitter sufficiently to work as well as the oversampled phase-picking.<sup>1</sup>

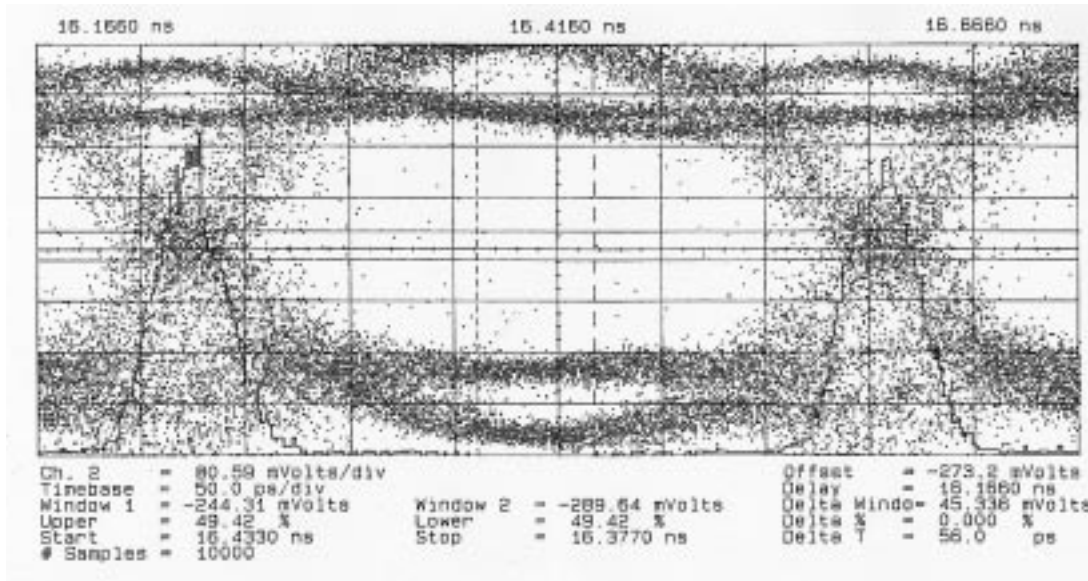
In order to test the effectiveness of the phase picking, voltage steps are induced on the supply with the transceiver in operation to cause jitter on both the Tx-PLL and Rx-PLL. Because of the lower bandwidth of the Rx-PLL, the sampling clocks will experience larger jitter accumulation. Figure 5.18 depicts the collapse of the data eye due to the supply steps on the transmitter PLL.<sup>2</sup> This signal is received by the oversampled phase-picking receiver and still performs with BER better than  $10^{-9}$ . Although tracking is not necessary in quiescent operation, the phase picking tracking rate is sufficient to track phase noise accumulated by the VCO of the PLL.

As another example of the tracking, two chips are used, with the first transmitting the PRBS pattern for the second to receive while operating at different frequencies. The FIFO in the receiver decision logic allows the receiver to track a frequency difference as

1. Since the PLL can potentially have less static phase error, it could work better.

2. A step of nearly 20% of the supply is necessary to fully collapse the data eye.





**Figure 5.18:** Data eye after inducing phase noise with a supply bump.

large as 1 MHz with BER less than  $10^{-9}$ . This frequency difference is 0.5 parts-per-thousand (ppt) of the data frequency (4 ppt of the clock frequency), which greatly exceeds the 50-100ppm mismatch typical between two crystal frequencies.

Although not clearly necessary in this link, the oversample scheme has other potential applications. Very noisy systems, or systems with potentially large spikes on the supply, can be made more robust with this scheme. It can potentially be useful in systems where the PLLs perform high frequency multiplication. In such systems, the PLL bandwidth is limited by the multiplication factor, causing accumulation of jitter for many cycles. Phase tracking can potentially compensate for this accumulation. Lastly, because the phase-picking does not need long phase acquisition time, it can be useful in switched data systems where continuity in the phase of the input data stream is not guaranteed from one source to the next [10]. The algorithm can quickly capture the data of a new stream as long as a sufficient density of transitions is present.

## 5.6 Summary

The experimental results demonstrate the functionality of a transmitter and receiver that operate at a bit-rate of 1 FO-4 in two different processes with BER of less than  $10^{-14}$ . The data-rate limitation for the design was primarily the input bandwidth of the receiver and

the on-chip clock frequency. More clock phases and larger demultiplexing may be able to push the maximum data rate closer to the predicted maximum of 0.7 FO-4. The resolution is limited by the input-referred offset voltages of the comparators, which were characterized to be 100mV. This value corresponded roughly to the predicted results of the previous chapters. The minimum receivable input eye opening while maintaining the BER performance is 65mV (differential).

The quantization penalty of the oversampled phase-picking scheme is verified by sweeping the phase of the input data with respect to the receiver. The performance penalty was found to be 3dB in the worst case. The oversampled phase-picking timing-recovery scheme is shown to be effective in tracking the phase accumulation. However the quiescent jitter of the VCO is small enough not to require the tracking. Since the jitter is small and the quantization error is large, a PLL-based timing recovery scheme might perform as well with less area, power, and complexity overhead.



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## Chapter 6

### Conclusion

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This dissertation has shown that there are three major factors that can limit the performance of high-speed links: clock frequency, signal bandwidth, and timing accuracy. It uses the delay of a FO-4 inverter to measure the performance of circuits that should scale with technology, since the limitations (in terms of FO-4) remain roughly constant with scaling. Limitations that do not scale with technology are measured in picoseconds and potentially establish an ultimate limit to a link's performance.

The clock cycle-time of most chips is generally limited to roughly 8 FO-4 delay by the clock buffer chain. To overcome this 8 FO-4 limitation, multiple bits are transmitted and received per clock cycle, leading to the need for multiplexing at the output and demultiplexing at the input of a high-speed link. The simplest approach, demonstrated in many links, is to multiplex and demultiplex by 2. This leads to a bit-time performance of 3-4 FO-4. While this removes the clock-period limitation, it moves the bit-rate limitation on the bandwidth of the multiplexing and demultiplexing circuits, and on the accuracy of the multiple clocks.

Higher parallelism can be used to achieve higher bit rates, but requires a higher fan-in circuit for both the receiver and the transmitter. The demultiplexing at the receiver is performed by interleaving multiple samplers. The maximum bandwidth of the sampler is one of the primary limitations on receiver performance. This bandwidth is limited by the

sampling aperture and the sampling uncertainty of the sampling switch and sets the minimum bit-time at roughly  $0.5 \text{ FO-4}$ . The multiplexing at the transmitter is also performed by interleaving parallel drivers using overlapping clock phases. One of the limitations of the transmitter bandwidth is the maximum rate that each driver can switch the full output current, which limits the bit-time to roughly  $0.7 \text{ FO-4}$ .

The amount of parallelism that is necessary to maximize off-chip bandwidth is determined by the relative values of the on-chip clock rate ( $8 \text{ FO-4}$ ), the maximum sampling rate of the receiver, and the maximum switching rate of the transmitter. However, a large degree of parallelism can introduce significant input/output capacitance at the high fan-in/out node, which further limit on the bit-time. One can exploit the low-impedance off-chip environment to reduce the effect of this capacitance. Thus the multiplexing and demultiplexing are done at the output and input of the chip so that the low off-chip impedance provides a small RC time constant, enabling Gb/s bandwidth.

For the accurate timing needed at high data rates, two factors are important: the static phase difference between clock phases (offset), and dynamic phase noise (jitter). Precisely spaced clock phases are what determine the bit-time, and so offsets in the clock placement and jitter of both the sampling clock and transmitted data degrade the timing margin, closing the data eye. Careful circuit design is necessary to minimize mismatch between clock phases and reduce the sensitivity of the clock elements to noise. In addition, in this research, an oversampling technique is explored to allow very fast tracking bandwidths to minimize the timing error between the sampling clock position and the center of the data bit. For the  $0.35\text{-}\mu\text{m}$  and  $0.5\text{-}\mu\text{m}$  technologies, the clock phases can be generated with static errors of less than  $\pm 10\%$  of the ring-element delay (corresponding to an offset of roughly  $1/10 \text{ FO-4}$ ). Jitter for the transmitter and receiver clocks were each measured to be roughly  $1/5 \text{ FO-4}$  peak-to-peak. This clock quality provides sufficient timing margin for proper data recovery for a bit-time of  $1 \text{ FO-4}$ , as demonstrated by the transceiver test chips. The chips achieved a BER performance of less than  $10^{-14}$ . Interestingly, measured results of the transceiver chip show that because of the small jitter value, the complex oversampled timing recovery may not be necessary. Other

timing-recovery schemes, such as a classical data-recovery PLL, can potentially achieve similar performance.

## 6.1 Scaling Trends

Most, but not all, of the constraints on the speed of high-speed links scale with technology. The primary factors, such as maximum on-chip clock-rate, receiver aperture and transmitter switching rate, do scale because they depend on device speed and device capacitance. This scaling is illustrated in Figure 6.1, which shows not only the scaling of this research but also the quoted performance of other high-speed serial links along with their respective technologies. The performance of the links falls roughly along the straight lines which plot the approximate delays for 3 FO-4 and 1 FO-4.

There are several issues that may prevent the link speed from scaling with the FO-4 delay, including reduced signal-to-noise ratio, jitter, static offsets scaling, and fixed channel bandwidth limitations. These issues are described next.

Ideal scaling assumes that all voltages, including the output voltage, scale with the supply voltage. If the output voltage does not scale, the devices used to drive the signal

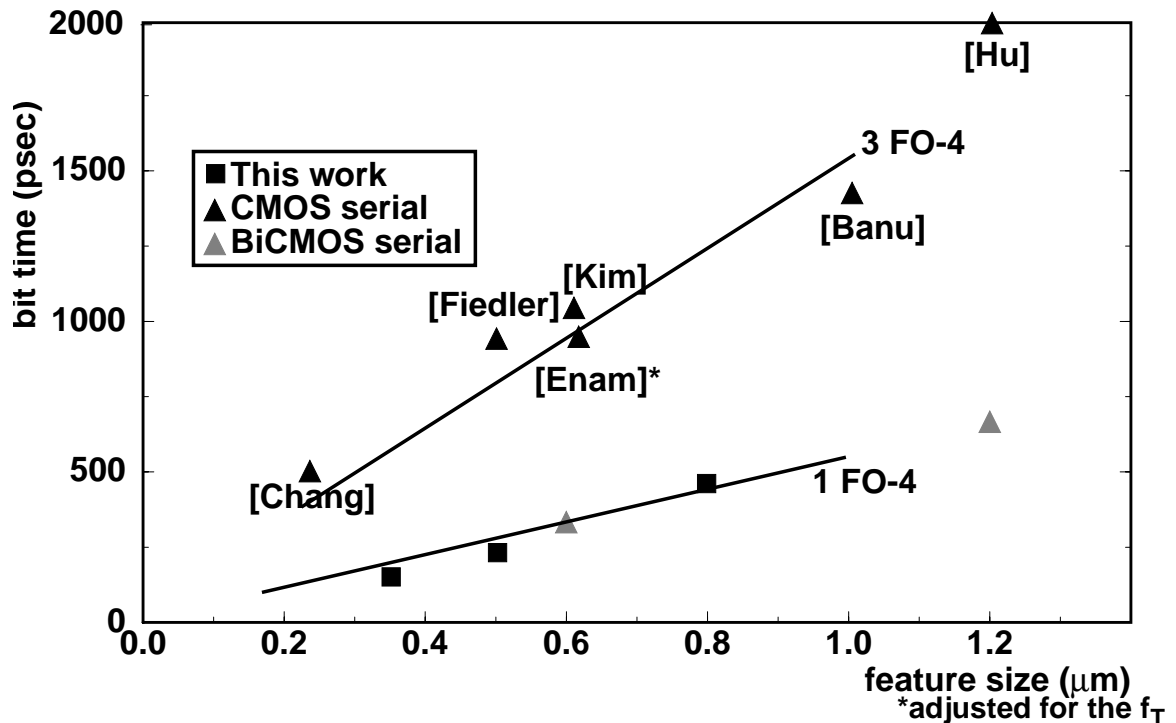


Figure 6.1: Scaling of performance as technology scales

will not scale, and will thus limit the bandwidth. Exacerbating this *SNR* problem is that noise, such as thermal noise, increases at higher data rates. Fortunately, this noise is a small part of the signal amplitude even for the data rates in this research. As long as the remaining noise sources are proportional to the signal amplitude, which is often the case when all voltages scale, the *SNR* will not degrade enough to affect performance seriously until bit-rates exceed 20Gb/s.

Jitter can be expected to scale roughly with technology as long as the input frequency scales. The portion of jitter due to clock buffering will scale as delay scales with technology because the jitter of a clock driven through a buffer chain is proportional to the delay of the chain. However, if the input frequency does not scale, jitter from the a PLL that is locked to an external clock may not scale. System constraints such as FCC regulations often do not allow high clock frequencies on the PCB. This would require on-chip frequency multiplication to maintain the desired clock frequency and a low input-clock frequency. As mentioned in Chapter 4, the jitter performance does not improve while the bit-time scales because the loop bandwidth is proportional to the input frequency. Since jitter accumulates for greater number of bit-times, one implication is that a clock-recovery scheme with high phase-tracking rate, such as the oversampled phase-picking, can potentially be applicable to track the phase accumulation.

Both the static phase error and the input-offset voltage will also cause problems when the technology scales because they are primarily due to mismatches in  $V_T$  and  $K_P$ . Since device mismatches depend on the area of the device, the absolute error increases as device size shrink. Phase spacing error will increase as a percentage of the bit-time and thus reduce the timing margin. Similarly, the input-offset voltage will increase, limiting input resolution and reducing the voltage margin. In addition, the aperture uncertainty due to input-offset voltage increases, which reduces the timing margin. These offsets are already significant enough for the 0.35- $\mu\text{m}$  process technology that additional circuit innovations will be required to cancel the offsets for future process generations.

The final, and most significant, bandwidth limitation that needs to be addressed is the channel. Assuming that the off-chip cable and PCB have sufficient bandwidth, the input/output capacitance does not scale ideally because a portion of the capacitance comes

from fixed sources such as the bonding pad and electro-static discharge (ESD) protection devices. For the test-chips that were measured, the parasitic capacitance of these elements were a small portion of the total input/output capacitance so they did not have a significant impact on the result. However, as the data rate scales, their parasitics can limit the bandwidth. For the size of the pads used in this research, the effect of the additional capacitance can be seen at data rates above 10Gb/s. Improvements in packaging technology and ESD structures are crucial for higher data frequencies.

Besides the on-chip components, more serious bandwidth limitations can arise from off-chip components, such as the PCB, connectors, and cables. With data rates greater than several Gb/s and distances greater than a few meters, many cables pose significant bandwidth limitation. For example, Figure 6.2 shows the frequency response of a 10-meter coaxial cable. The signal loses 3dB at 300MHz and 8dB at 2GHz with self-evident implications for data rates.

## 6.2 Future Work

Overcoming these scaling limitations is thus an interesting area of future research. Although some of these limitations, such as the output voltage scaling and the fixed on-

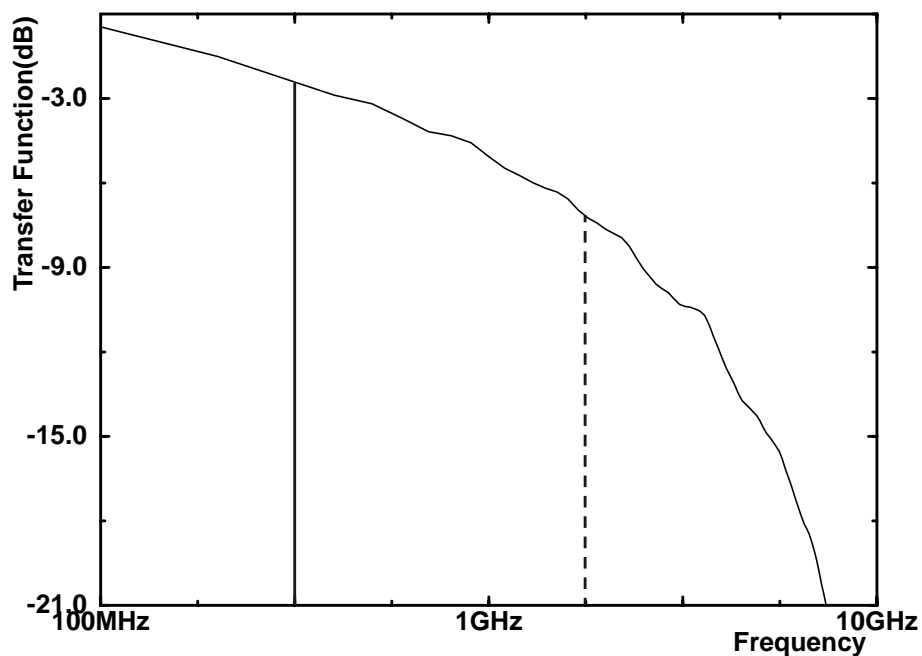


Figure 6.2: Frequency response of a 10-m coaxial cable (RG55U)



chip I/O parasitics, are not immediate issues for scaling, others, such as device mismatch and off-chip bandwidth limitations, need to be overcome by using clever circuits and architectures.

One interesting area of circuit design is dealing with the transistor mismatches. Because transistor mismatches are static (albeit random), offset-correction schemes, such as an open-loop correction at the start-up period of the circuit, can be applied. For example, static phase error can be corrected using programmable interpolators (as done in [88]) that adjust each phase individually. Similarly, input-offset voltage can be corrected using techniques commonly applied in ADCs (such as [83] and [101]). The challenge is to perform the offset corrections with very little performance overhead for the receivers. Because the samplers are cycled at such high rates, dynamic, closed-loop techniques can be very difficult to apply. If these techniques can be applied, the scaling of on-chip circuit performance can be expected to continue.

Since the scaling of CMOS provides such high bandwidths, one possible application is toward optical interconnects where the bandwidth of the medium is extremely high. However, electronic components to drive and receive the optical signals have more stringent criteria than electrical links. The receivers require resolution on the order of several millivolts and the drivers often require driving voltages greater than 3V. The design of these circuits while scaling continues is a difficult challenge.

Electrical links are beginning to provide a higher available data bandwidth than the off-chip environment can support. This encourages a large field of research to push high data rates through bandwidth-limited channels. This problem has been extensively researched for telecommunications and data communications (in published research such as [9], [12], and [17]). Techniques such as modulation, equalization, and coding ([89], [8], [20], [27], [46], and [90]) can provide significant improvement in data bandwidth through transmitting more complex symbols instead of simple bits. However, applying these techniques is challenging, especially at high symbol rates, because they require greater voltage resolution and timing accuracy.

There is a growing interest in applying these techniques at GSym/s rates ([95], [84], and [91]). Successful use of these techniques will demonstrate that the aggregate

data rate can continue to improve with technology, even though channel-bandwidth limitations may constrain the number of symbols per second transmitted and received.



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# Appendices

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## A.1 Time Invariance of Sampler's Impulse Response

The impulse response of the sampler in Section 3.2.1 can be derived and used only if the sampling system is time invariant as well as linear. Equation A.1 shows the convolution equation for a linear, time-invariant system based on the superposition equation where  $v_o$  is the output,  $v_i$  is the input,  $h$  is the system response.

$$v_o(\tau) = \int_{-\infty}^{\infty} (v_i(t) \cdot h(\tau - t)) dt \quad [\text{A.1}]$$

Equation A.2 shows the input-to-output relationship for an ideal sampling system where the sampling point with respect to the input waveform is  $T_s$ . This equation assumes that the sampled data is held indefinitely, so  $v_o$  is a constant.

$$v_o(t) = v_i(t) \cdot \delta(t - T_s) = v_i(T_s) \quad [\text{A.2}]$$

If the input is shifted in time by  $\Delta t$ , Equation A.3 shows that the system is not time invariant because the resulting value is not a time-shifted version of the previous output.

$$v_o(t) = v_i(t - \Delta t) \cdot \delta(t - T_s) = v_i(T_s - \Delta t) \quad [\text{A.3}]$$

However, if  $v_o$  is considered as a function of  $T_s$ , as shown in Equation A.4, the sampling system is time invariant.

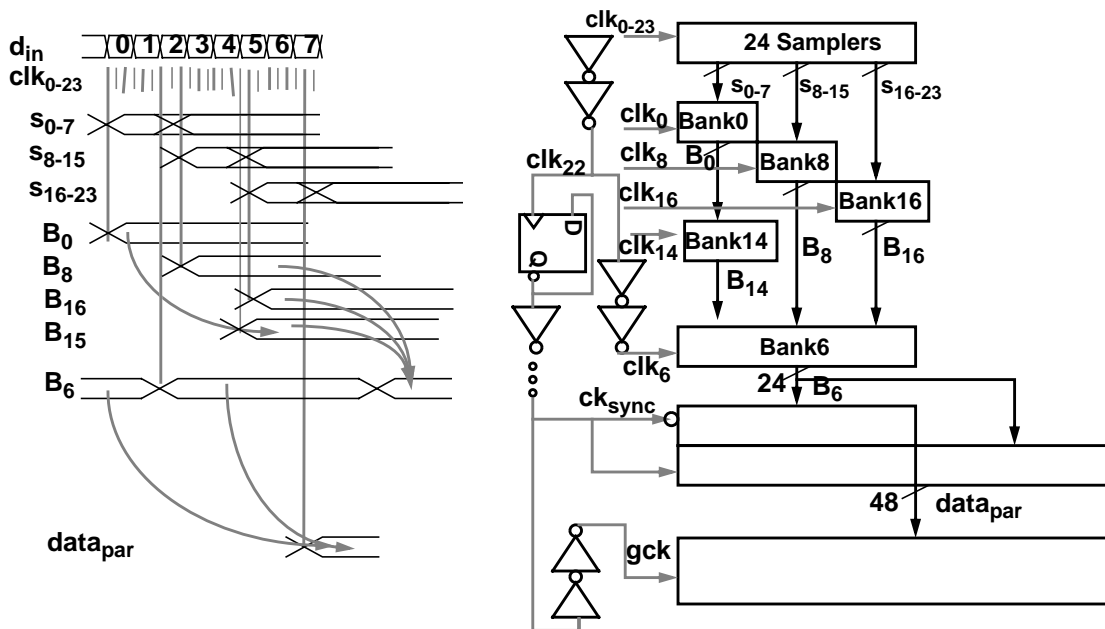
$$v_o(T_s - \Delta t) = v_i(t - \Delta t) \cdot \delta(t - T_s) = v_i(T_s - \Delta t) \quad [\text{A.4}]$$

The conclusion remains valid even if the sampling function is not a delta function.

## A.2 Transmitter and Receiver Parallel-Data Synchronization

Because each sampler in the receiver uses a different clock phase, the output of the sampler bank can be processed by the decision logic much more easily if the samples are first re-synchronized to a global clock. Similarly, prior to transmitting/multiplexing the serial output, the parallel data must be properly timed for the transmit phases to strobe the data in the proper sequence.

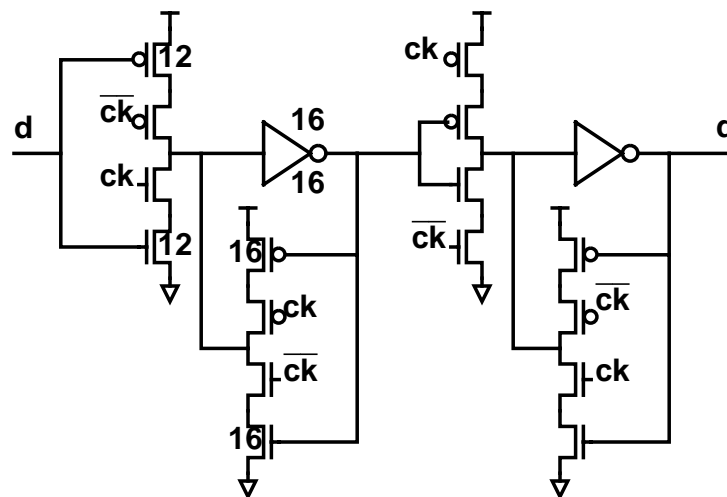
Because multiple clock phases are available, the re-synchronization uses all the phases from the VCO. On the receive side, the 12 clock phases at the inputs to the interpolators are driven to the synchronization block corresponding to  $clk_0$ ,  $clk_2$ ,  $clk_4$ , etc. in Figure A.1. Each phase is buffered by two FO-4 inverters before being driven to roughly equal loading. The negative edge of phases,  $clk_0$ ,  $clk_8$ , and  $clk_{16}$ , with the positive edge of their respective complements ( $clk_{12}$ ,  $clk_{20}$ , and  $clk_4$ ), are used to latch the 24 samples with 3 banks of 8 flip-flops, splitting the samples into 3 groups of 8 samples. The flip-flops used



**Figure A.1:** Timing and block diagram for receive-side re-synchronization

are metastability-hardened as shown in Figure A.2 with strong but gated feedback for high regenerative gain. The P:N ratio of 1 improves the mean-time between failure (MTBF) of the flip-flops [77]. Also, by using both true and complement clocks, the setup-hold window is narrowed further reducing the probability of metastability. The 8 outputs of  $Bank_0$  is latched another bank of flip-flops strobed with  $clk_{14}$  and its complement  $clk_2$ . The 24 outputs of  $Bank_8$ ,  $Bank_{14}$ , and  $Bank_{16}$  are latched by a bank of 24 similar flip-flops clocked by  $clk_6$  and its complement  $clk_{18}$ . Since  $clk_6$  and  $clk_{18}$  drive a heavier load than the other 4 clock-pairs, it is buffered by two FO-4 inverters. The first inverter is a tri-state inverter that is 8x the size of the flip-flops to match the loading. The loading is carefully matched because the phase relationship between the clocks must be maintained for a safe setup time for each bank of flip-flops. Even though the clocks of the flip-flops in  $Bank_6$ ,  $clk_6$  and  $clk_{18}$ , are delayed by 2 more FO-4 delays than the other 4 clock-pairs, the data does not violate the hold time of the flip-flops,  $t_{su}$ , because the data is delayed by the clock-to-Q delay of a flip-flop,  $t_{clk2Q}$ . By guaranteeing  $t_{clk2Q} + t_{su} > 2 t_{FO-4}$ , data does not flow through. At the output of  $Bank_6$ , not only are the multiple phased data synchronized to a common clock, the probability of metastability is greatly reduced. The MTBF of the synchronization chain using Equation 3.4 is roughly 300 hours.

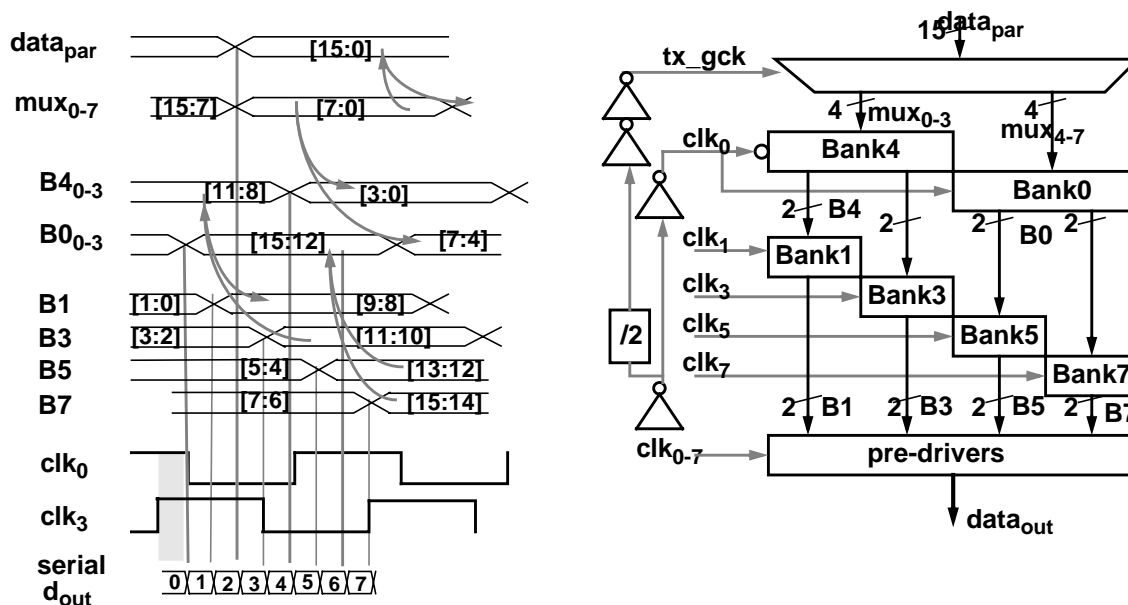
The final clock-pair of  $clk_{22}$  and  $clk_{10}$  also drive 8 flip-flops to match loading. One of the flip-flops is the frequency divider that feeds a divided-by-two clock (250MHz) back to the Rx-PLL. This flip-flop is powered by the more quiet analog supply to reduce the



**Figure A.2:** High MTBF flip-flop for synchronization

jitter. Ideally, the feedback path of the PLL should match the buffer path that generates the clocks for the samplers, so that any on-chip induced noise with frequency beneath the loop bandwidth can be tracked by the loop. Since the samplers are driven by only one buffer after the low-to-high swing converter, the delay needs to be very short. The delay of this feedback path is kept to less than 3 FO-4 so the internal input to the phase-detector is not excessively noisy. Another one of the eight flip-flops with 2x the size is used to again divide the clock, for the 250-MHz global logic clock. The output of the flip-flop is buffered with inverters (with delay equivalent to 4 FO-4) to generate a clock, *sync\_ck*, that further demultiplexes the 24 outputs from *Bank<sub>6</sub>* to 48 outputs. The remaining 5 flip-flops are used for transceiver control signals such as reset and scan related debugging. The 24 outputs are each buffered before being driven into the demultiplexer which comprises two flip-flops clocked by the positive and the negative edge of *sync\_ck*. Again, to avoid violating the setup time of the flop, the timing requirement of  $2t_{FO-4} + t_{clk2Q} + t_{buffer} + t_{su} > t_{clk2Q} + 4t_{FO-4}$  must be satisfied. The actual global clock, *gck*, for the digital logic is *sync\_ck*, further buffered by 2 FO-4 inverters because the clock loading is so large (extracted to be 45 pF). To guarantee that the flip-flops in the digital logic data-path do not suffer from setup or hold time violation, these two large buffers drive the clock in the opposite direction as the data flow. Hence, they are physically located on the side of the chip opposite from the sampler/analog circuitry. This has the additional benefit of isolating this large noise source from the more sensitive circuitry.

A similar re-synchronization is performed on the transmit side depicted in Figure A.3. All 8 phases are tapped from the VCO of the Tx-PLL and buffered by one inverter. Clock phases, *calc<sub>2</sub>* and *calc<sub>6</sub>*, are driven to 4 flip-flops. One acts as a toggle flip-flop to generate the 250MHz clock, *tx\_gck*, for the transmitter logic. Because the transmitter logic is not very complex and hence does not impose a heavy clock load, only 2 FO-4 inverters are necessary for clock buffering. Of the remaining 3 flip-flops, one is used for the feedback clock for the Tx-PLL, and the other two are for testability.



**Figure A.3:** Timing and block diagram for transmit-side synchronization

The transmitter logic comprises a pseudo-random bit sequence (PRBS) encoder and some scannable registers to generate a test pattern 2-bytes wide. This data is multiplexed with 2:1 multiplexers using  $tx\_gck$  to combine the data into 1-byte bus. The outputs of the multiplexers are synchronized to  $clk_0$  with a bank of flip-flops.  $Bit_{0-3}$  of the outputs are latched by flip-flops using the negative edge of  $clk_4$  while  $Bit_{4-7}$  are latched by the negative edge of  $clk_0$ , causing a half-cycle delay between the two nibbles. These outputs are split even further into 4 groups of 2-bits latched by the falling edges of  $clk_1$ ,  $clk_3$ ,  $clk_5$ , and  $clk_7$ . The outputs of these latches are inputs to the pre-charged pre-drivers of the output transmitter clocked with appropriate clocks. For example,  $Bit_0$ , from a latch strobed with  $clk_1$ , is driven to a pre-charged buffer that uses  $clk_0$ . As described in Section 3.1.3, the NAND output structure then uses the positive edge of  $clk_3$  to define the start of the bit, and the falling transition of  $clk_0$  that qualifies the data to define the end of the bit. By using the output of a  $clk_1$  latch, the pre-driver output is guaranteed not to change during its evaluation phase.



### A.3 Power and Area

Table A.1 shows the power consumption of different portions of the chip. The total power dissipated is 1.5W at 3.3V with roughly 1/3 from the clock generation, and 1/3 from the receive-side logic. The layout area of each of the blocks is shown in Table A.2.

Component	Current (mA)
Rx-PLL	100
Tx-PLL	50
Input Samplers	25
Decision Logic + FIFO	170
Output Driver	50
Transmit Logic	10
Parallel Data Bus	90
Total Current	500

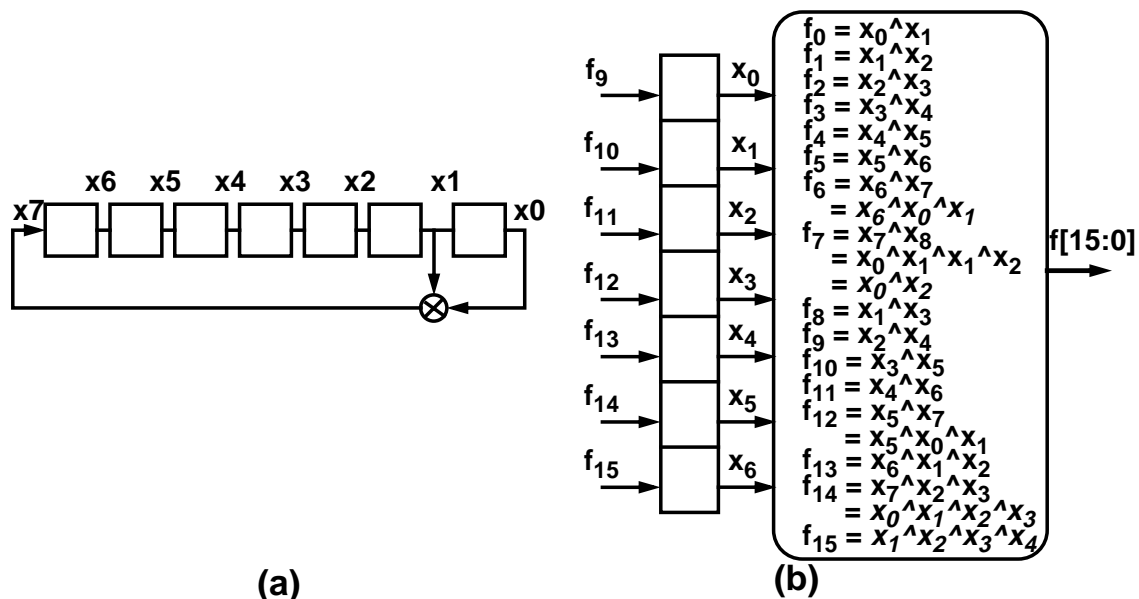
**Table A.1:** Power consumption of various components

Component	Area ( $\lambda$ )
Tx PLL	700 x 2000
Tx Driver+ Pre-Driver	550 x 1150
Rx PLL	700 x 3000
Sampler + Re-sync	700 x 2100
PRBS Encoder	700x 1350
Decision logic	4500 x 3500

**Table A.2:** Layout area of each component

### A.4 PRBS Encoder and Decoder

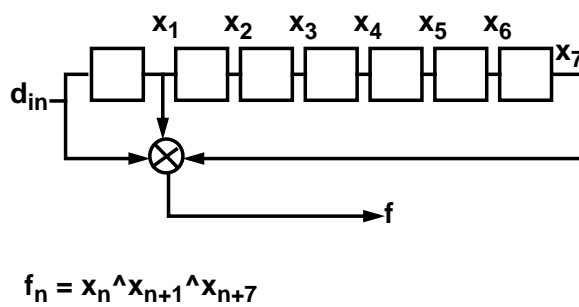
Typically, a  $2^7-1$  pattern can be generated with an LFSR comprising 7 registers and an XOR as shown in Figure A.4-(a). However, since data is de-multiplexed on-chip, the sequence must be parallelized into 2-byte outputs. [59] and [38] suggest using parallel LFSRs time shifted from one another. We chose a more brute force technique with many



**Figure A.4:** PRBS encoder: serial and parallel implementations

fewer registers (7 instead of 16x7) although it demands more careful timing. As depicted in Figure A.4-(b), the logic for the 16 outputs can be written as a function of the 7 stored states and can be implemented with more complex XORs. The most-significant 7 bits are the new states for the next cycle. Because of the 3 levels of 2-input XORs, cycling the state-machine at 250 MHz requires more careful simulation. To ensure sufficient speed, the XORs are built with precharged elements.

The corresponding PRBS decoder on the receive side is much simpler to implement because the decoder contains no feedback loops and hence can be pipelined. Figure A.5 illustrates a typical serial decoder. A single-bit output indicates if the input sequence matches the  $2^7-1$  sequence. The parallelized decoder simply implements the 3-input XOR shown in Figure A.5 for all 16 bits from the FIFO in parallel with a bank of



**Figure A.5:** PRBS decoder

XORs. To generate a single error flag as output, the XOR outputs are OR-ed together so that a high-value from any of the XORs triggers the flag. Although this potentially masks multiple errors per byte, this is sufficient for low bit-error-rate measurements.

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